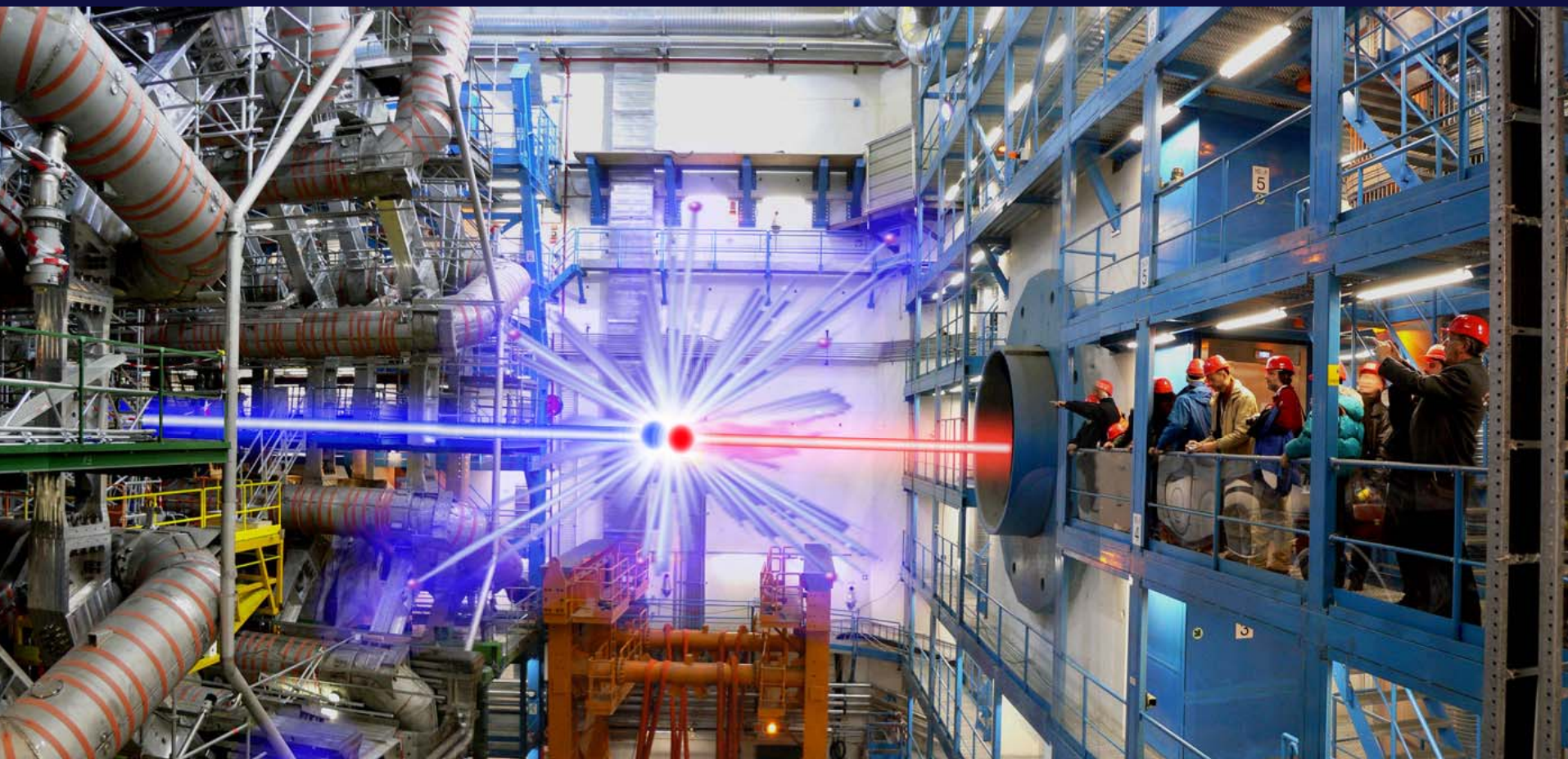




Introduction to Particle Physics



HEP Workshop

November 6th-10th 2006



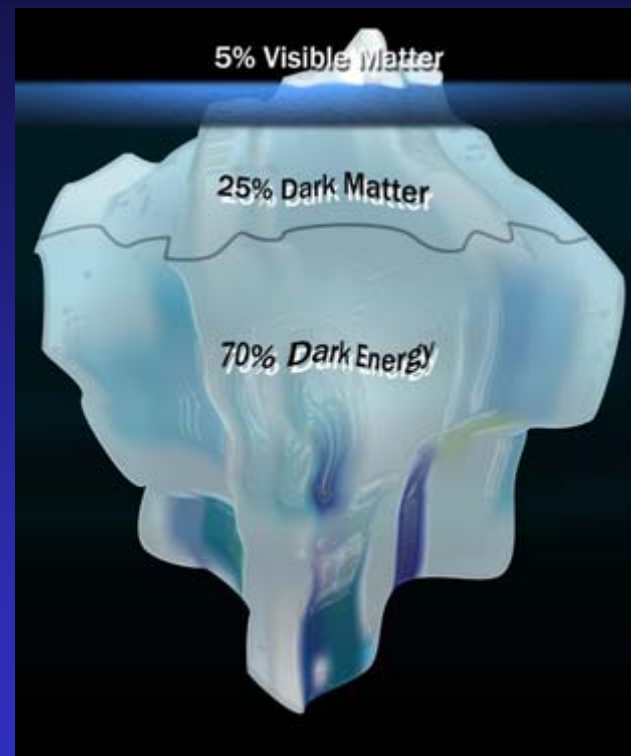
Dr. Laurenz Widhalm
Austrian Academy of Sciences
Institute of High-Energy Physics Vienna





Some “Hot Questions” of Particle Physics (and Cosmology)

- What is the **origin** of the fundamental particles' **mass**? (is it an interaction with the **higgs**?)
- Why is there **so much more matter than anti-matter**? (What are the **symmetries** of the universe, and which ones are **violated**?)
- What is **dark matter** and **dark energy**?
- Is there a universal “**super-symmetry**”? (which implies the existence of a whole “mirror world” of unknown, supersymmetric particles)
- Can all known forces be unified (**Grand Unification**)?
- ...?





Introduction to Particle Physics

Overview

- Unit I: The Particle Zoo
- Unit II: Accelerators & Detectors
- Unit III: Symmetries
- Unit IV: The Standard Model (& beyond)
- Unit V: CP-Violation in B-Decays ()



Introduction to Particle Physics

Overview

Unit I: The Particle Zoo

Unit II: Accelerators & Detectors

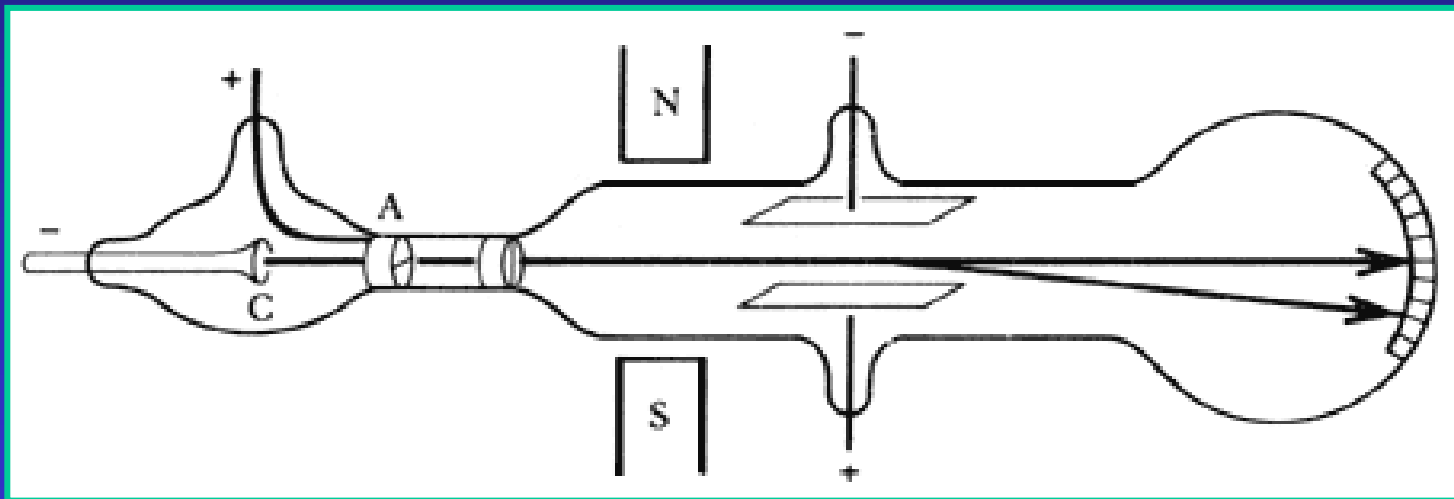
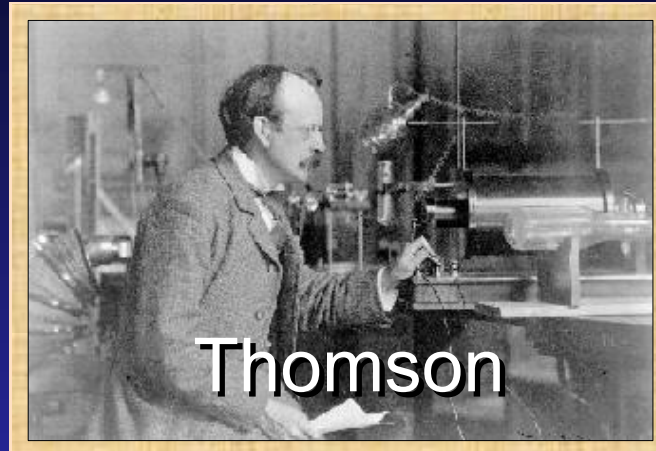
Unit III: Symmetries

Unit IV: The Standard Model (& beyond)

Unit V: CP-Violation in B-Decays ()



e^- the electron

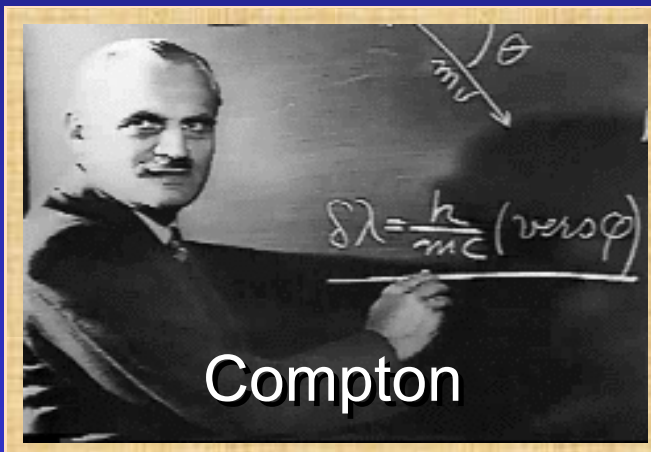
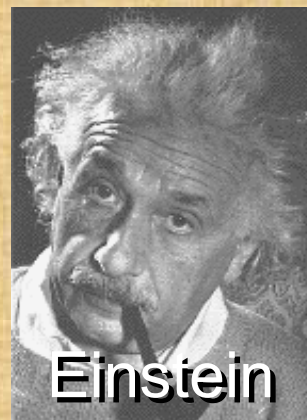
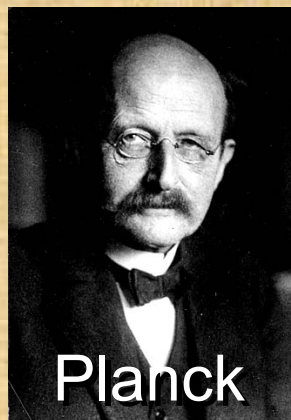
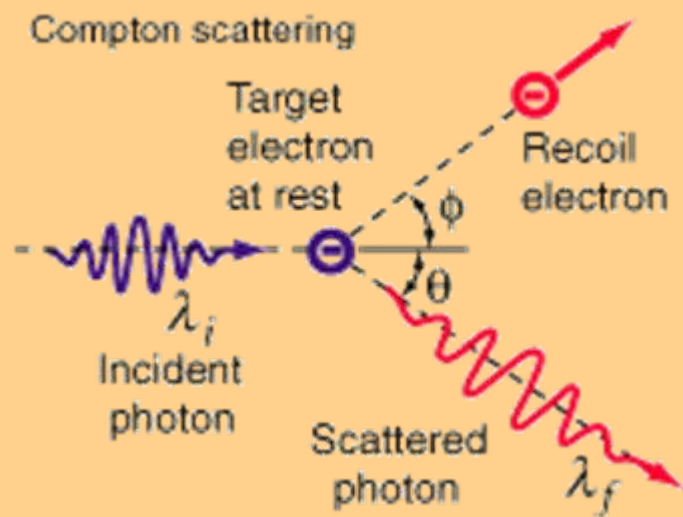


1897





the photon

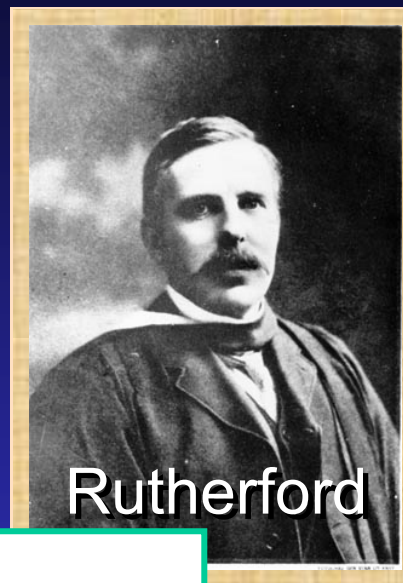
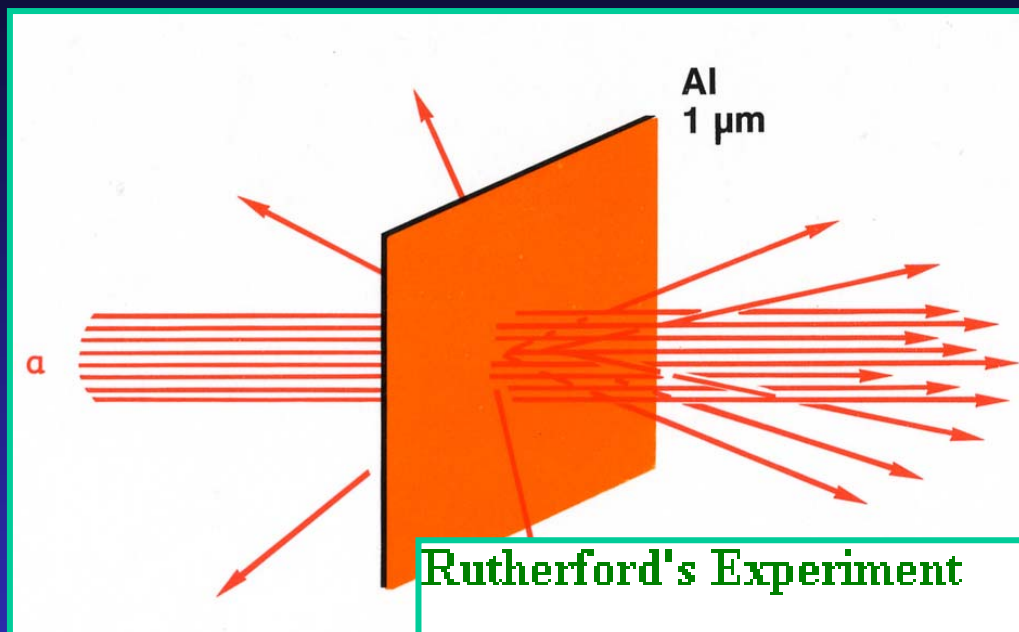


1897 1900-1924



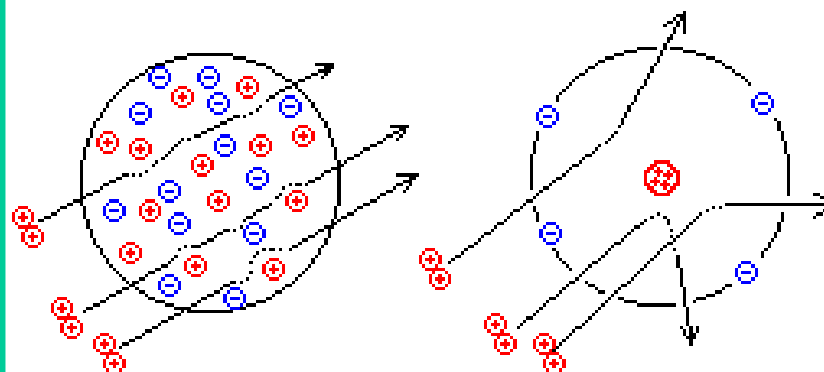


p the proton



Rutherford

Rutherford's Experiment



**Expected alpha particle scattering
in two models of the atom**



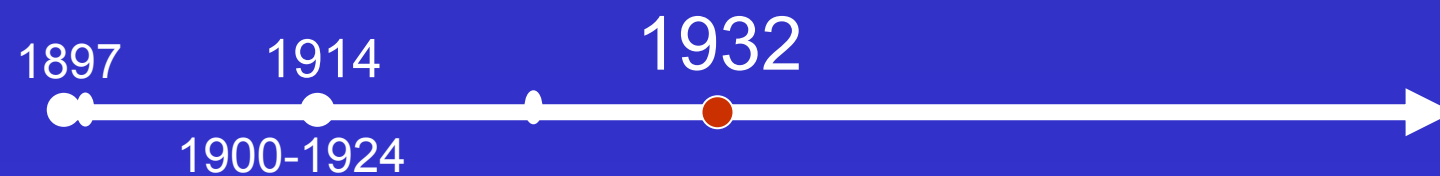
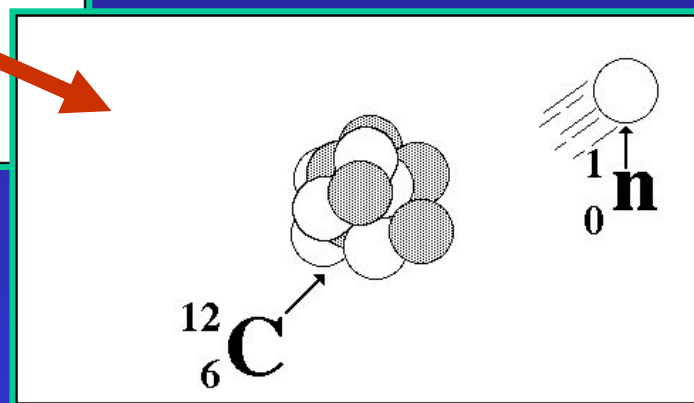
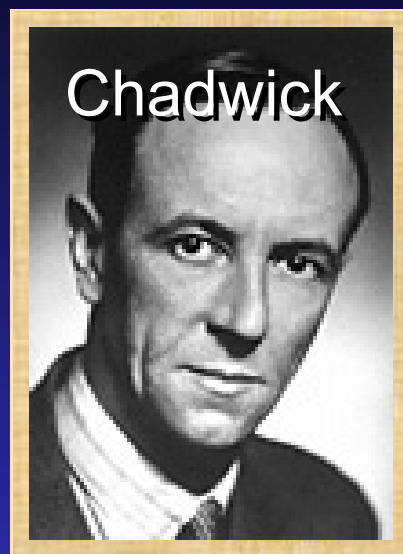
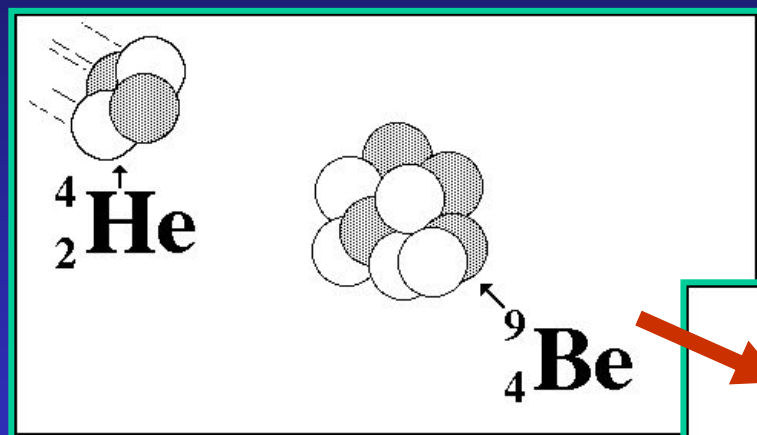
1897

1914

1900-1924



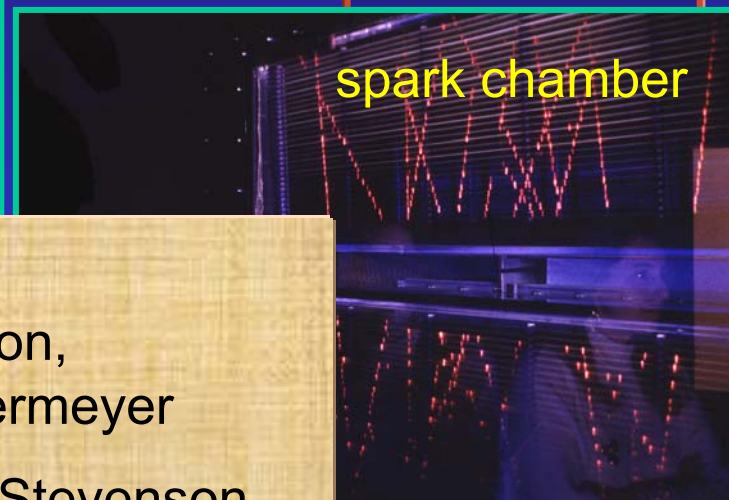
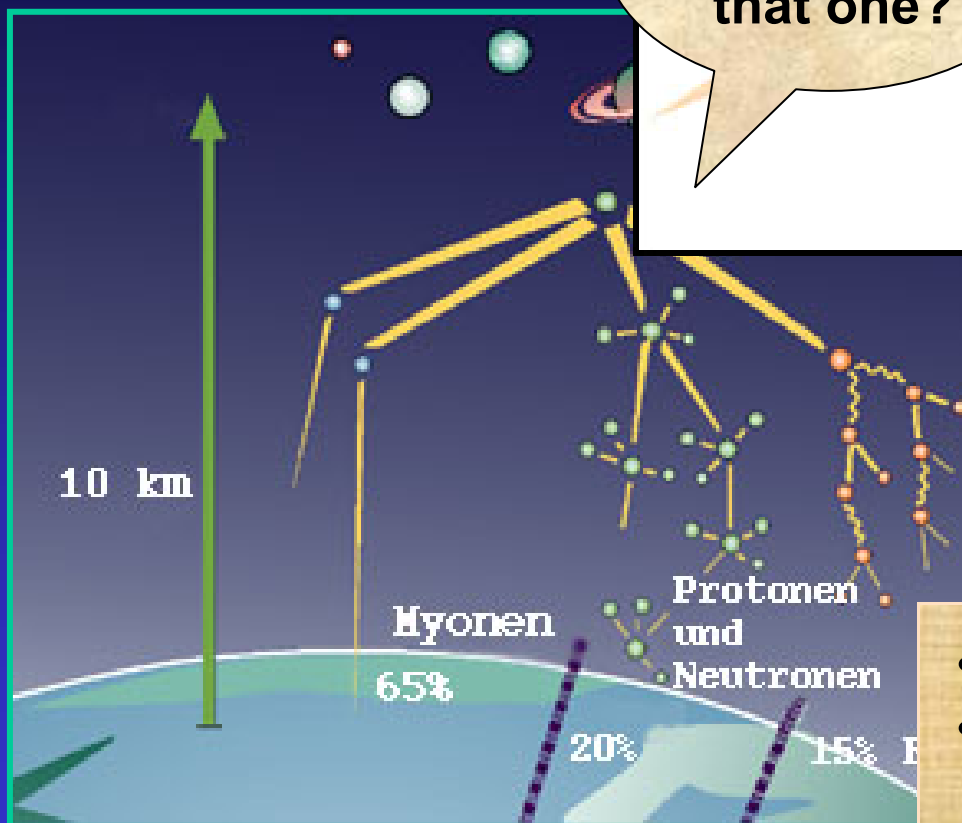
n the neutron



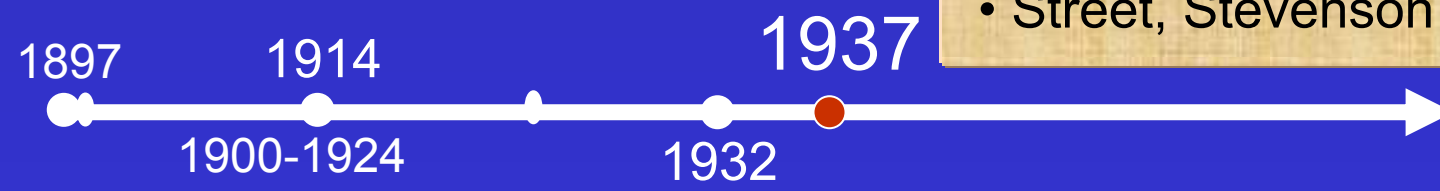


the muon

Who
ordered
that one?

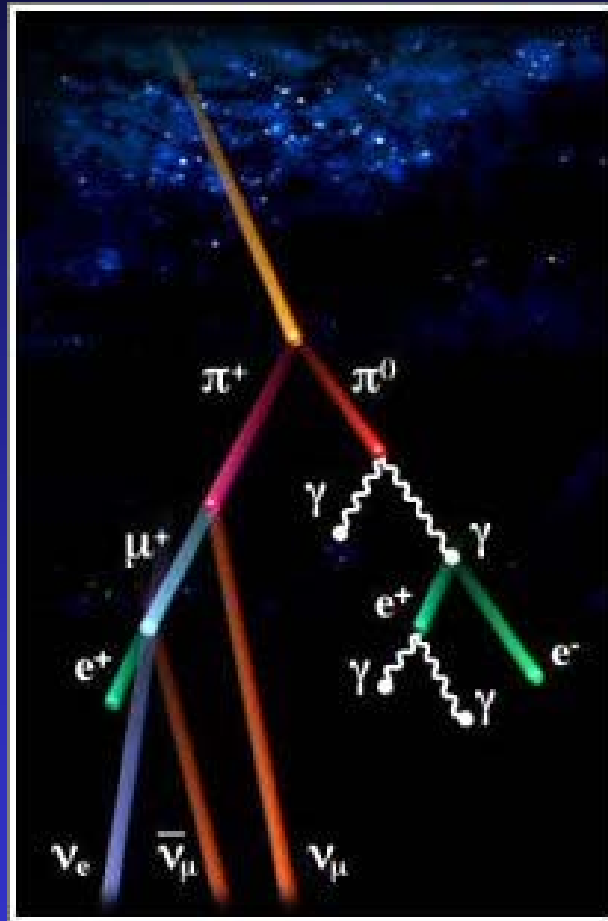


- Hess
- Anderson, Neddermeyer
- Street, Stevenson





π the pion

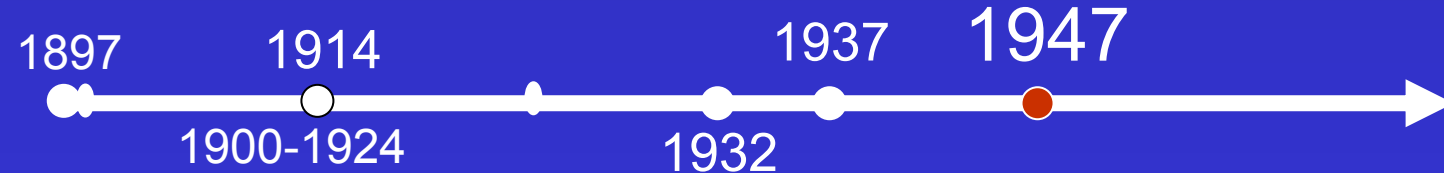


prediction



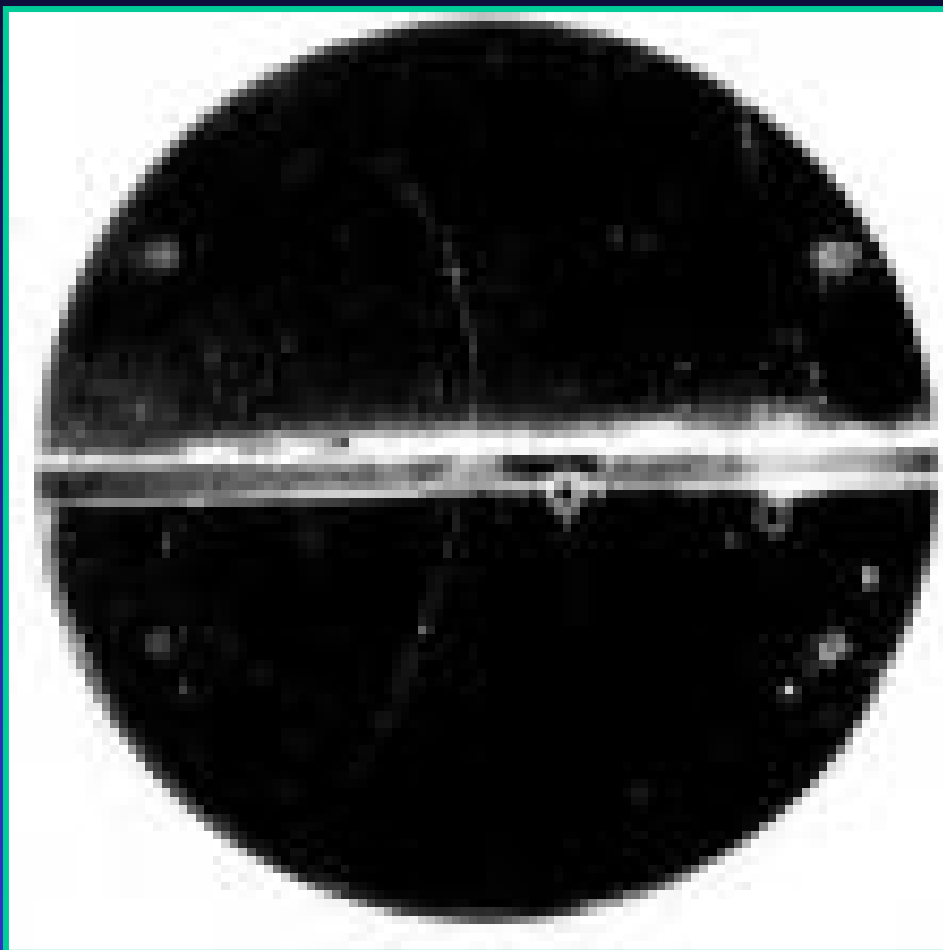
Yu

discovery

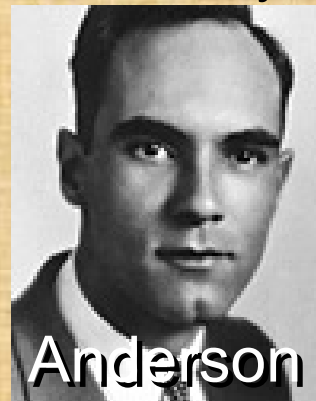




e^+ the positron (anti-matter)

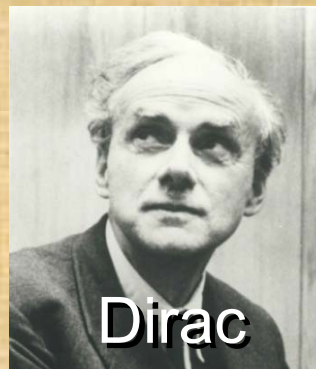


discovery



Anderson

prediction

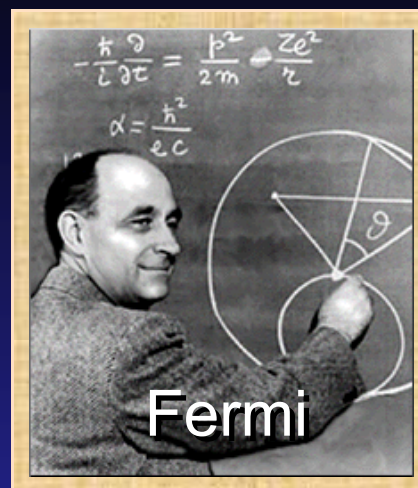
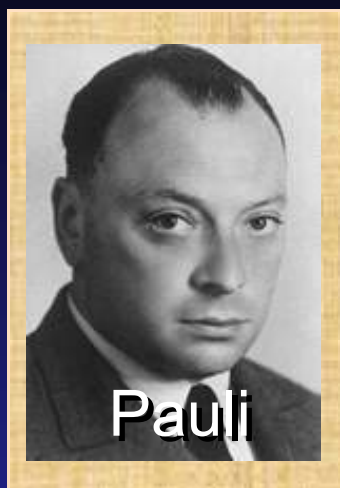


Dirac

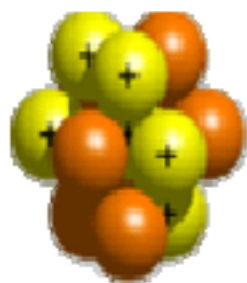




the neutrino



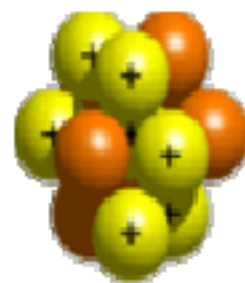
Carbon-14



6 protons
8 neutrons



Nitrogen-14



7 protons
7 neutrons



Antineutrino



Electron



1897

1914

1932

1947

1900-1924

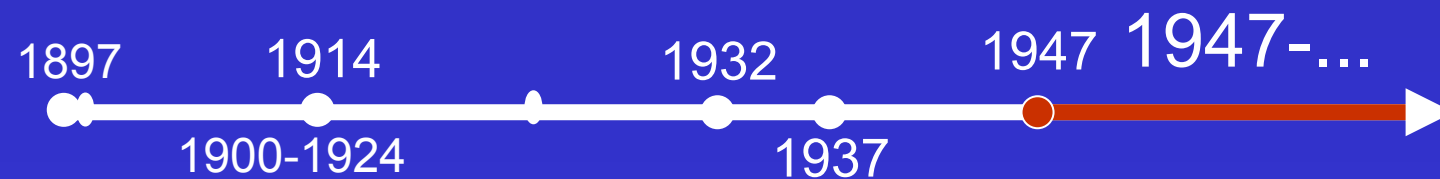
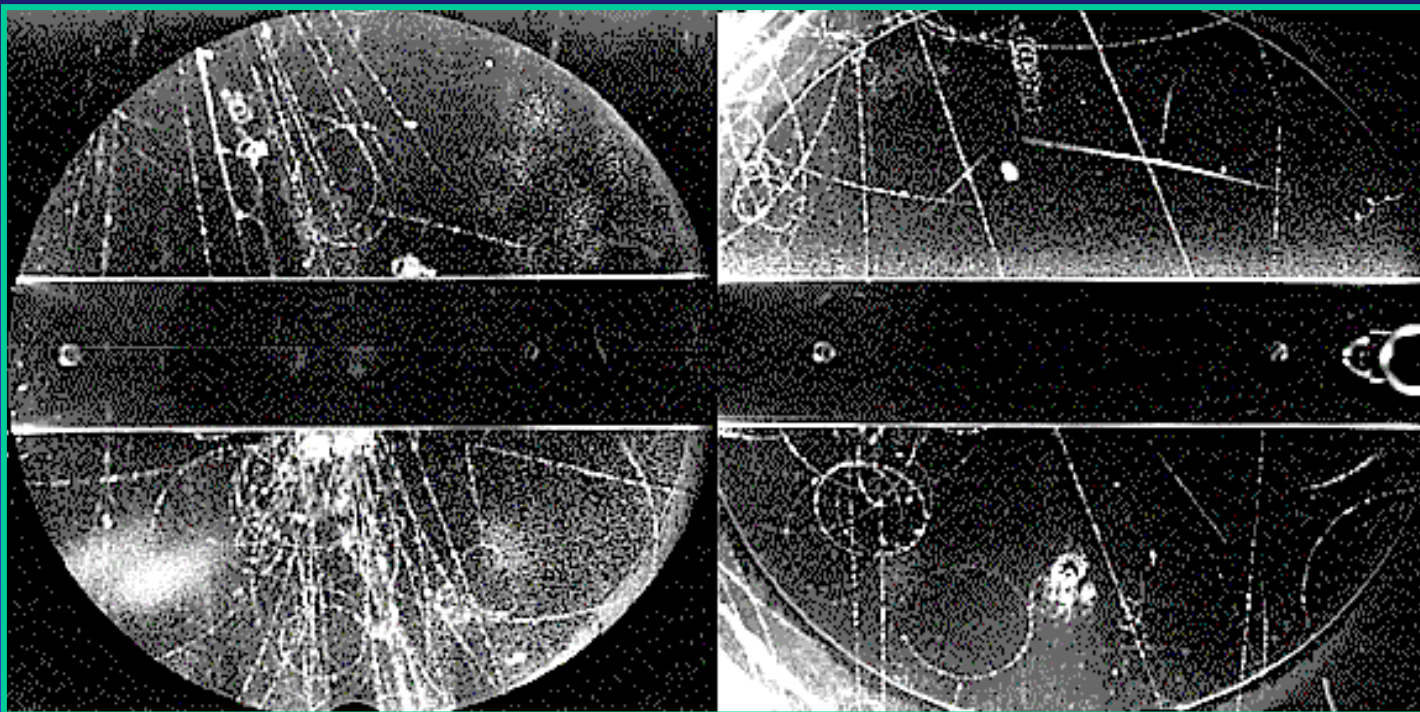
1937





strange particles

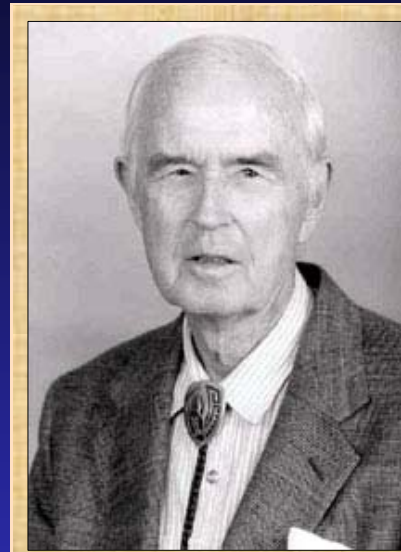
Rochester,
Butler,
...



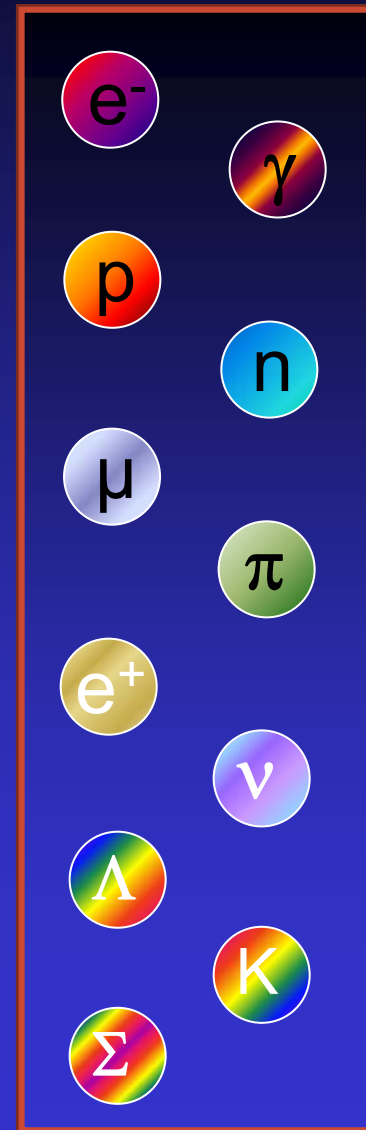


Willis Lamb, in his Nobel prize acceptance speech 1955, expressed the mood of the time:

„I have heard it said that the finder of a new elementary particle used to be rewarded by a Nobel Prize, but such a discovery now ought to be punished by a \$10,000 fine.“



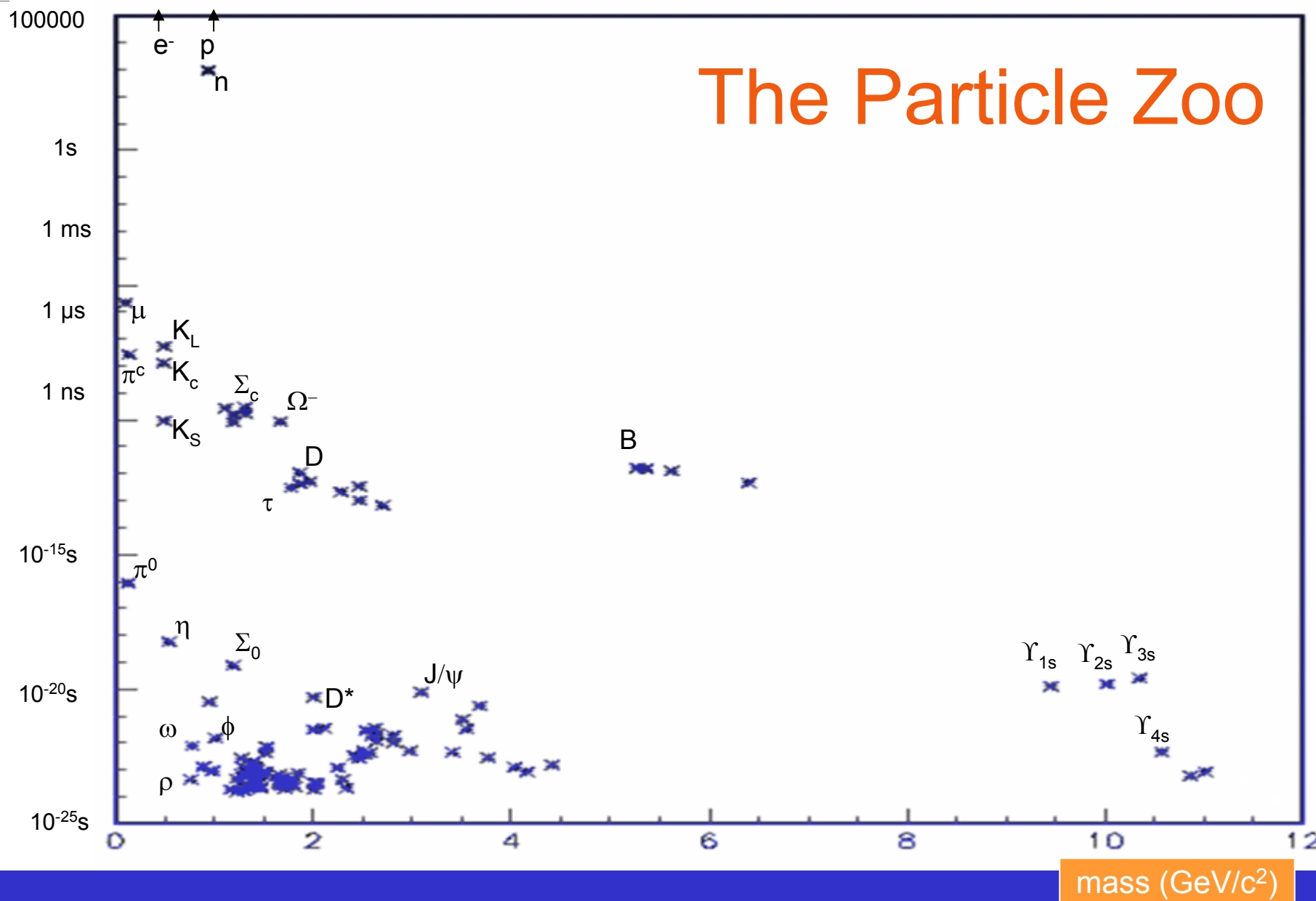
Lamb





mean life time (s)

The Particle Zoo

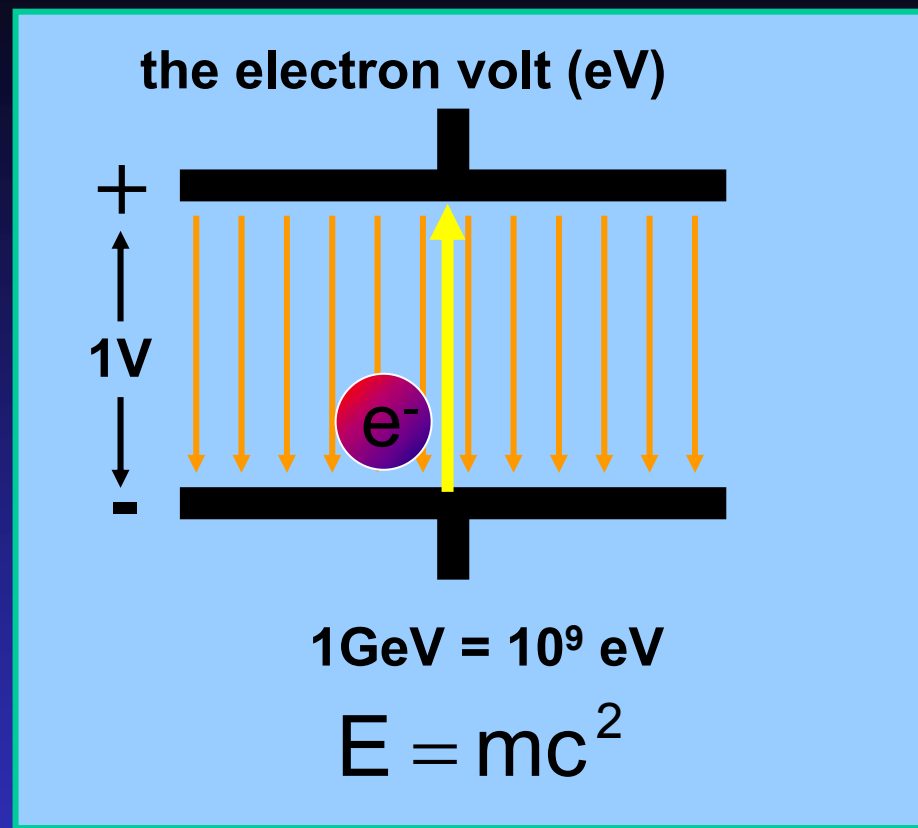
mass (GeV/c²)



side note:

Natural Units in Particle Physics

- the fundamental constants c and \hbar are set to 1 and are dimensionless
- the only remaining dimension is that of energy, which is measured in units of eV
- all other dimensions can be expressed in powers of [eV]:

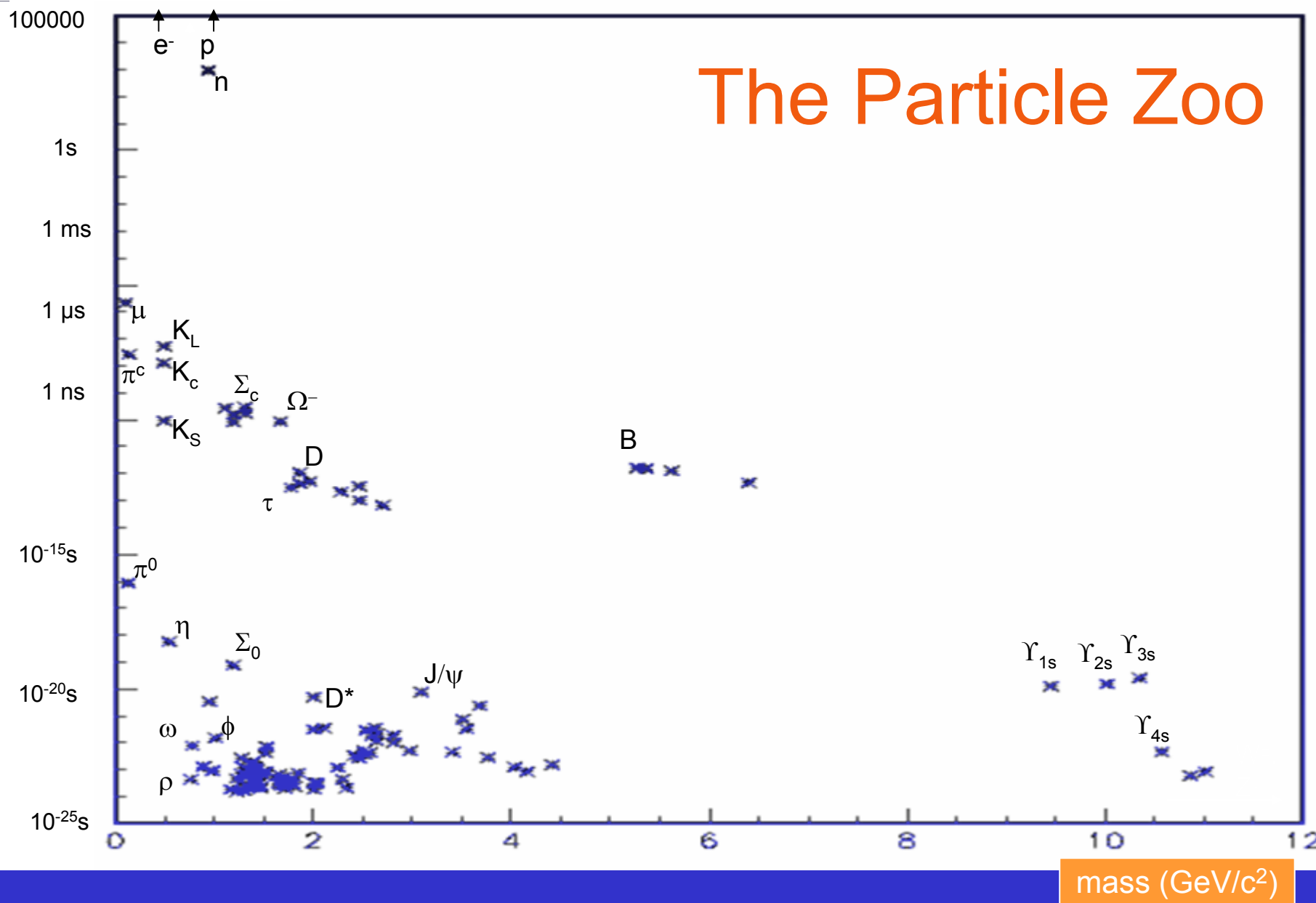


energy	[eV]	1 eV	= $1.60328 \cdot 10^{-13}$ J
length	[eV ⁻¹]	1 $\hbar c$ /eV	= $1.97327 \cdot 10^{-7}$ m
time	[eV ⁻¹]	1 \hbar /eV	= $6.58212 \cdot 10^{-16}$ s
mass	[eV]	1 eV/ c^2	= $1.78266 \cdot 10^{-36}$ kg
temperature	[eV]	1 eV/k	= $1.16044 \cdot 10^4$ K



mean life time (s)

The Particle Zoo

mass (GeV/c^2)



Looking for some order in the chaos...

1. properties of particles:

- order by **mass** (approximately, rather to be seen historically) :

leptons (greek: „light“)

electrons, muons, neutrinos, ...

mesons („medium-weight“)

pions, kaons, ...

baryons („heavy“)

proton, neutron, lambda,

- order by **charge**:

neutral

neutrons, neutrinos, photons ...

± 1 elementary charge

proton, electron, muon,

± 2 elementary charge

Δ^{++} , Σ_c^{++}

- order by **spin**:

fermions (spin $\frac{1}{2}$, $1\frac{1}{2}$, ...)

electrons, protons, neutrinos, ...

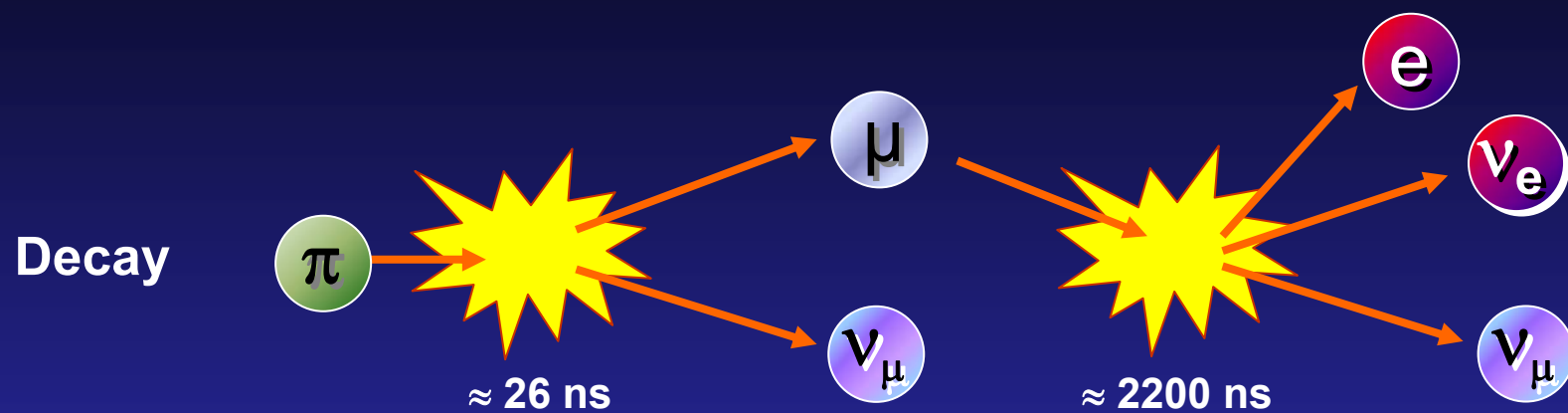
bosons (spin 0, 1, ...)

photons, pions, ...

- order by „**strangeness**“, **parity**, ...



Observing particle decays:





Looking for some order in the chaos...

2. conservation laws for particle decays:

- conservation of **energy**:

$$n \rightarrow p + \dots \quad \text{but not } \pi^0 \rightarrow \pi^+ + \dots$$

- conservation of **charge**:

$$n \rightarrow p + e^- + \dots \quad \text{but not } n \rightarrow p + e^+ + \dots$$

- conservation of **lepton number**:

$$n \rightarrow p + e^- + \bar{\nu} \quad \text{but not } n \rightarrow p + e^- + \nu$$

- conservation of **baryon number**:

$$n \rightarrow p + \dots \quad \text{but not } n \rightarrow \pi^+ + \pi^- + \dots$$

- conservation of strangeness (only in „fast“ processes)

$$\text{fast } K^* \rightarrow K\pi \quad \text{but only "slow" } K \rightarrow \pi\pi$$



How can these patterns be understood?

→ Unit III (TUE): Symmetries

→ Unit IV (WED): The Standard Model

but first: how can we study elementary particles?

→ Unit II (today): Accelerators & Detectors

- END of Unit I -



Introduction to Particle Physics

Overview

Unit I: The Particle Zoo

Unit II: Accelerators & Detectors

Unit III: Symmetries

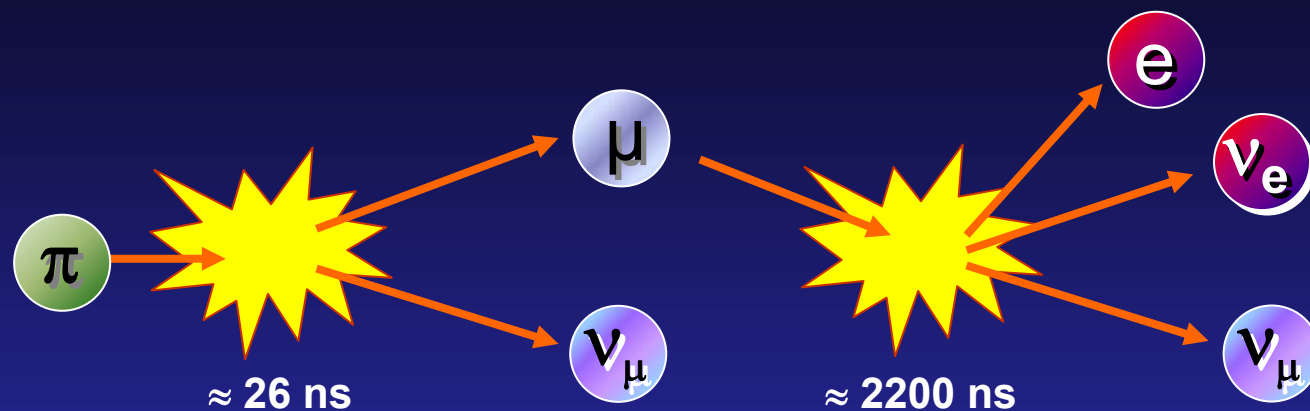
Unit IV: The Standard Model (& beyond)

Unit V: CP-Violation in B-Decays ()

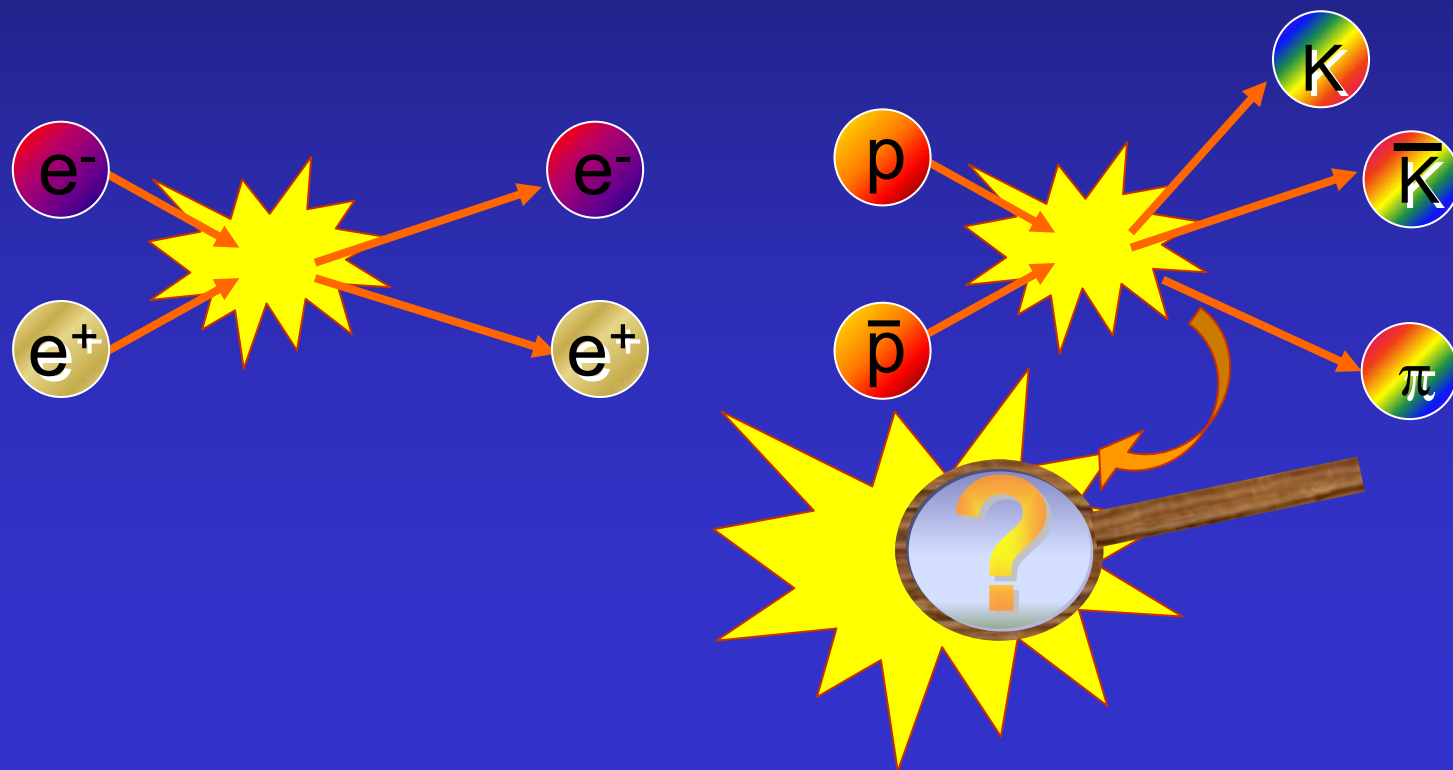


Observing particle decays and interactions

Decay



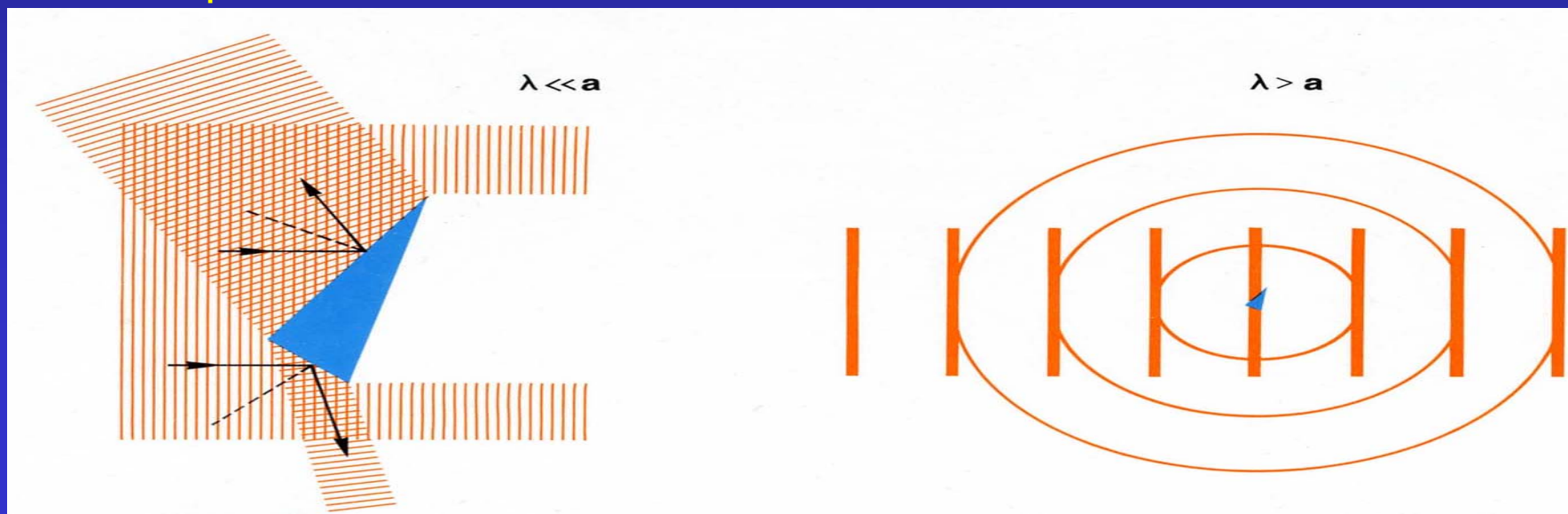
Scattering





Using particles as probes

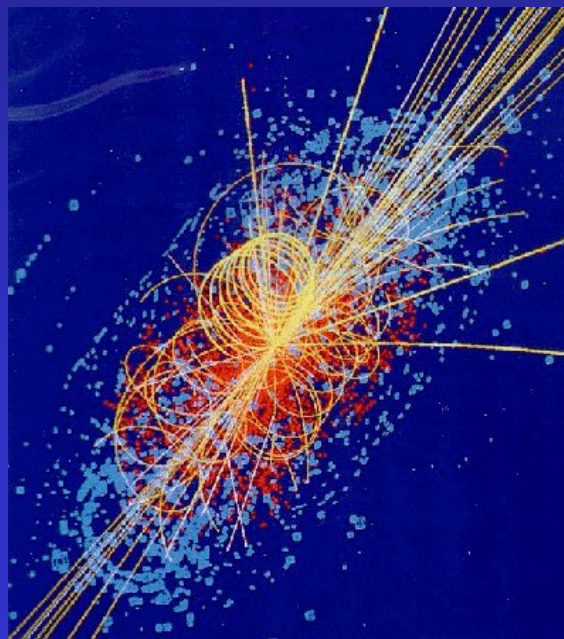
- since about 80 years, **accelerated (high-energetic) particles** are used as **probes** for the examination of samples
- this is actually a **method copied from nature**: for our **eye-sight**, **photons** are used as „probes“. „**Seeing**“ is interpreting their interaction with matter.
- in the **microcosm**, where the **size of structures** is **similar** to the „size“ (**wavelength**) of the used probes, we get **diffraction**, thus **lose information** about shape:





Particle accelerators

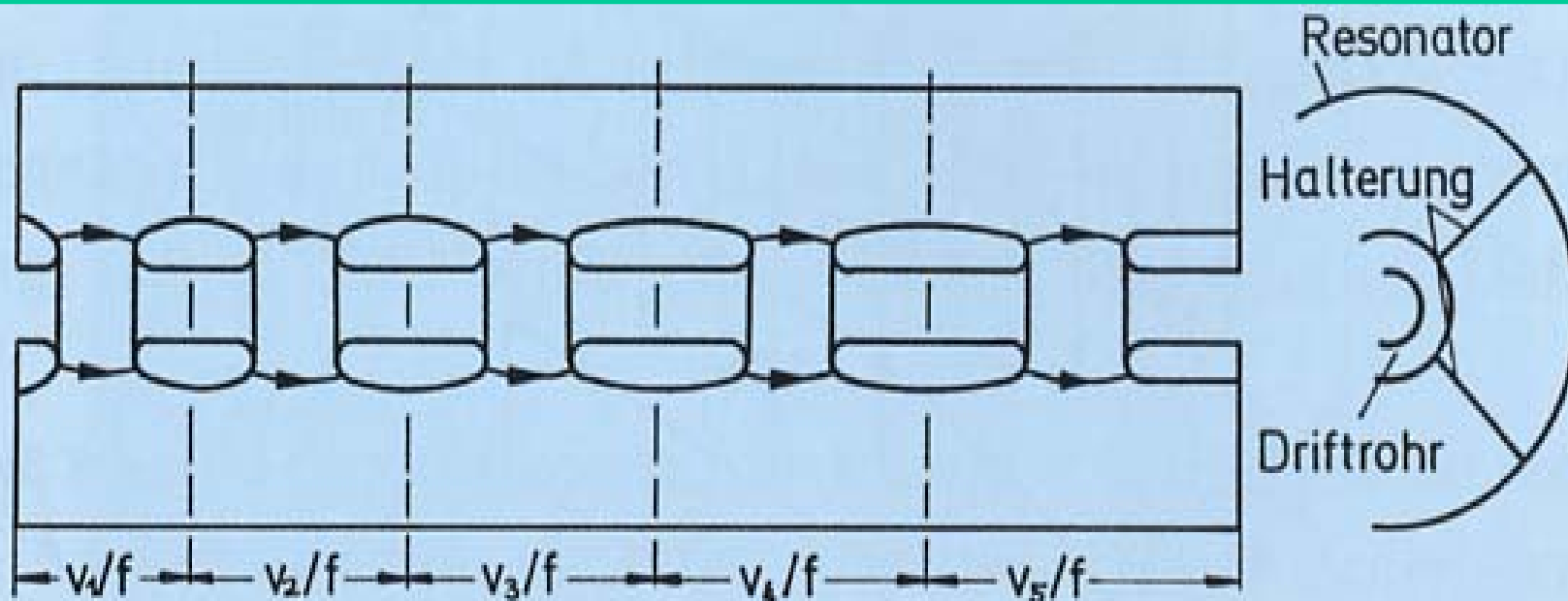
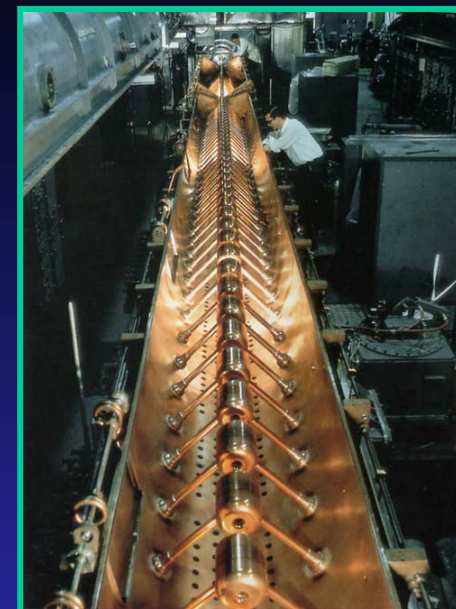
- **electron accelerators**: very short-waved particle probes, shot directly at the „target“ probe; most widely-known example: **electron microscopes**
- at **even higher energies** of the probes, **new particles** can be produced – short-lived particles, which existed shortly after big bang, can be „revived“: a „**mini big bang**“ in the lab!
- to **get even closer to big bang**: build **colliders**, where accelerated particles **collide head-on**





Particle accelerators

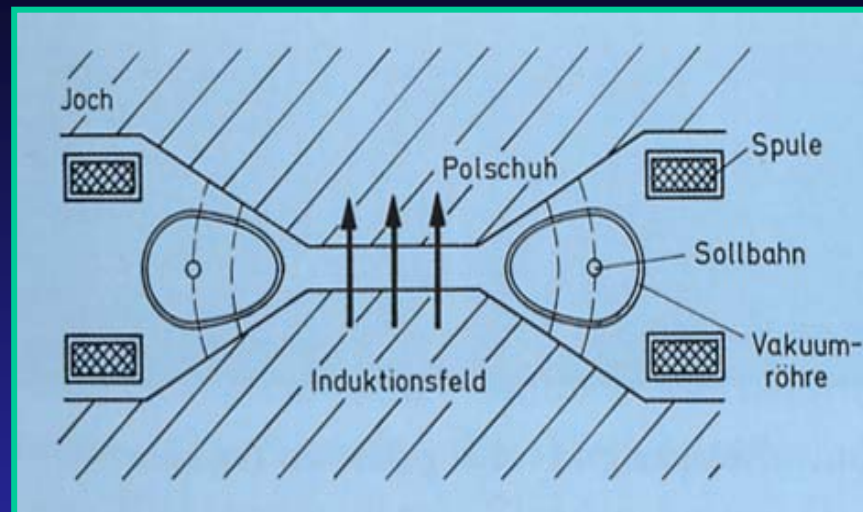
- in the early times: **electro-static accelerators** (cascade generator, Van-de-Graff generator)
- in parallel, high-frequency **linear accelerators** have been developed



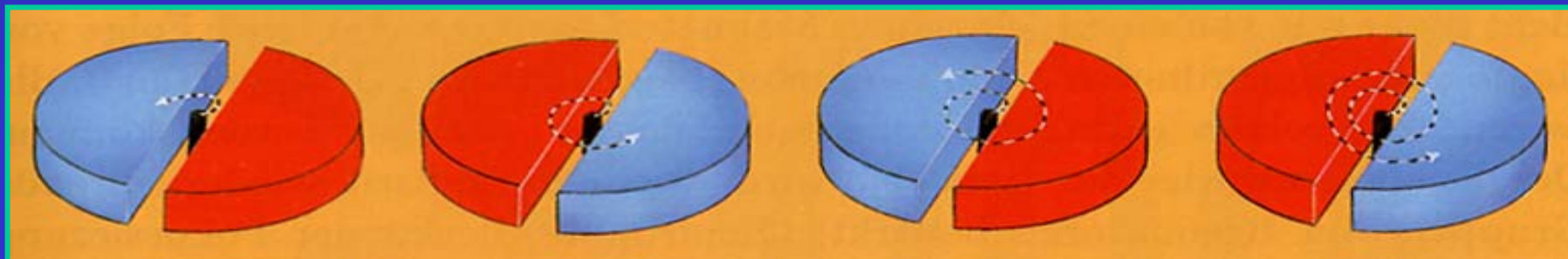


Particle accelerators

- the **betatron**, a „free-flight transformer“: a magnet field (which holds particles in an orbit) is increased with time, thus producing a circular electric induction field which accelerates the particles



- the **cyclotron**, peak of development of accelerator physics in the 1920ies: a charged particle **circulates** in a **magnetic field**, and is accelerated by **switched electro-static fields**. At **non-relativistic energies**, the rotational frequency is independent of the momentum (or energy) of the particle, only the orbit radius increases with time → **spiral path**



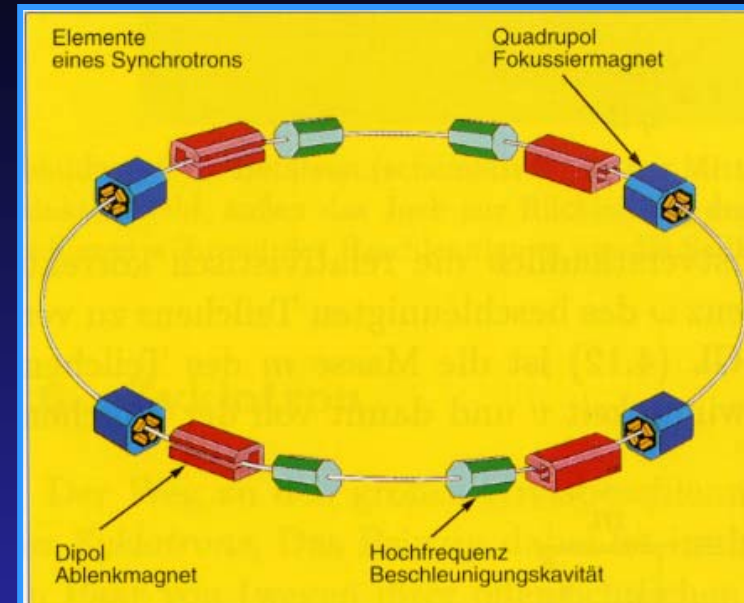


Particle accelerators

the **synchrotron** is the advancement of the cyclotron to **relativistic energies**. It consists of several **modules** which take over different tasks:

- **bending magnets** force particles on their circular path
- **high-frequency cavities** take care of the acceleration
- **focussing magnets** keep the particle beams together

The **world's largest electron-positron collider** is the **LEP**, built in the 1980ies and used until 2000 at CERN, Geneva reaching ~200 GeV of energy. It is **now being replaced** by the **LHC**, which collides protons at energies of **14 TeV**





Particle accelerators

accelerator	particles	E_{beam}	started	luminosity [$10^{-30} \text{ cm}^{-2} \text{ s}^{-1}$]
TEVATRON	$p \bar{p}$	2 x 900 GeV	1987	25
PEP II	$e^+ e^-$	10,5 GeV	1999	5000
KEK B	$e^+ e^-$	10,5 GeV	1999	13 000
HERA	$p e^\pm$	26 + 820 GeV	1992	15
LHC (being built)	$p p$	2 x 7000 GeV	2007/8	>10 000







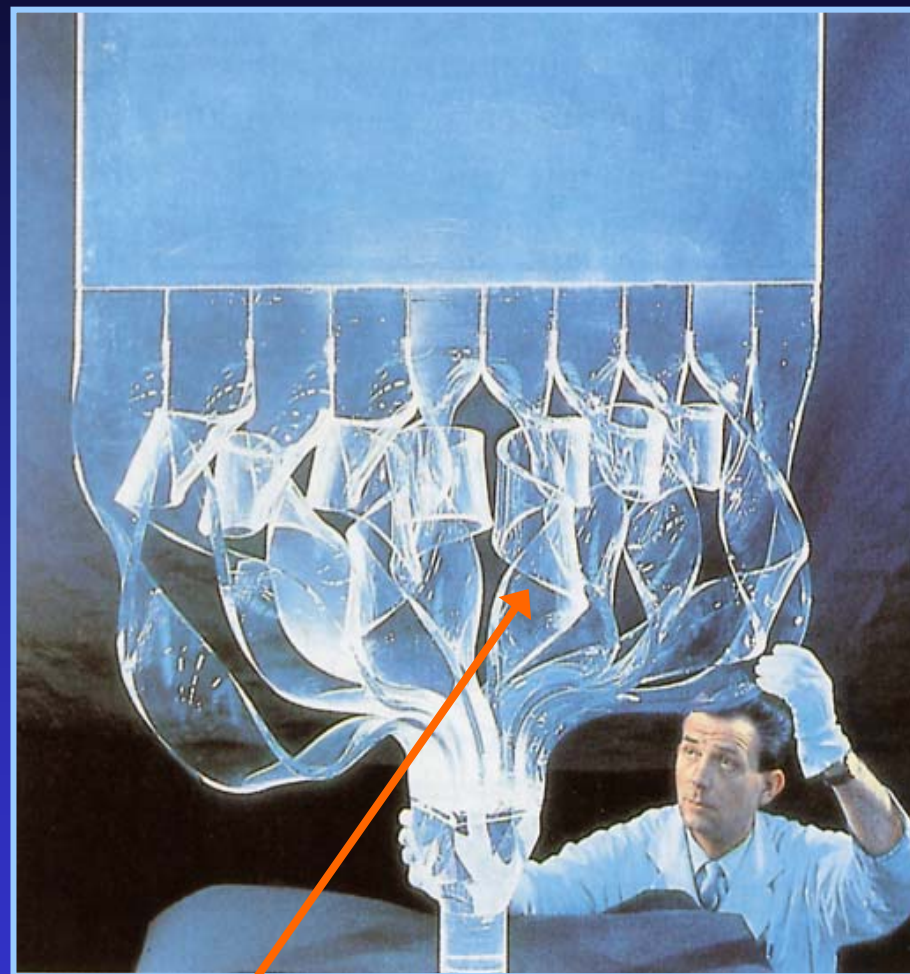
Particle detectors

historical detectors:

- scintillator counters
- wire counters
- Wilson's cloud chambers
- emulsions

scintillators

- simple
- fast
- still in use



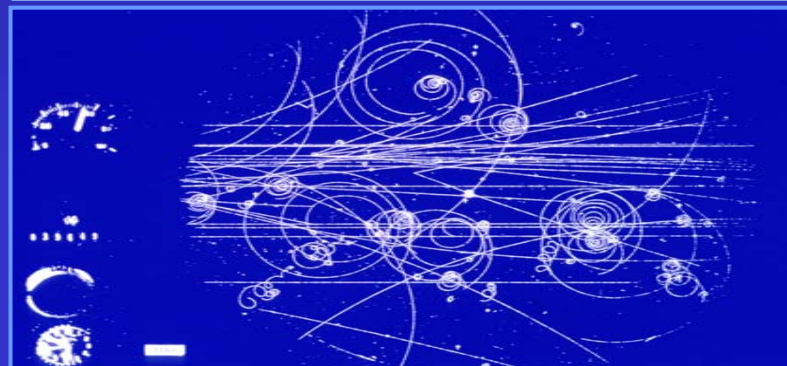
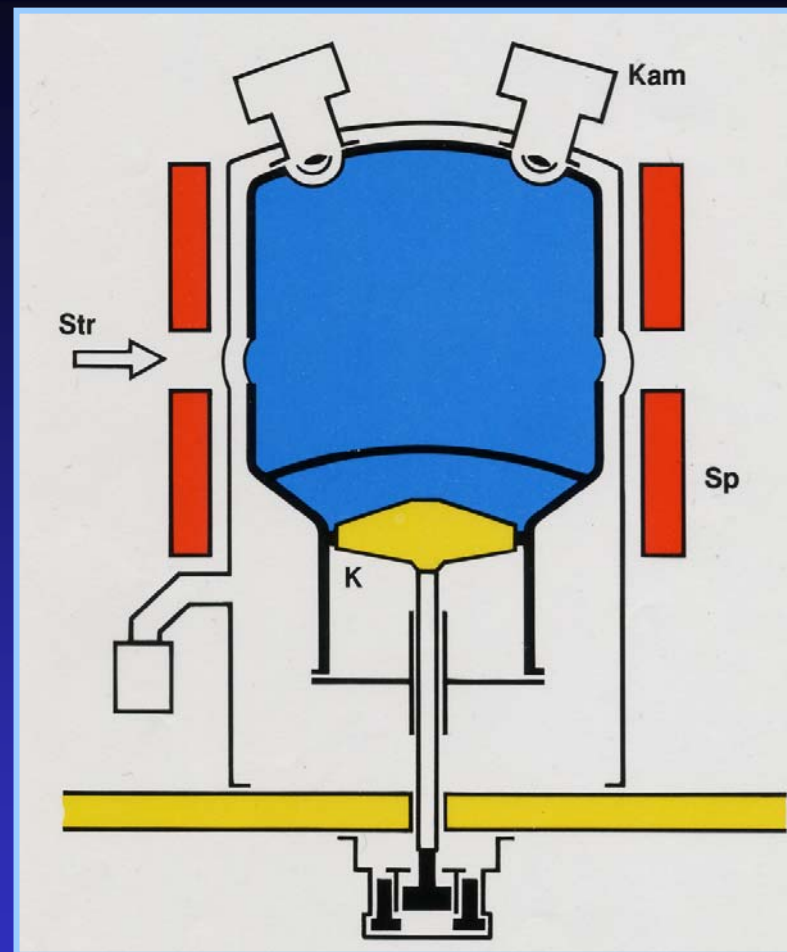
light guide structures



Particle detectors

bubble chamber:

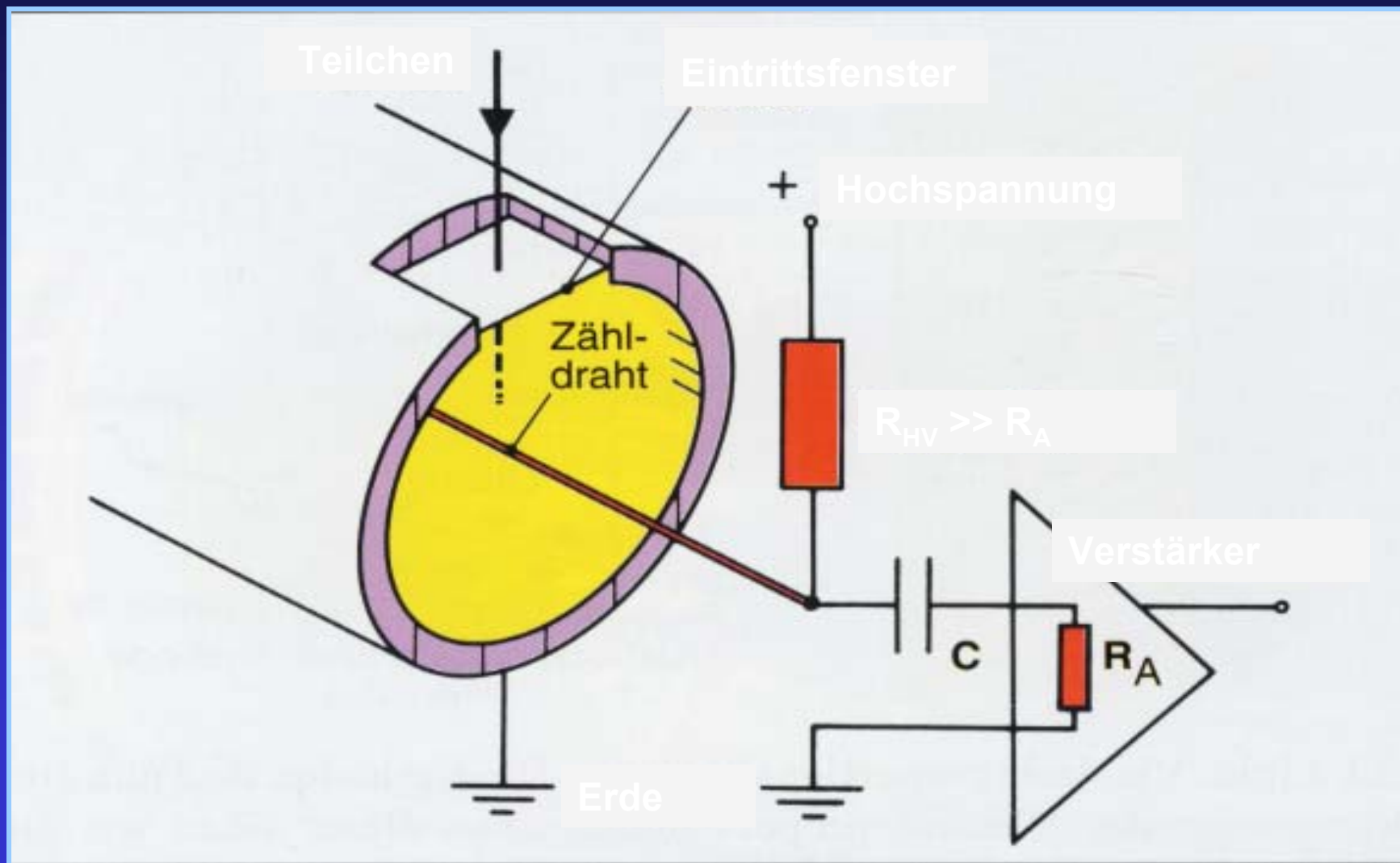
- dominant detector from ~ 1960-1975
- container with liquid in boiling retardation
- particles moving through the detector ionize the liquid molecules, which are seeds for vapor bubbles along the particle's track
- photographic pictures are taken of the visible tracks





Particle detectors

wire counters

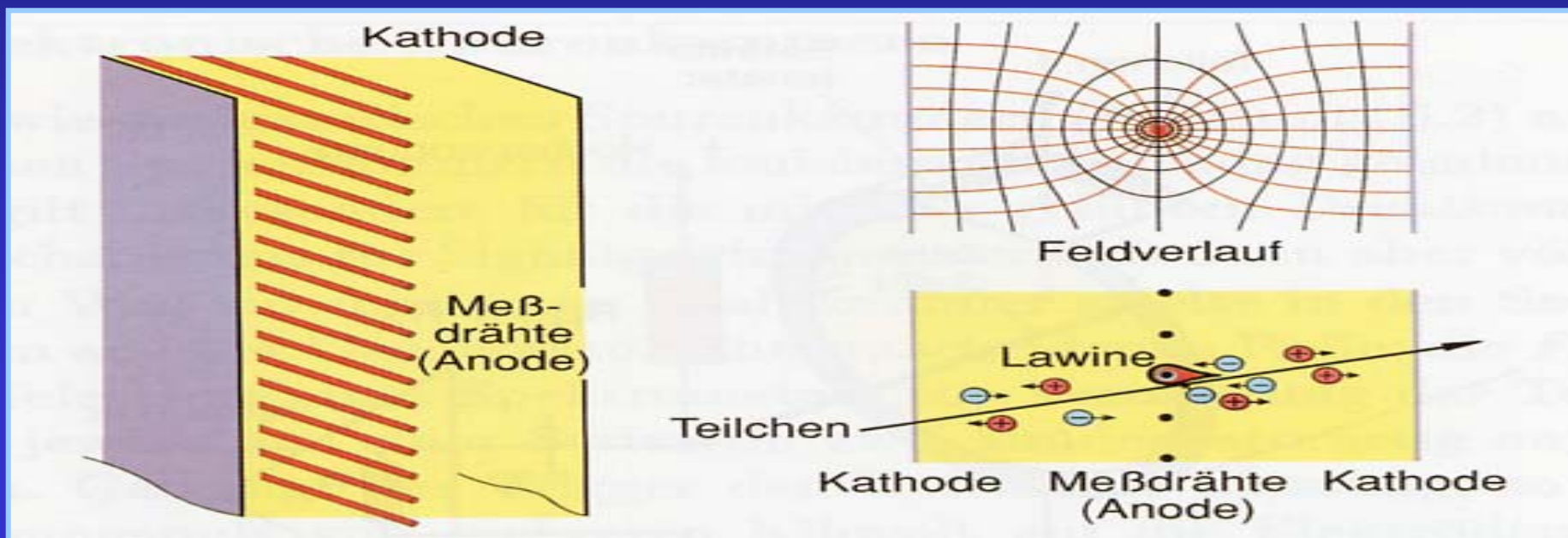




Particle detectors

multi-wire proportional chamber:

- same principle as simple counter: passing particles produces free electrons per ionization
- electrons travel to counting wire, high field strength near wire result in avalanche-effect \rightarrow large number of electrons set free
- ions drift to cathode and give an electric signal

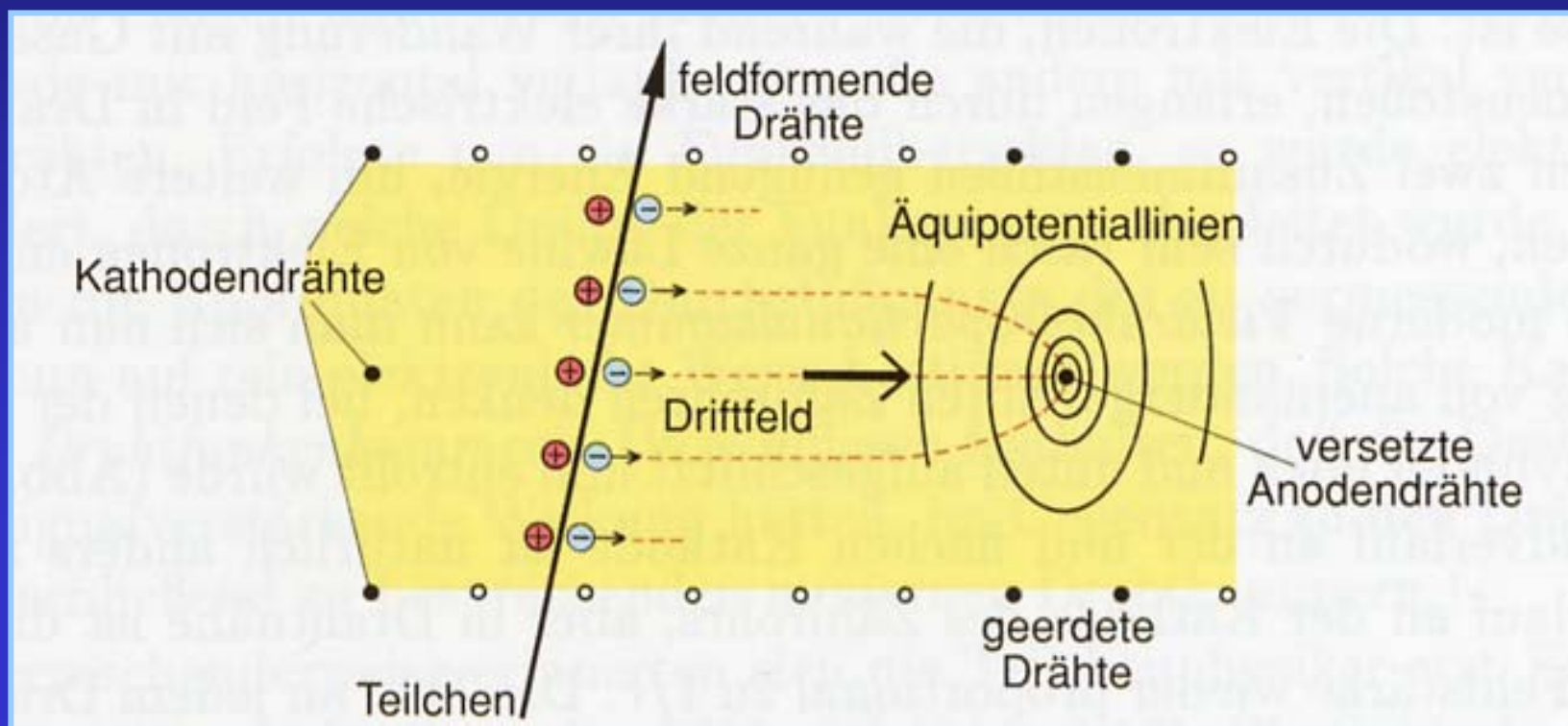




Particle detectors

drift chamber:

- distance between wires increased to several cm
- strong quasi-homogeneous **electrical drift field**
- measured **drift time** gives **distance of particle to nearest wire**

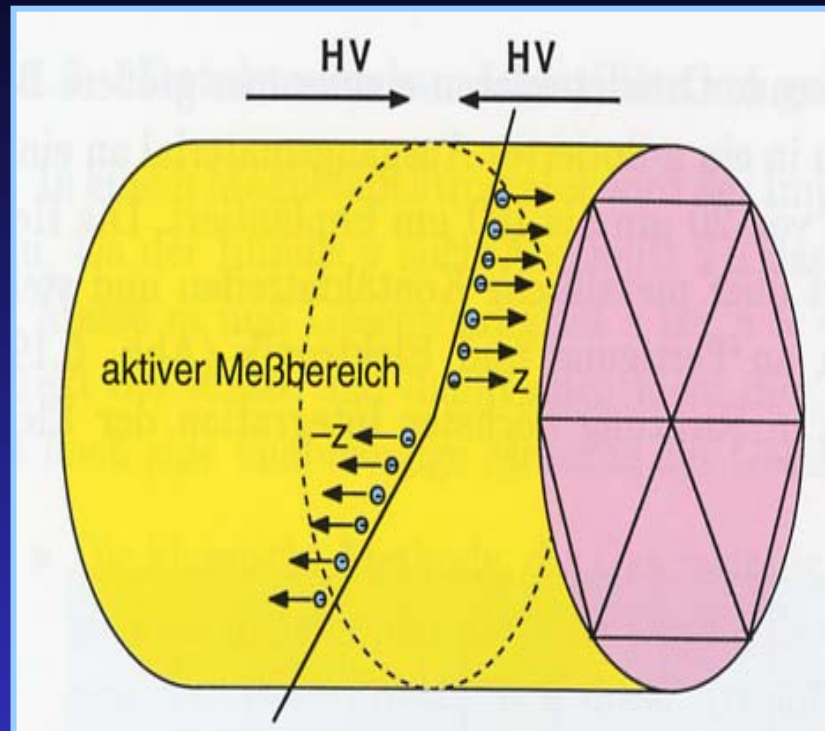
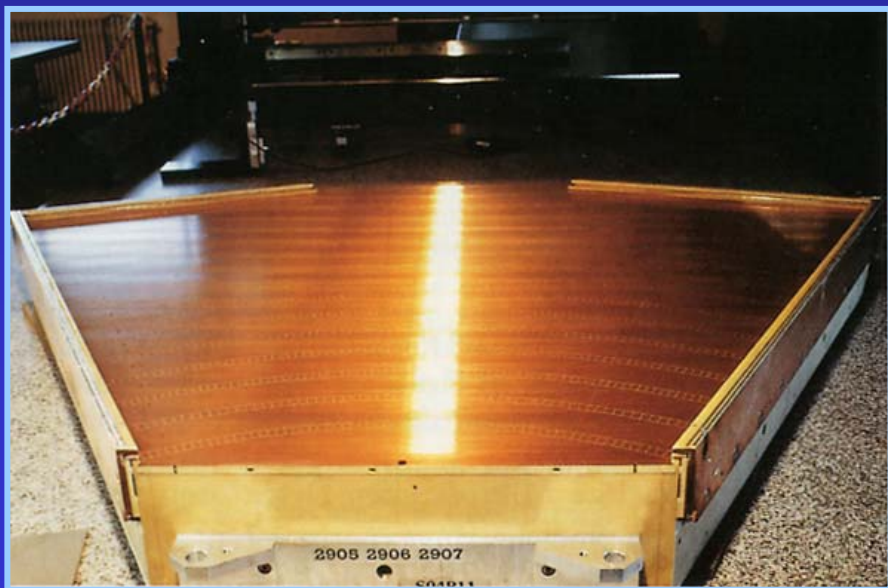




Particle detectors

time projection chamber:

- drift field in a large 3d space
- **z-coordinate** measured by **drift time**
- **x,y-coordinates** measured at **endcaps** with complex **counting wire structure**

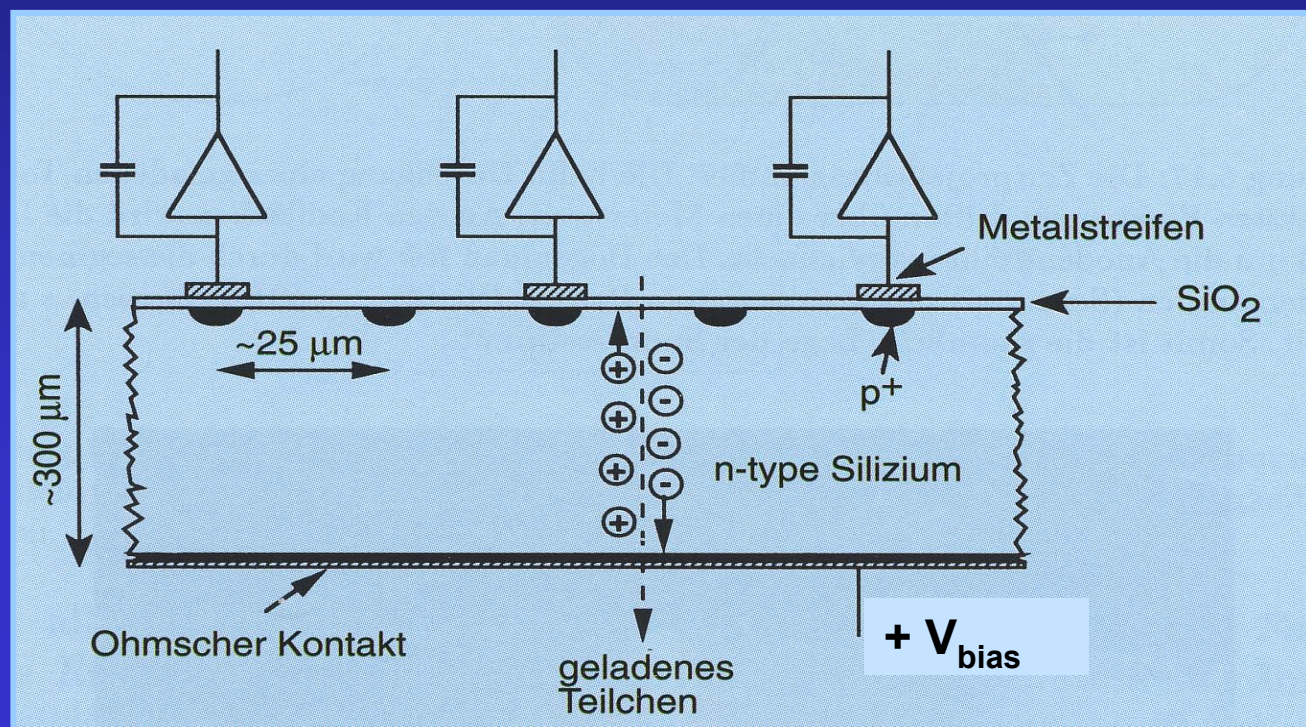




Particle detectors

semi-conductor detectors:

- diodes in reverse-biasing
- thermal electrons removed by electrical field
- passing particles produce signal
- pixel structures, resolutions up to $1\mu\text{m}$ reached

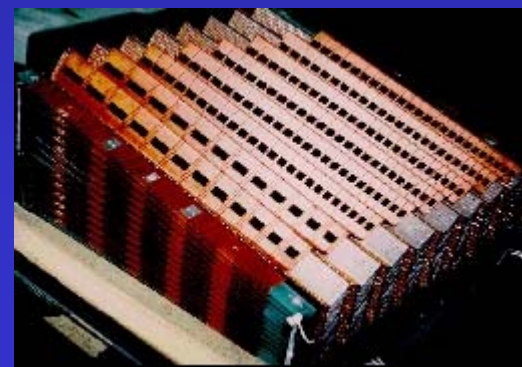
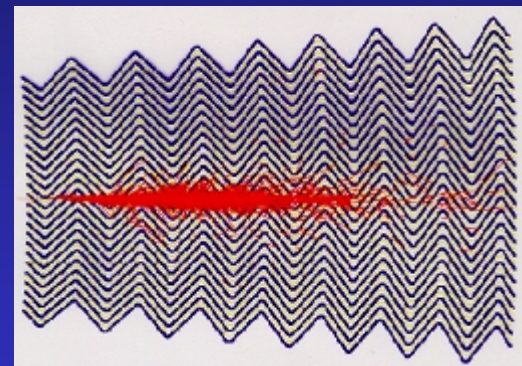




Particle detectors

calorimeters:

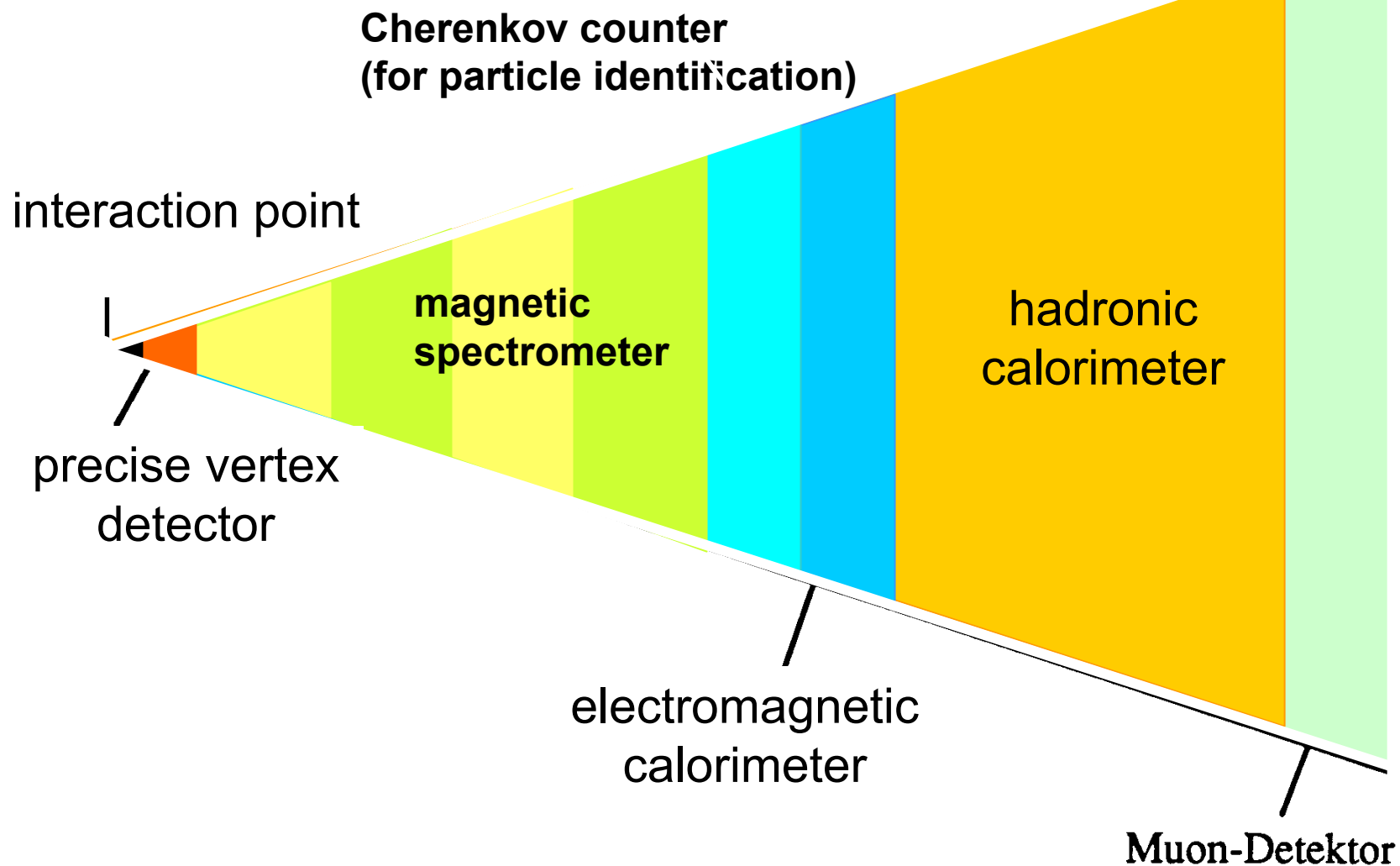
- aim: measure **energy** of particles by absorbing them
- basic physical process: particles produce a **shower of low-energetic particles** in calorimeter material
- **electro-magnetic calorimeters** use high-Z material (elm. interaction goes with Z^2); they only absorb electrons and photons totally, other particles leave only partial energy
- **hadronic calorimeters** use dense material (like lead glass); they absorb strongly-interacting particles like protons or pions, but still can be passed by muons





Particle detectors

typical structure of a modern detector





Particle detectors

Example: the BELLE detector



Aerogel
Cherenkov
Detector

1.5T Solenoid

e^+ (3.5 GeV)

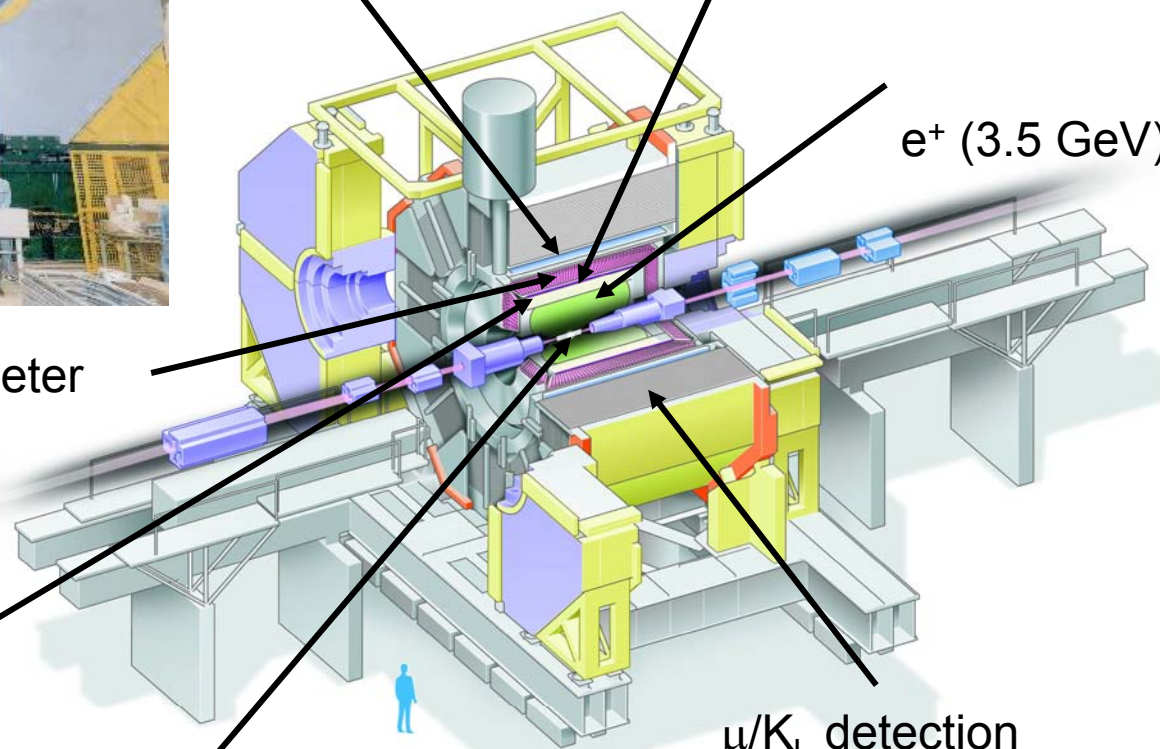
Electromagnetic Calorimeter
CsI(Tl) crystals

e^- (8 GeV)

TOF Counter

Silicon Vertex Detector
3 double sided layers

μ/K_L detection
14/15 layer RPC+Fe





Laboratories world-wide





Overview of current world-wide experiments

experiment	accelerator	lab	research topics
CDF, D0	TEVATRON	FNAL (Chicago/USA)	top physics, higgs-search
STAR	RHIC	BNL (New York/USA)	quark-gluon- plasma
BABAR	PEP II	SLAC (California/ USA)	CP violation
BELLE	KEK B	KEK (Japan)	CP violation
H1, ZEUS	HERA	DESY (Germany)	QCD
CMS, ATLAS, ALICE, LHCb	LHC	CERN (Switzerland)	higgs search, new physics



What did we learn from the experiments of the past?

- Unit III (tomorrow): Symmetries
- Unit IV (WED): The Standard Model

- END of Unit II -



Introduction to Particle Physics

Overview

Unit I: The Particle Zoo

Unit II: Accelerators & Detectors

Unit III: Symmetries

Unit IV: The Standard Model (& beyond)

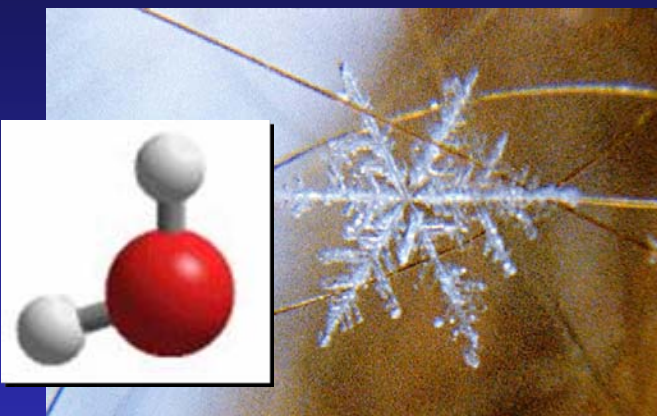
Unit V: CP-Violation in B-Decays ()



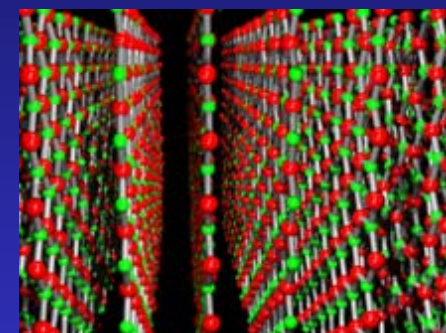
Symmetries ∞ where do we find them?

→ everywhere in nature:

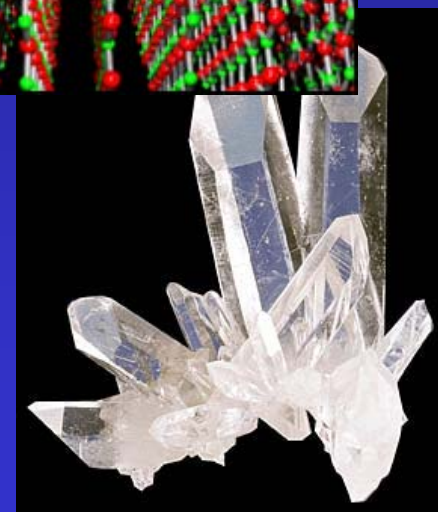
- snow flakes exhibit a 6-fold symmetry



- crystals build lattices



→ symmetries of the microcosm are also visible in the macrocosm!



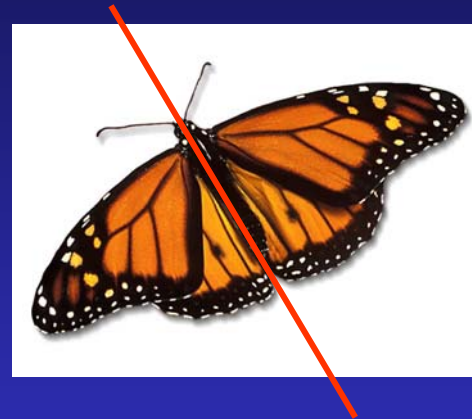


How do symmetries look like in theory?

- symmetries are described by **symmetry transformations**:

Example 1: Butterfly

symmetry transformation S_1 :
mirror all points at a line!



formally: W = „original picture“ \rightarrow W' = „mirrored picture“
apply symmetry in operator notation: $S_1 W = W'$

symmetry is given if and only if $S_1 W = W$!



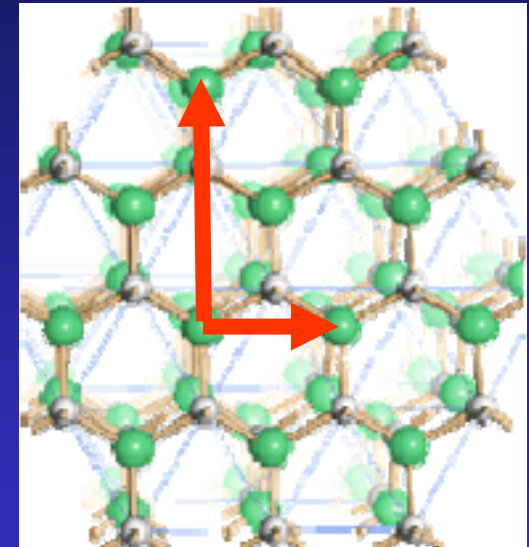
How do symmetries look like in theory?

- symmetries are described by **symmetry transformations**:

Example 2: crystal lattice

symmetry transformation S_2 :

move all points by same vector!



formally: W = „original picture“ \rightarrow W' = „moved picture“
apply symmetry in operator notation: $S_2 W = W'$

symmetry is given if and only if $S_2 W = W$!



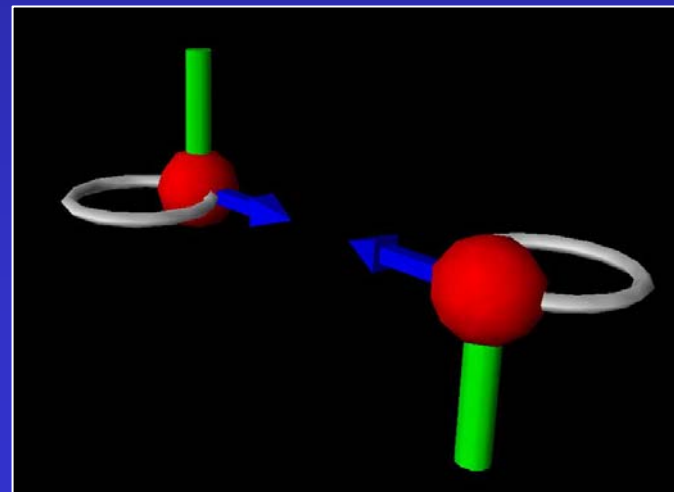
Which types of symmetries do we encounter in particle physics?

→ discrete symmetry transformations:
parity transformation P

- to mirror at a **plane**, e.g. a mirror, is easy to understand, but depends on the (arbitrary) position and orientation of the plane.
- **more general definition**: **mirror at origin (space inversion, parity transformation)**:

$$PW(x,y,z,t) := W(-x,-y,-z,t)$$

- parity transformations correspond to a rotation followed by a mirroring at a plane





Which types of symmetries do we encounter in particle physics?

→ discrete symmetry transformations:

Reversion of time's arrow: **time inversion T**

- corresponds to a **movie** played **backwards**
- in case of a movie (= everyday physics), this is spotted at once (i.e. there is no symmetry)
- however, the laws of mechanics are time-symmetric! (example: billiard)
- **definition:**

$$TW(x,y,z,t) := W(x,y,z,-t)$$





Which types of symmetries do we encounter in particle physics?

→ discrete symmetry transformations:
anti-matter : **charge conjugation C**

- for every known particle, there is also a anti-partner
- anti particles are identical to their partners with respect to some properties (e.g. mass), and opposite w.r.t. others (e.g. charge)
- charge conjugation exchanges all particles with their anti partners (and vice versa)
- **definition:**

$$CW(x,y,z,t) := \bar{W}(x,y,z,t)$$





Which types of symmetries do we encounter in particle physics?

→ continuous symmetry transformations:

(symmetry transformations that can be performed in arbitrarily small steps)

- time: physics(today) \rightarrow physics(tomorrow)

more accurate: **shift** by a time-step Δt :

$$e^{\Delta t \partial/\partial t} W(x,y,z,t) = W(x,y,z,t+\Delta t)$$

- space: physics(here) \rightarrow physics(there)

more accurate: **displacement** in space by a vector $\Delta r = (\Delta x, \Delta y, \Delta z)$:

$$e^{\Delta r \nabla} W(x,y,z,t) = W(x+\Delta x, y+\Delta y, z+\Delta z, t)$$



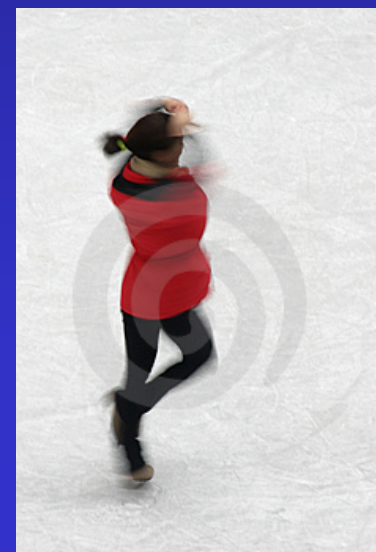
Which types of symmetries do we encounter in particle physics?

→ continuous symmetry transformations:

(symmetry transformations that can be performed in arbitrarily small steps)

- orientation: physics(north) → physics(west)
more accurate: **rotation** around an arbitrary axis in space:

$$DW(x,y,z,t) = W(x',y',z',t)$$





Which types of symmetries do we encounter in particle physics?

→ continuous symmetry transformations:

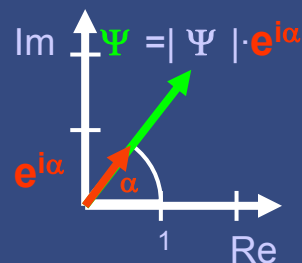
(symmetry transformations that can be performed in arbitrarily small steps)

- **U(1) transformation:**

- does not affect the outer coordinates x, y, z, t , but inner properties of particles
- U(1) is a transformation, which rotates the **phase** of a particle field (denoted as Ψ) by an angle α :

$$U(1)\Psi(x, y, z, t) = e^{i\alpha} \Psi(x, y, z, t)$$

insertion: particles are represented by fields in quantum field theory. At each point in space and time, the field Ψ can have a certain complex phase.

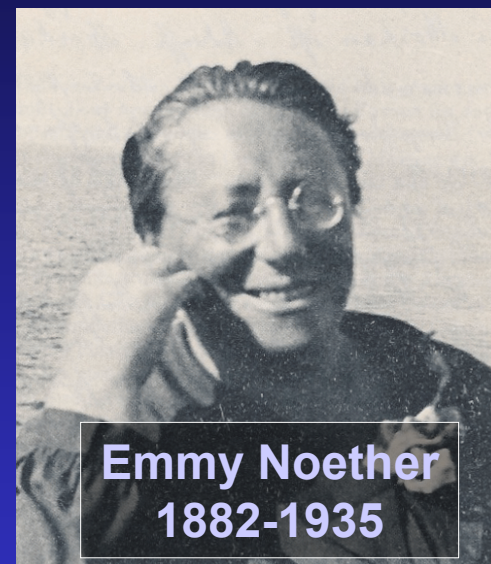




The fundamental importance of symmetries

→ Noether's theorem:

to each symmetry of a field theory corresponds a certain conserved quantity, i.e. a conservation law



that means: if a field theory remains **unchanged** under a certain **symmetry transformation S** , then there is a mathematical procedure to calculate a property of the field which **does not change with time**, whatever complicated processes are involved.



The fundamental importance of symmetries

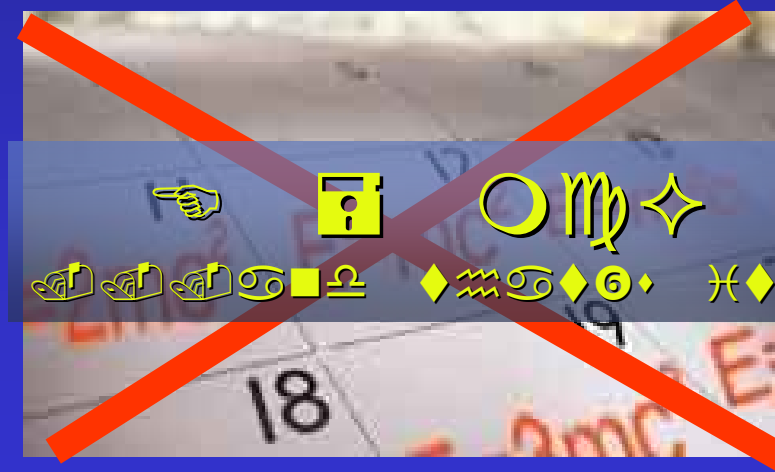
→ applications of Noether's theorem:

also tomorrow the sun will rise → the conservation of energy

- the laws of physics do not change with time
- **more accurate**: the corresponding field theory is invariant under time shifts:

$$e^{\Delta t \frac{\partial}{\partial t}} W(x,y,z,t) = W(x,y,z,t+\Delta t) \stackrel{!}{=} W(x,y,z,t)$$

From **Noether's theorem** follows the conservation of a well-known property:
energy!





Insertion (just to be clear):

→ we are talking about properties of the underlying theory, not a certain physics scenario

Example: chess

- there is **virtually an infinite number of ways** a game of chess can develop
- a game **tomorrow** can be **completely different** from that **today**

but:

- the **rules** of chess **remain the same**, they are **invariant under time shifts!**





The fundamental importance of symmetries

→ applications of Noether's theorem:

it's the same everywhere → the conservation of momentum

- the laws of physics do not depend on where you are
- **more accurate:** the corresponding field theory is invariant under space displacements:

$$e^{\Delta \mathbf{r} \cdot \nabla} W(\mathbf{x}, \mathbf{y}, \mathbf{z}, t) = W(\mathbf{x} + \Delta \mathbf{x}, \mathbf{y} + \Delta \mathbf{y}, \mathbf{z} + \Delta \mathbf{z}, t) \stackrel{\text{red pen}}{=} W(\mathbf{x}, \mathbf{y}, \mathbf{z}, t)$$

From **Noether's theorem** follows the conservation of another well-known property: **momentum!**





The fundamental importance of symmetries

→ applications of Noether's theorem:
going round and round – the conservation of angular momentum

- the laws of physics do not depend on which way you look
- **more accurate:** the corresponding field theory is invariant under rotations:

$$D W(x, y, z, t) = W(x, y, z, t)$$

From Noether's theorem follows the conservation of yet another well-known property: **angular momentum!**





The fundamental importance of symmetries

→ applications of Noether's theorem:

even more abstract symmetries get a meaning:
the conservation of charge

- as it turns out, the field theory of electro-dynamics is invariant under a global* U(1) transformation:

$$U(1)\Psi(x,y,z,t)=e^{i\alpha}\Psi(x,y,z,t) \rightarrow W' \stackrel{!}{=} W$$

From **Noether's theorem** follows the conservation of **charge**!

* global means affecting all space-points x,y,z,t the same





Overview

symmetries and conservation laws

<u>symmetry</u>	<u>conservation law</u>
time	energy
space	momentum
rotation	angular momentum
U(1) phase	charge



Are symmetries perfect?

→ the small imperfections make it more interesting...

is physics really perfectly symmetric?

- obviously, many things in our macroscopic world are not symmetric
- but is this also true for the fundamental laws of physics?



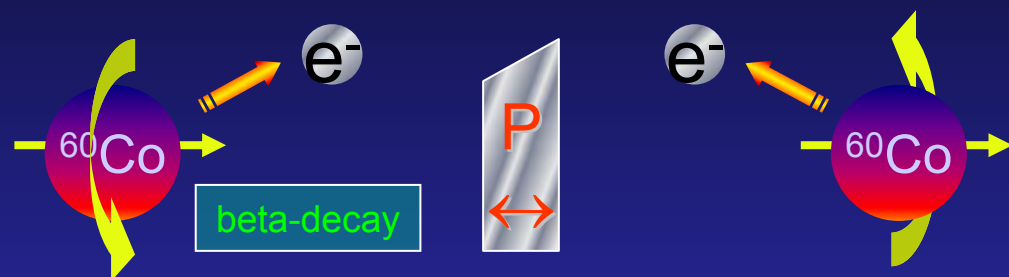
→ **Originally** it seemed that nature does **not only** exhibit the previously discussed **continuous symmetries**, but the **discrete symmetries** as well:

- **P** (parity = mirror symmetry)
- **T** (time inversion)
- **C** (charge conjugation)



Are symmetries perfect?

→ the Wu experiment



- **originally**, all experiments indicated that the microcosmic world is **perfectly mirror-symmetric**
- **1956 Tsung-Dao Lee and Chen Ning Yang** postulated a **violation of parity** for the **weak interaction**
- in the same year, **Chien-Shiung Wu** demonstrated the violation **experimentally**

→ nature is not mirror-symmetric,
P-symmetry (parity) is violated



Chien-Shiung Wu
1912-1997



Tsung-Dao Lee &
Chen Ning Yang



Are symmetries perfect?

a deeper understanding of the Wu experiment



- also (undetected) **anti-neutrinos** are emitted
- anti-neutrinos have a spin that is always orientated in the direction of movement (they are „**right-handed**“)
- since a **P-transformation** changes the direction of movement, but not the spin, it produces a „**left-handed**“ anti-neutrino
- as it turns out, **a left-handed anti-neutrino does not exist in nature at all!**
- therefore, **P-symmetry** is said to be **maximally violated**



Are symmetries perfect?

P violation \propto but maybe a CP symmetry?



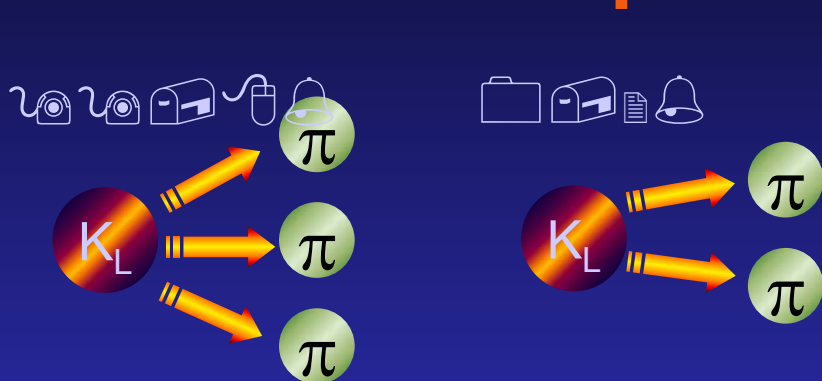
- there is **no left-handed anti-neutrino**, but there is a **left-handed neutrino** (and only a such-handed!)
- obviously, this violates **C-symmetry** (symmetrie between matter and anti-matter)
- **BUT: the combined symmetry transformation CP** (exchange matter/anti-matter plus mirroring) **works**:





Are symmetries perfect?

→ the kaon experiment of 1964



long-lived kaon decay into pions



- if there is **CP**-symmetry in nature, by **Noether's theorem** there is also a corresponding **conserved quantum number „CP“**
- one has to know that mesons like the kaon or the pion are **pseudo-scalars**, which mean they change sign under a **P**-transformation:
 $\mathbf{P}K = -K, \mathbf{P}\pi = -\pi$
- therefore, CP is conserved for the decay of the long-lived kaon into **three** pions, but not for the decay into **two**

→ **CP-Symmetry is (slightly) violated**



Are symmetries perfect?

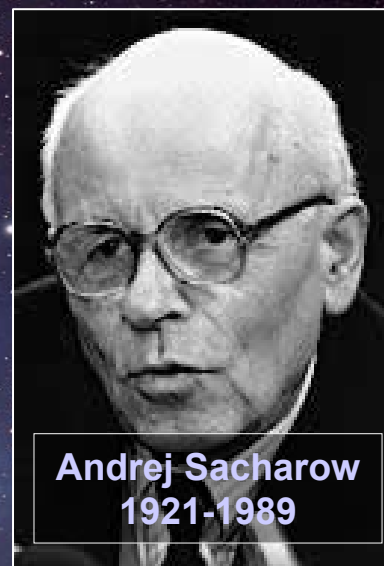
→ implications of CP-violation in cosmology

why CP-violation is important for our existence:

- our **universe** consists – as far as we know – **almost completely of matter**
- but where is the **anti-matter**?
- and why haven't matter and anti-matter just **annihilated**?

→ possible explanation:

- at **big bang**, there have been large amounts of both **matter and anti-matter**
- almost all of them **annihilated**
- but **smallest asymmetries** in the laws of nature for matter and anti-matter left a **tiny excess of matter**: the matter our universe is made of!
- 1967, **Andrej Sacharow** gave a **list of conditions** for this explanation
- one of it is **CP-violation**



Andrej Sacharow
1921-1989

Without CP-violation, our universe would not be the one we know!



Are symmetries perfect?

→ ④ last hope ⑧ CPT-symmetry?

- the **CPT-theorem** states that under very general conditions, quantum field theories always have to exhibit **CPT-symmetry**
- also **experimentally**, no violations have been observed so far

→ **CPT-Symmetry** is (as far as we know today) not violated

- **interesting side remark**: as a consequence of **CPT-symmetry** together with **CP-violation**, there has to exist a **violation of T-symmetry**
- that means: the fundamental laws of nature are not time-symmetric, **there is a special direction of time even at microscopic level**
- „future IS different from the past, after all!“



Overview

discrete symmetries

<u>symmetry</u>	<u>valid in the universe?</u>
P (mirroring)	✗
C (exchange matter/anti-matter)	✗
T (time inversion)	✗
CP (combination of C and P)	✗
CPT (combination of C,P & T)	✓



How symmetries make theories

→ QED, the quantum theory of light

remember:

- physics is **invariant** under a **U(1)-transformation** of the particle field Ψ ,

$$\mathbf{U(1)} \Psi(x,y,z,t) = e^{i\alpha} \Psi(x,y,z,t)$$

- the phase α here is **global**, that means a **synchronous phase transformation** of all particles **in the whole universe!**

the idea:

- replace global transformation by a local one:

$$\mathbf{U(1)} \Psi(x,y,z,t) = e^{i\alpha(x,y,z,t)} \Psi(x,y,z,t) \text{ ?}$$

(**different particles** at different positions get transformed **independently**)





How symmetries make theories

→ QED, the quantum theory of light

consequence of a local $U(1)$ transformation:

- if **only particles** are transformed (**not including their electromagnetic interaction**), then the theory is not invariant under local $U(1)$ transformations!
- however, if **electromagnetic interaction** is included, then the theory

is locally $U(1)$ symmetric!

- this works **only**, because the electromagnetic interaction **has just the right form**

→ coincidence or deeper truth?





How symmetries make theories

→ QED, the quantum theory of light

the modern view:

- for a given global symmetry, it is **postulated** that it is also valid locally
- from this, one gets **automatically** an **interaction** connected with this symmetry
- in addition, one gets additional particles (**force carriers**, for **U(1)** it is the **photon**), which mediate the interaction



each local symmetry produces an interaction
plus new particles which mediate it

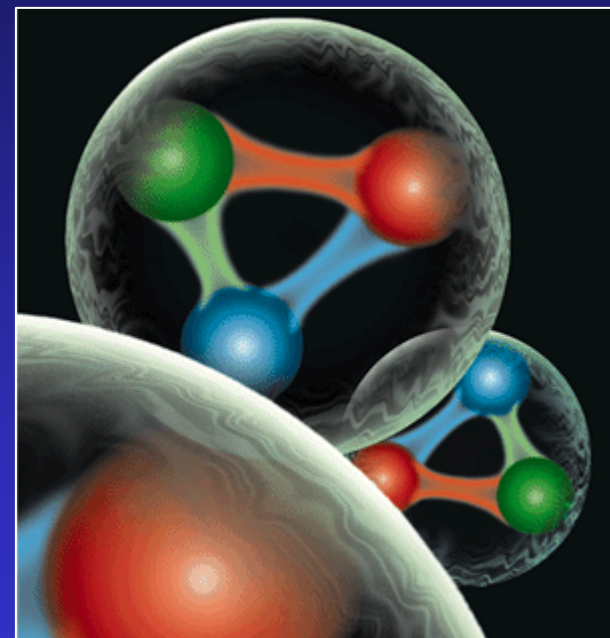


How symmetries make theories

→ Quantum-Chromo-Dynamics (QCD) the theory of the strong force

- experiments showed that protons (and neutrons) have an **inner structure**
- the observed symmetries suggested the postulation of the existence of 3 **quarks** inside the nucleon.
- quarks have an additional property, called **color**

there are three color states: red, green, blue





How symmetries make theories

→ Quantum-Chromo-Dynamics (QCD) the theory of the strong force

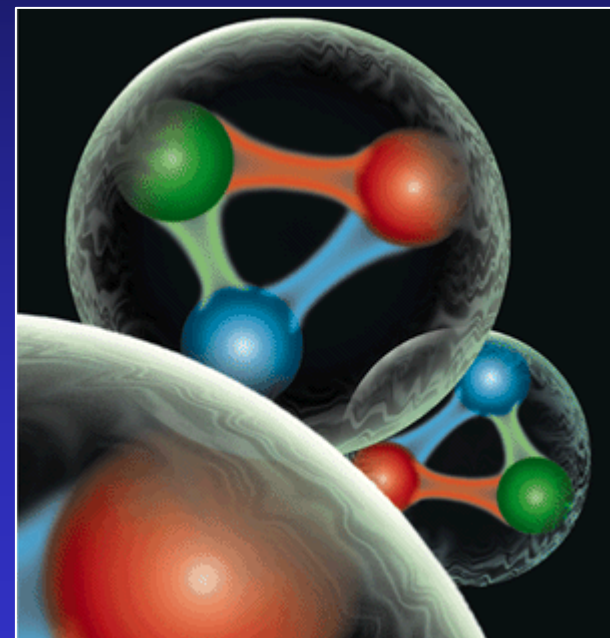
- **idea**: there is a **symmetry** between different color states, i.e. they can be **arbitrarily re-mixed** without changing the theory:

„new colors“

$$\text{red } q = A_{rr} \text{red } q + A_{rg} \text{green } q + A_{rb} \text{blue } q$$

$$\text{green } q = A_{gr} \text{red } q + A_{gg} \text{green } q + A_{gb} \text{blue } q$$

$$\text{blue } q = A_{br} \text{red } q + A_{bg} \text{green } q + A_{bb} \text{blue } q$$



- mathematically, this corresponds to a **3x3 matrix A**, and the symmetry group is known as **SU(3)**

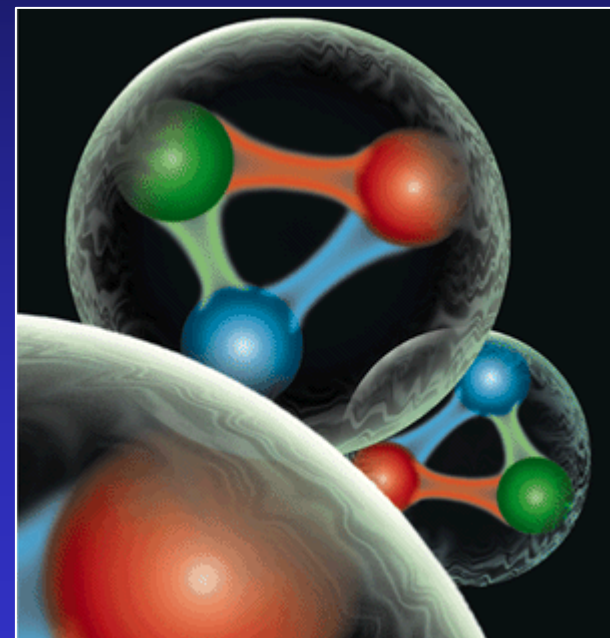


How symmetries make theories

→ Quantum-Chromo-Dynamics (QCD) the theory of the strong force

- by postulating a **local SU(3) symmetry**, one automatically gets a **new kind of interaction** between the quarks
- it is known as **strong force**, the corresponding force carriers are called **gluons**
- it is responsible for the **binding of mesons and baryons**
- and as well for the **stability of nuclei**

the color symmetry of quarks enables the existence of atoms!





next:

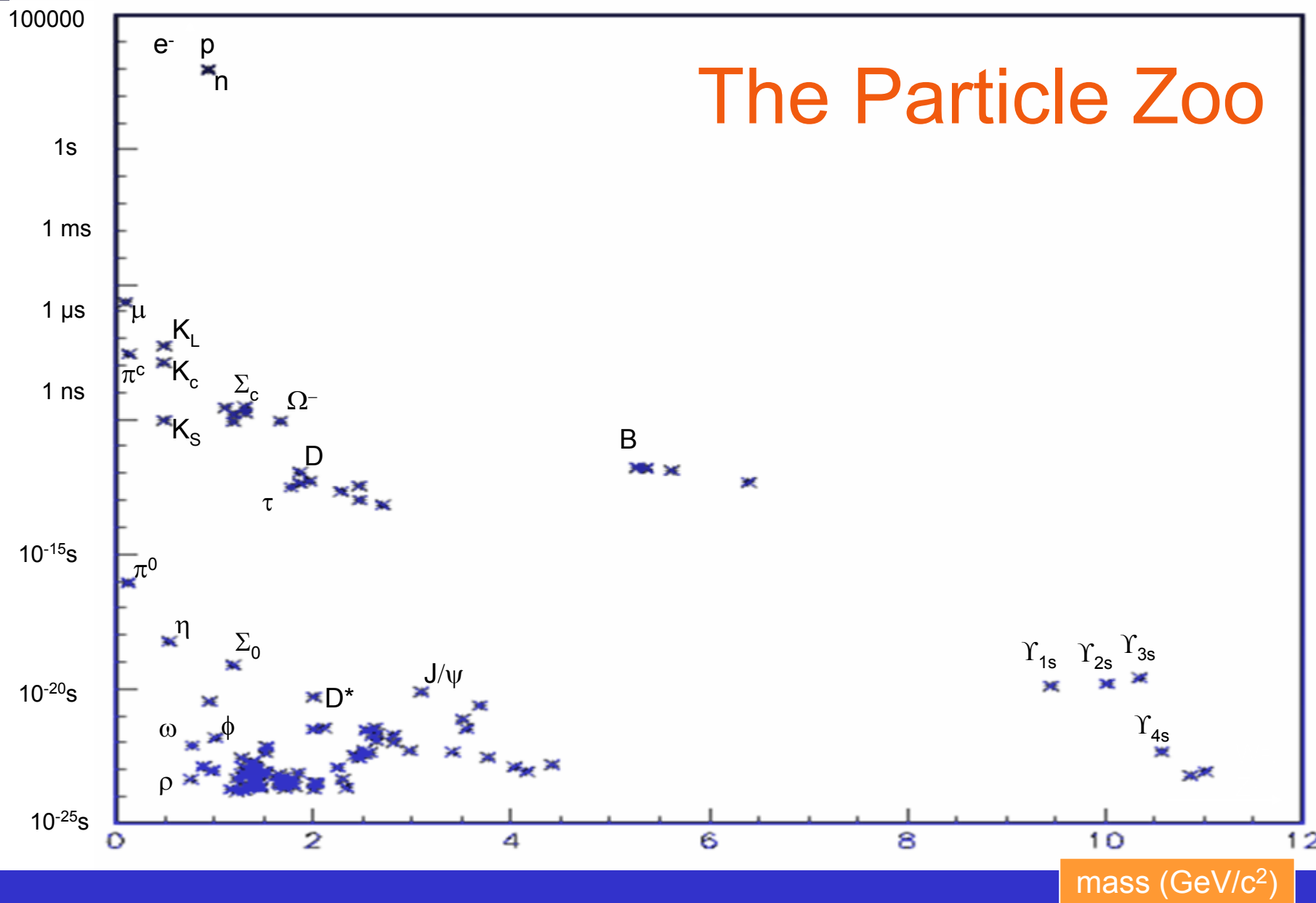
→ putting everything together:
the standard model

- break -



mean life time (s)

The Particle Zoo





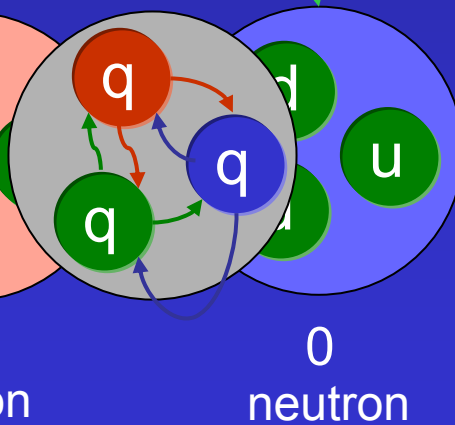
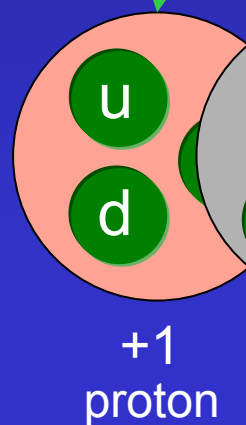
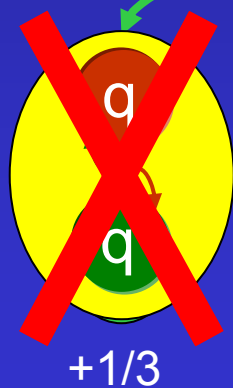
The Standard Model - Overview

particles

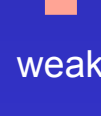
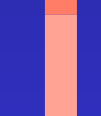
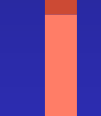
fermions (spin $\frac{1}{2}$)

bosons (spin 1,2)

leptons			quarks				
charge			charge				
0	ν_e	ν_μ	ν_τ	$+\frac{2}{3}$	u	c	t
-1	e	μ	τ	$-\frac{1}{3}$	d	s	b
	1st	2nd	3rd	generation	1st	2nd	3rd



strong



g

strong force

γ

electromagnetic

W, Z

weak force

?

gravity

interactions

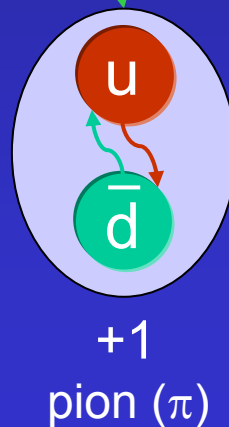
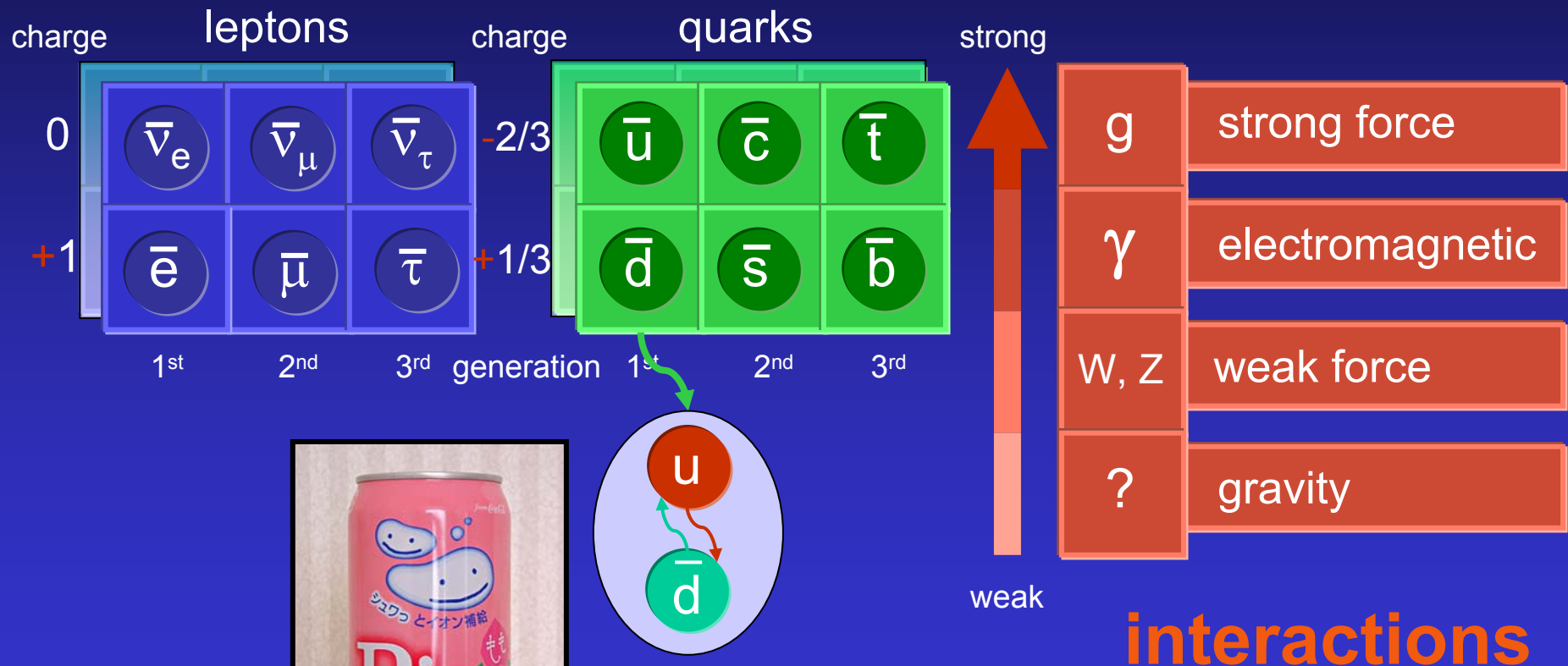


The Standard Model - Overview

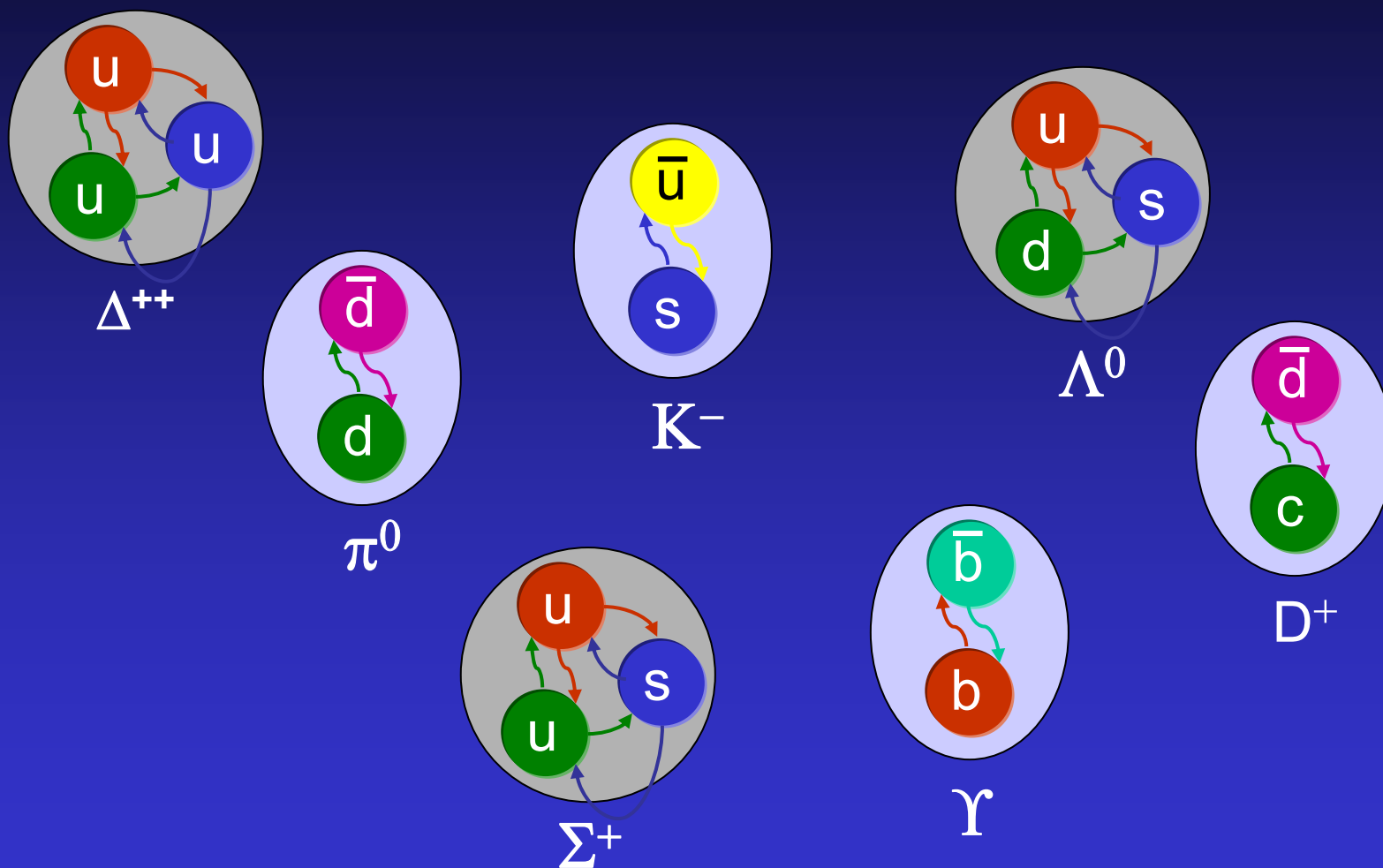
anti particles

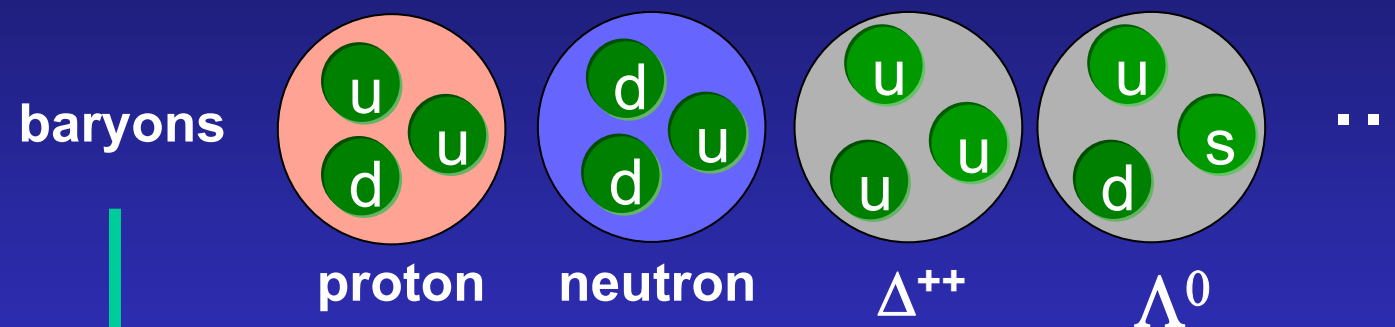
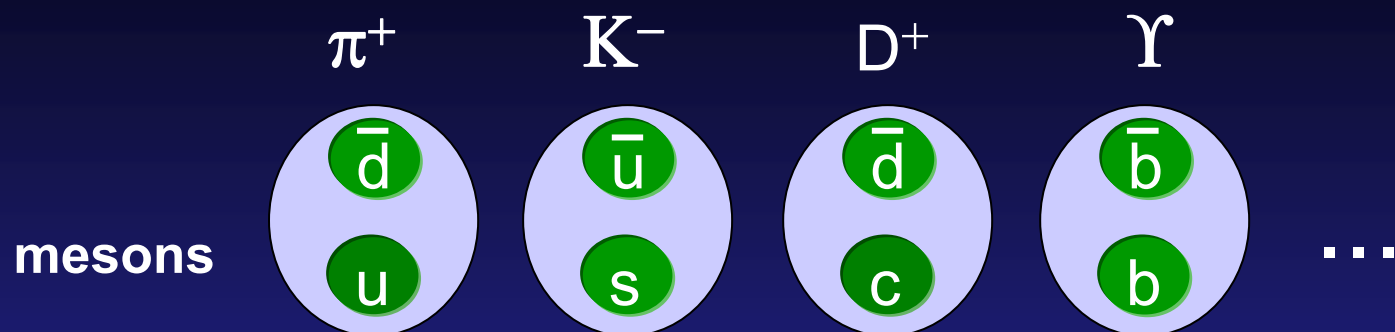
fermions (spin $\frac{1}{2}$)

bosons (spin 1,2)

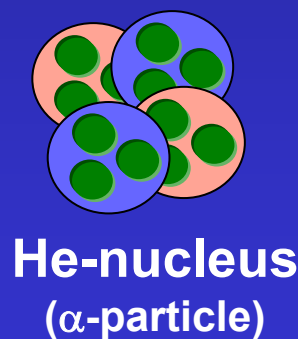


interactions

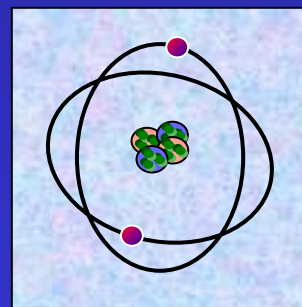




nucleus



atom



matter



How symmetries make theories

→ sketch of electro-weak interaction

fermions (spin $\frac{1}{2}$)

charge	leptons			charge	quarks		
0	ν_e	ν_μ	ν_τ	+2/3	u	c	t
-1	e	μ	τ	-1/3	d	s	b
	1st	2nd	3rd	generation	1st	2nd	3rd

$$\nu_e = A_{uu} \nu_e + A_{ud} e$$

$$e = A_{du} \nu_e + A_{dd} e$$

$$u = A_{uu} u + A_{ud} d$$

$$d = A_{du} u + A_{dd} d$$

- postulating a **local SU(2) symmetry** between up- and down-type particles produce a **new kind of interaction** for leptons and quarks
- however, since **only left-handed neutrinos exist**, this symmetry can only involve left-handed electrons
- for **right-handed particles**, a separate **U(1)-symmetry** is postulated
- together they form the **electro-weak theory** of the standard model



Overview

Symmetries and Interactions

<u>symmetry</u>	<u>interaction</u>
U(1) (symmetry of right-handed leptons and quarks)	electromagnetic
SU(2) (symmetry of left-handed up- and down-type leptons and quarks)	weak
SU(3) (symmetry of quarks)	strong
? (is it a symmetry of space-time geometry itself, or something qualitatively different?)	(quantum-) gravity



symmetry breaking

example: **chess**

- the rules of chess are in principle **absolutely symmetric for both players**
- i.e. the rules how the pieces move are the same for black and white

but:

- **symmetry is broken** at the **beginning**, due to the initial setup of the pieces
- therefore, e.g. a bishop never can change the color of the field it is standing on



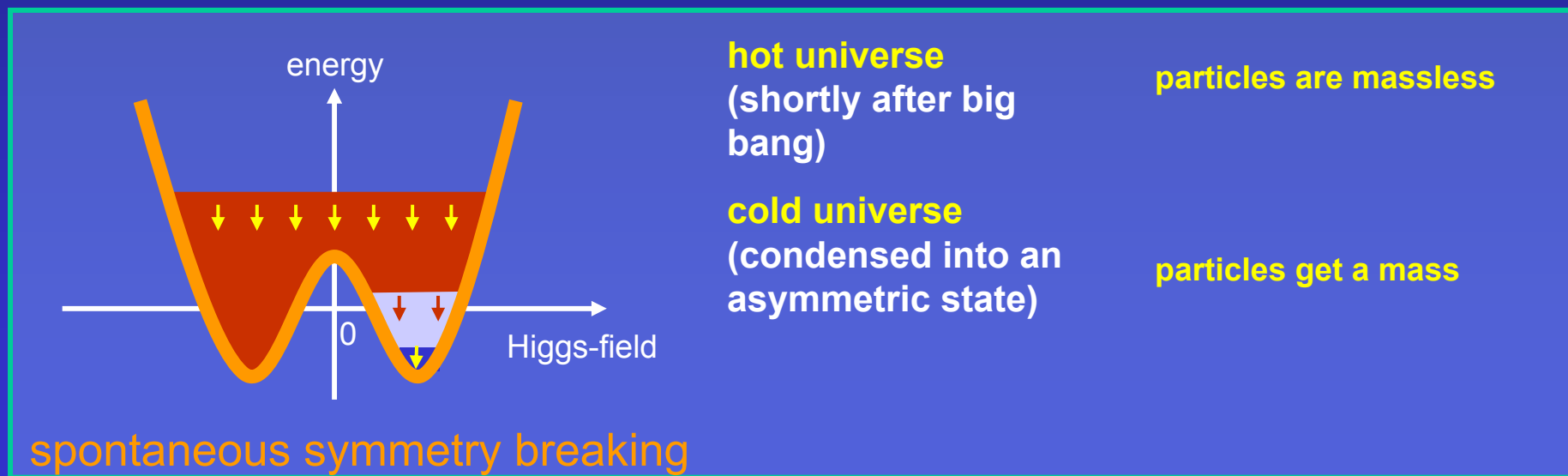


symmetry breaking

→ the origin of mass

In the standard model, the particle's masses are an effect of symmetry breaking:

- originally, **all particles are massless**
- but there is an additional interaction with the so-called **Higgs-field**
- if there were no Higgs-field, the interaction would have no effect
- however, due to a **spontaneous symmetry breaking**, the whole universe is filled with a non-zero Higgs-field
- the interaction with this omni-present field produces what we know as mass of particles





symmetry breaking

→ the search for the higgs

- the **existence of the Higgs-field** is up to today **not experimentally confirmed!**
- a theory of a omni-present, static field, whose only effect is giving particles their mass can not be falsified by principle
- however, a consistent theory also predicts excitations of the Higgs-field: **Higgs particles**
- the interaction of these Higgs particles with ordinary particles (and its strength) is completely determined by theory

→ the necessary energy and luminosity for the hunt for the higgs will be provided by the **LHC (Large Hardon Collider)** at **CERN**

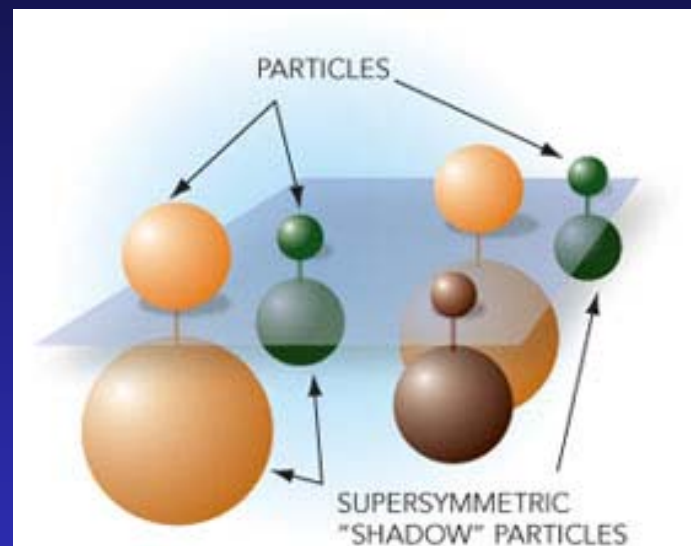
the result of the search for the higgs will be one of the most important scientific results of the next years!



Beyond the Standard Model: Super-Symmetry (SUSY)

→ the idea:

- SUSY is a **symmetry between fermions and bosons**
- for that it is necessary to **double** the number of particles:
 - each **fermion** gets a super-symmetric, bosonic sfermion partner, e.g. **top** → **stop**
 - each **boson** gets a super-symmetric, fermionic ino partner, e.g. **gluon** → **gluino**





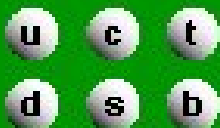
Super-Symmetry (SUSY)

Teilchen

SUSY Partner

Materieteilchen

Quarks



Leptonen



Kräfteteilchen

Photon



W, Z Boson



Gluon



Graviton



Sfermionen

Squarks



Sleptonen



Gauginos

Photino



W-ino, Z-ino



Gluino



Gravitino



Higgsteilchen



Higgsinos



- the **green** region shows **particles already known**
- the **red** region shows **newly postulated particles, which have not been found in experiment yet**



About CP-Violation & BELLE, the experiment I am working in:

→ Unit V (FRI): CP-Violation in B decays

- END of Unit IV -



Introduction to Particle Physics

Overview

Unit I: The Particle Zoo

Unit II: Accelerators & Detectors

Unit III: Symmetries

Unit IV: The Standard Model (& beyond)

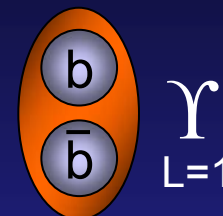
Unit V: CP-Violation in B-Decays ()



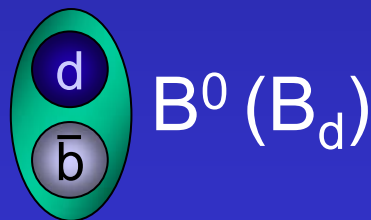
The B-Meson

History

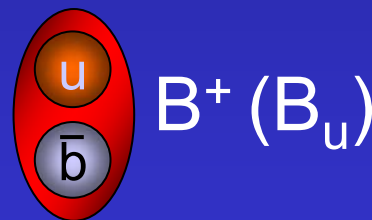
- 1977 Discovery of b-quark in $\Upsilon(1S)$ at FNAL (USA)
- 1978 $\Upsilon(1S)$ and $\Upsilon(2S)$ at DESY (Germany)
- 1982 First observation of B-Mesons at CERN (USA)
- 1983 Measurement of inclusive b lifetime at PEP & PETRA
- 1987 $B^0 \bar{B}^0$ Oscillations discovered at DESY (Germany)
- 1992 Evidence of B_s
- 1993 Observation of time-dependent oscillations
- 1994 Measurement of exclusive B lifetime
- 1998 Discovery of B_c
- 2001 CP-Violation found at PEP-II (USA) and KEKB (Japan)
- 2004 direct CP-Violation established



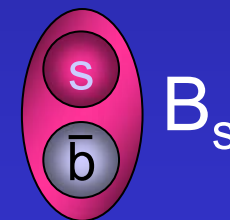
$m(1S) = 9.46 \text{ GeV}$
 $m(2S) = 10.2 \text{ GeV}$
 $m(3S) = 10.4 \text{ GeV}$
 $m(4S) = 10.6 \text{ GeV}$



$m = 5.28 \text{ GeV}$
 $m(\Upsilon(4S)) - 2m(B^0) = 21 \text{ MeV}$
 $c\tau = 460 \mu\text{m} (!)$



$m = 5.28 \text{ GeV}$



$m = 5.37 \text{ GeV}$
 $m(\Upsilon(4S)) - 2m(B^0) = -159 \text{ MeV}$
 $c\tau = 440 \mu\text{m}$



Production of B Mesons

1st Question: How to produce the B-Mesons?

for precision measurements, a very large number of B-Mesons is needed

→ **Method 1: an historical way** – produce via $Z_0 \rightarrow b\bar{b}$

- by-product; experiments not designed (optimized) for B physics
- realized in: LEP experiments (Geneva, CH), SLD (Stanford, US)

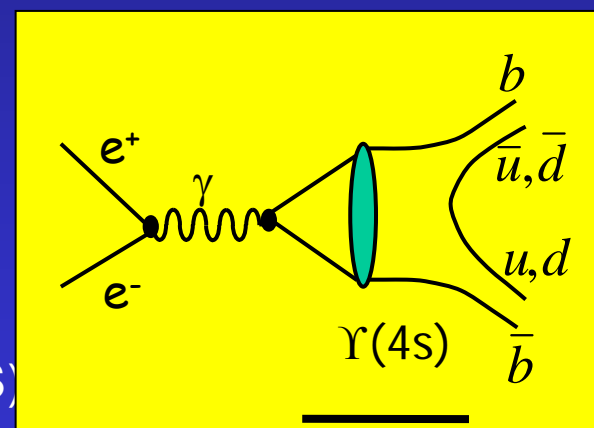
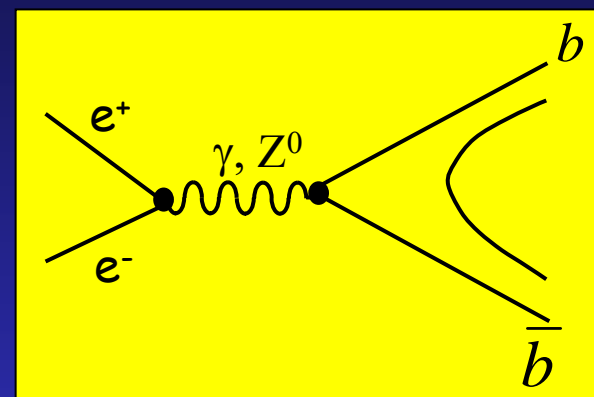
→ **Method 2: the modern way** – exploit the $\Upsilon(4S)$ resonance to enhance BB production

- **pro:** B-Mesons are produced just above threshold, small background; pure background can be easily studied by going slightly below threshold
- **con:** only $B_{u,d}$ are produced, no B_s
- realized in: DORIS II (Hamburg, DE), CESR (Cornell, US)

↑ pioneers (ARGUS, CLEO)

PEP-II (Stanford, US) / KEKB (Tsukuba, JP)

↑ B-Factories (BaBar, Belle)





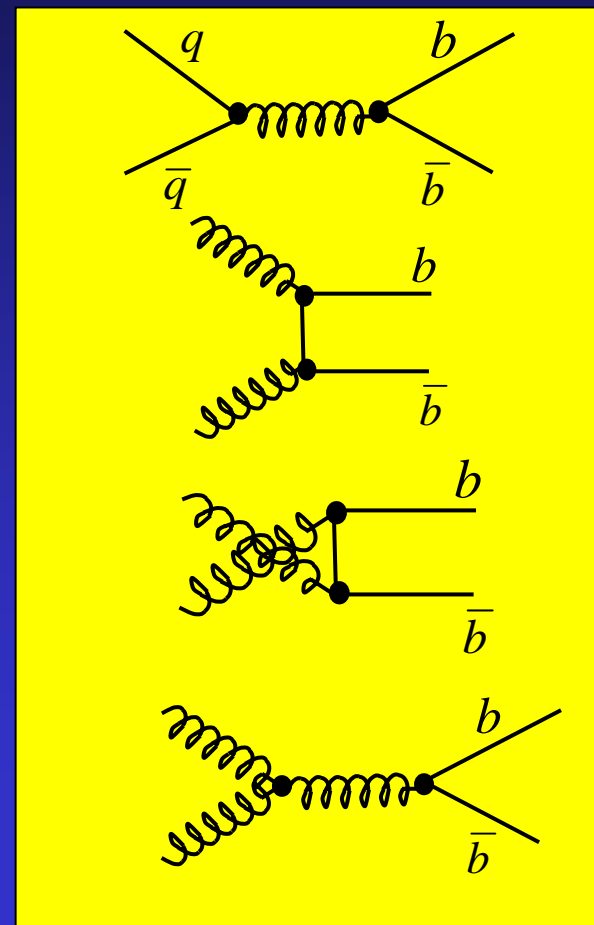
Production of B Mesons

1st Question: How to produce the B-Mesons?

for precision measurements, a very large number of B-Mesons is needed

→ **Method 3: hadron colliders** - smash hadrons at high energies

- **pro**: B-Mesons can be copiously produced in very large numbers
- **con**: large hadronic background
- realized in: CDF, DØ (Fermilab, US)
future LHC experiments (especially LHCb)

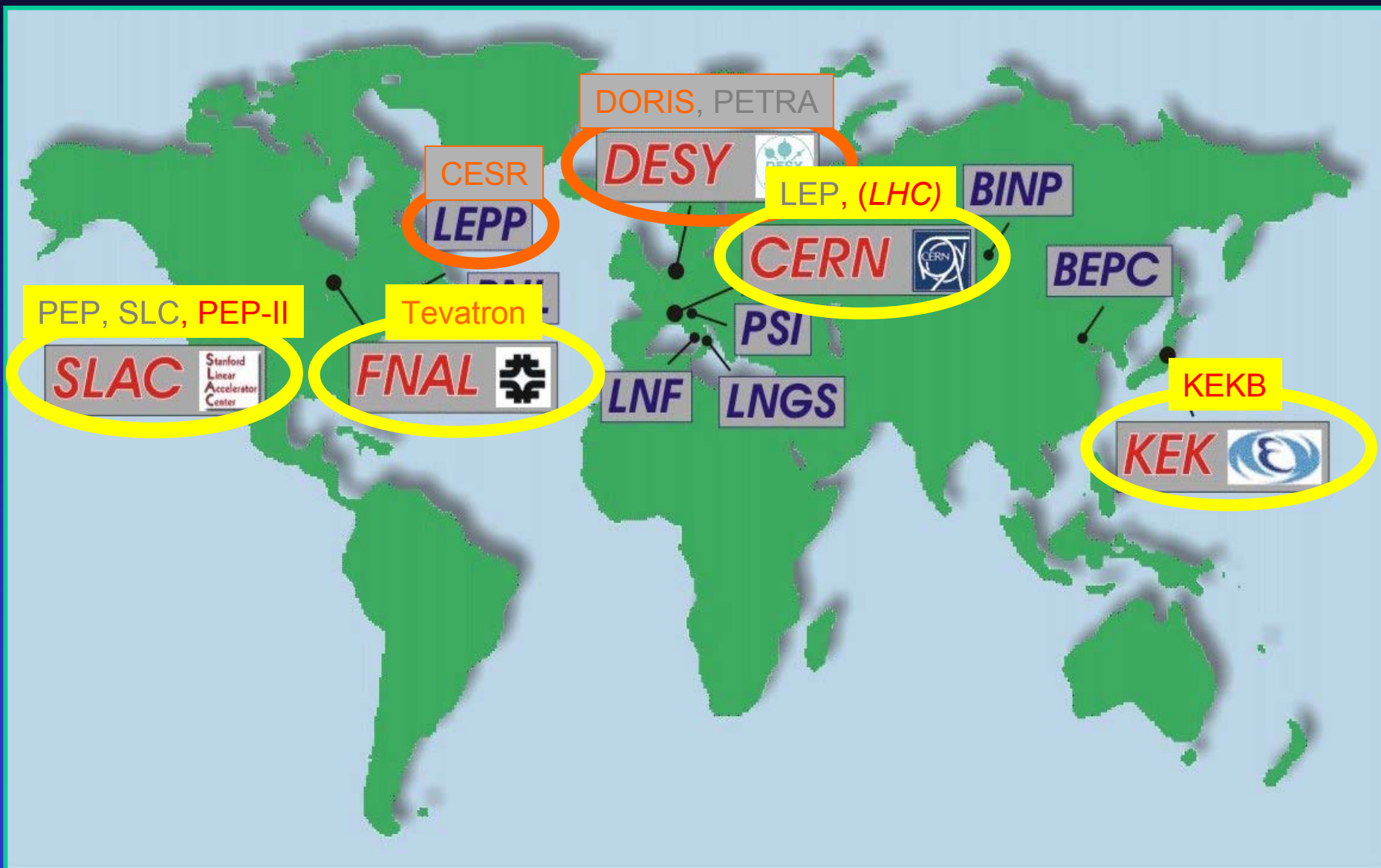


The diagram illustrates the layout of the PEP II accelerator. It starts with an **e-gun** and a **200 MeV injector** on the left. The beam travels through the **North Damping Ring (1.15 GeV)** and **South Damping Ring (1.15 GeV)**, which are represented by vertical loops. It then passes through a **Linac**. Two injectors, the **Sector-4 PEP II e^+ injector** and the **Sector-10 PEP II e^- injector**, are shown as vertical lines intersecting the main beam path. The beam continues through the **Positron Return Line** and **Positron Source**. It then splits into two bypasses: the **PEP II Low Energy Bypass (LEB)** and the **PEP II High Energy Bypass (HEB)**. These lead to the **PEP II Low Energy Ring (LER) [3.1 GeV]** and the **PEP II High Energy Ring (HER) [9 GeV]**, respectively. The **PEP II IR-2 Detector** is located at the end of the HER. A scale bar at the bottom indicates a length of **3 km**.



Production of B Mesons

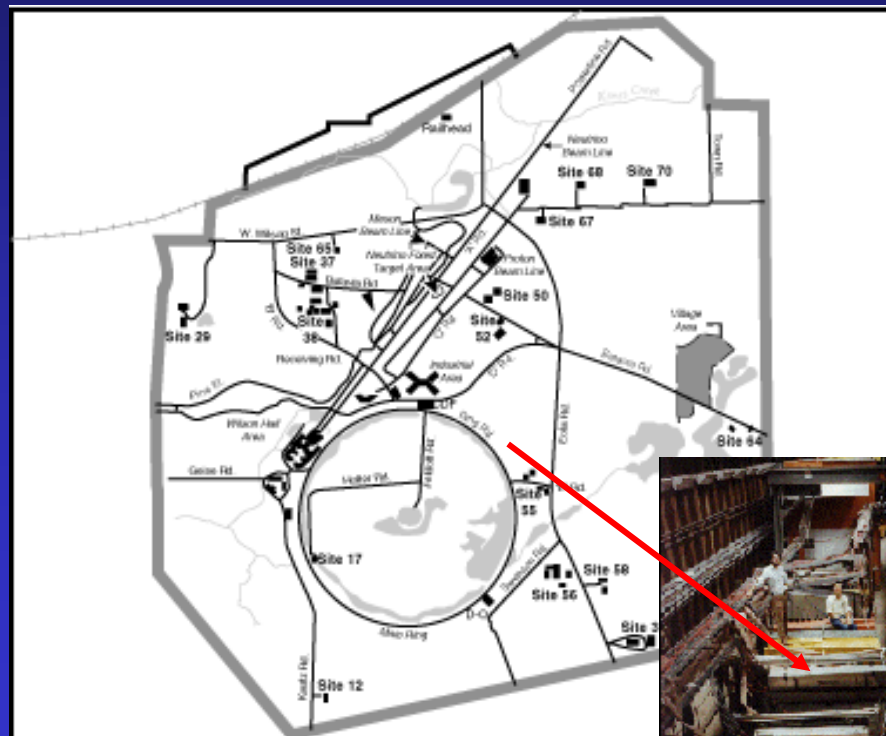
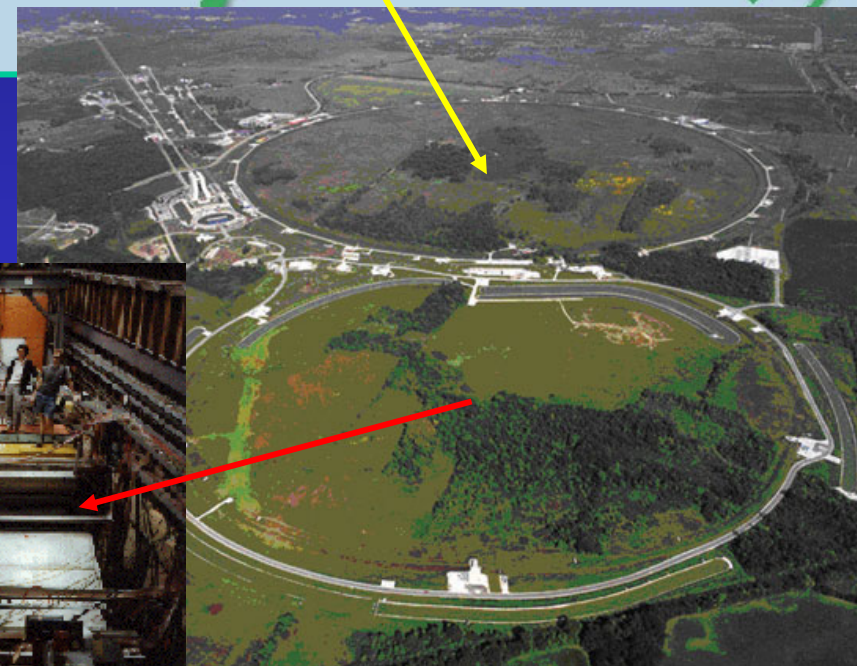
Overview of Colliders



B Meson Experiments The Past – First Discoveries



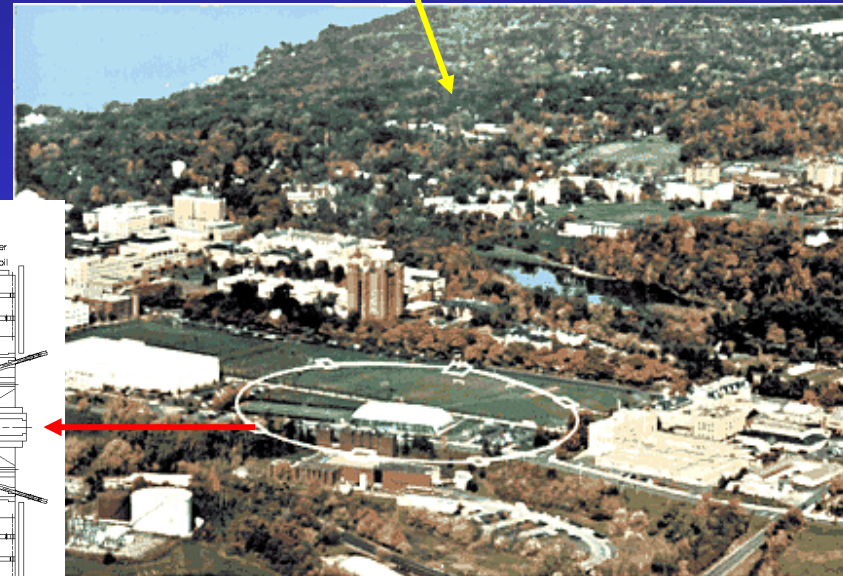
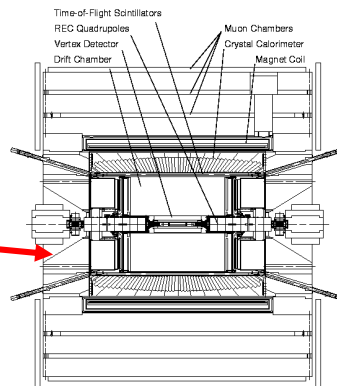
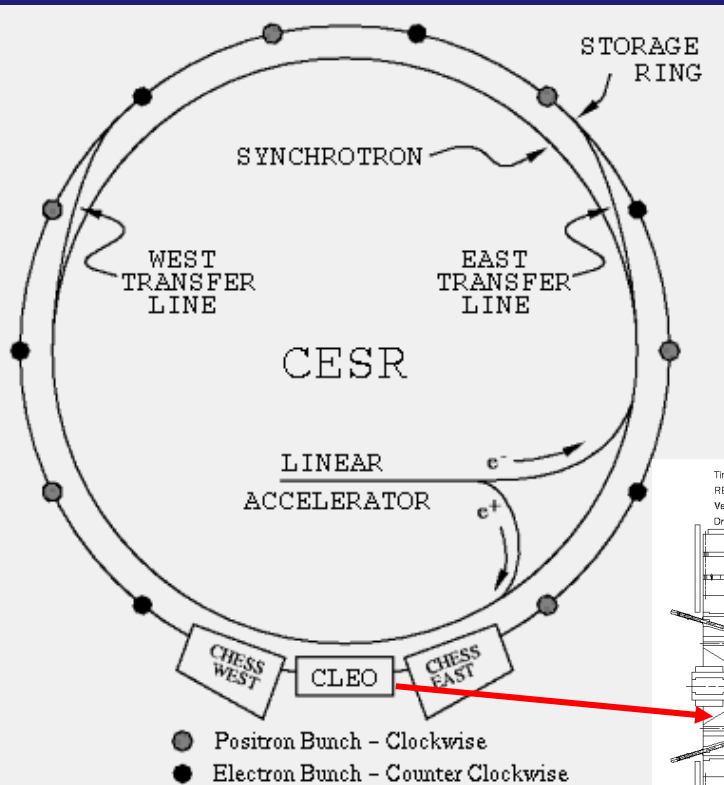
- 1977 Discovery of b-quark in $\Upsilon(1S)$

Fermi National Accelerator
Laboratory



1979 – 1989

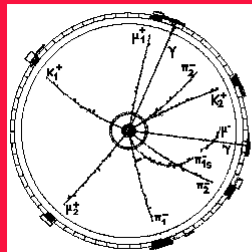
- 1982 Discovery of B-Meson
- 1989 upgraded to CLEO-II





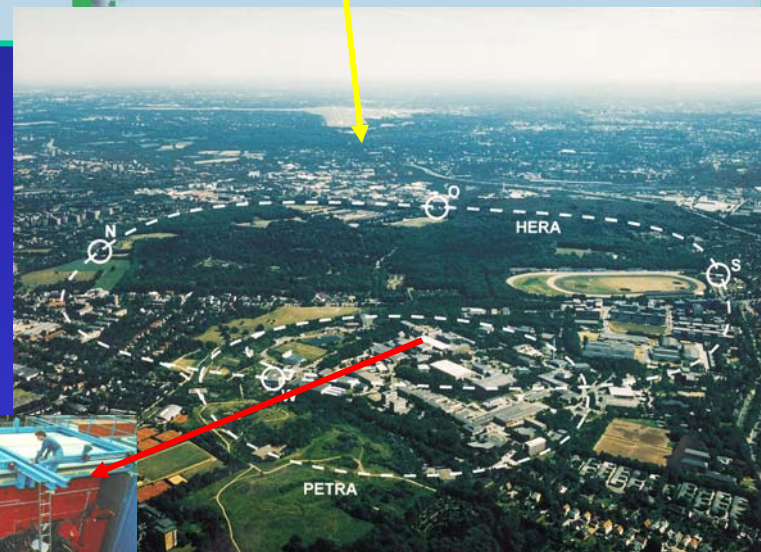
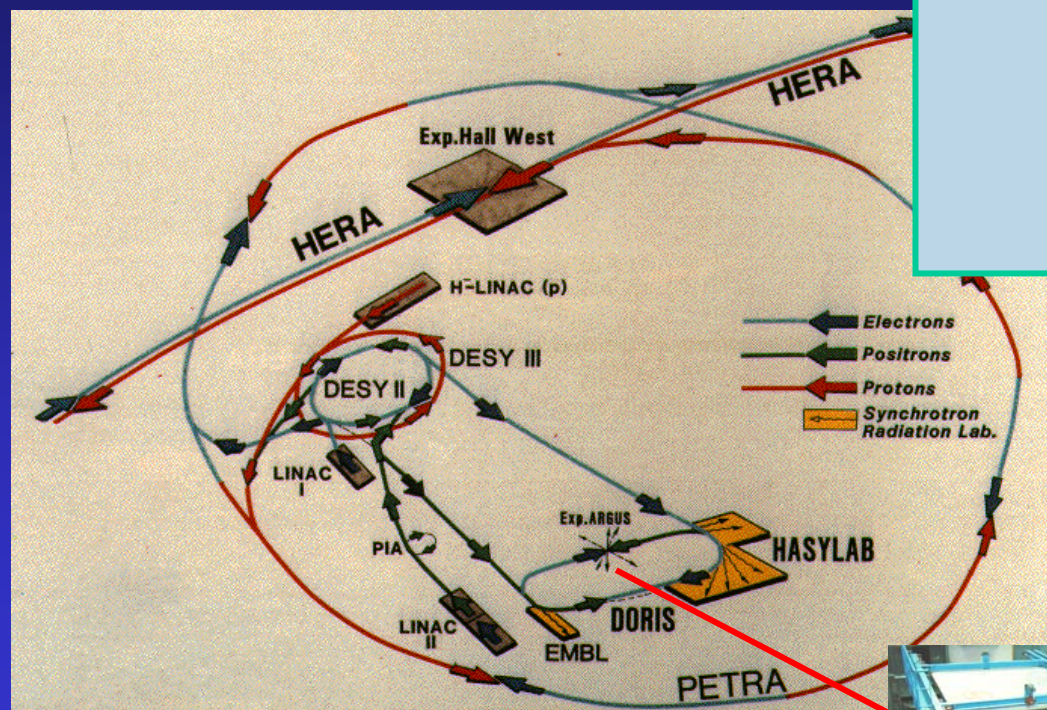
B Meson Experiments The Past – First Discoveries

1982 – 1993



ARGUS

• 1987 Discovery of $B\bar{B}$ -Oscillations





B Meson Experiments The Present – B Factory Experiments

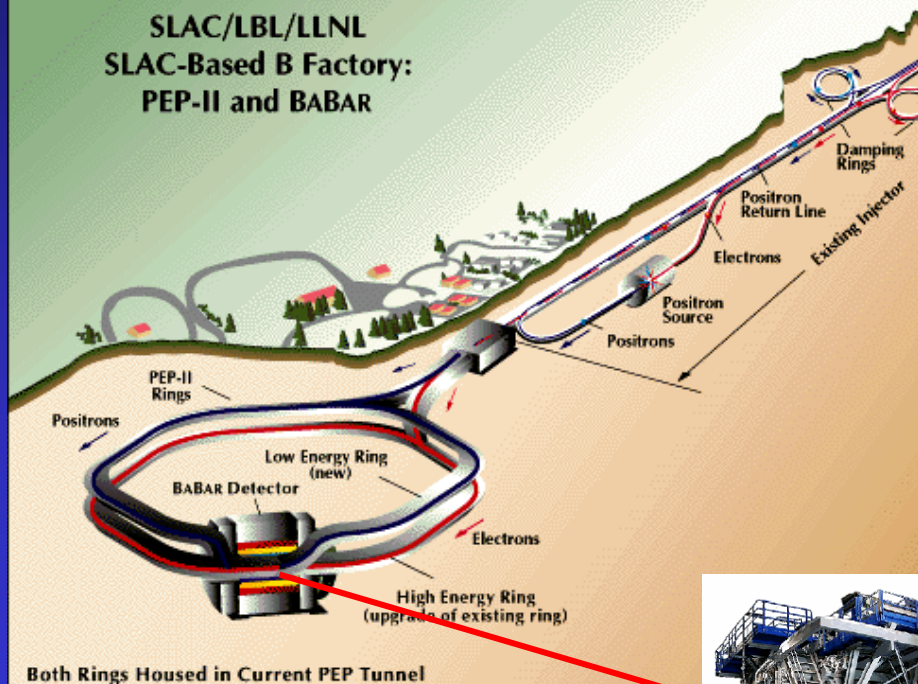


BABAR

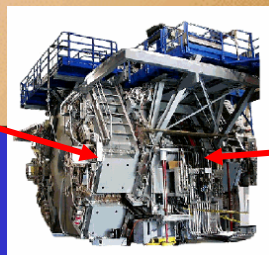
2000 – now

- 2001 CPV in B-System
- 2004 dCPV in B-System

SLAC/LBL/LLNL
SLAC-Based B Factory:
PEP-II and BABAR



Both Rings Housed in Current PEP Tunnel



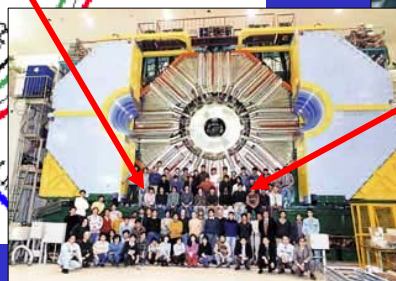
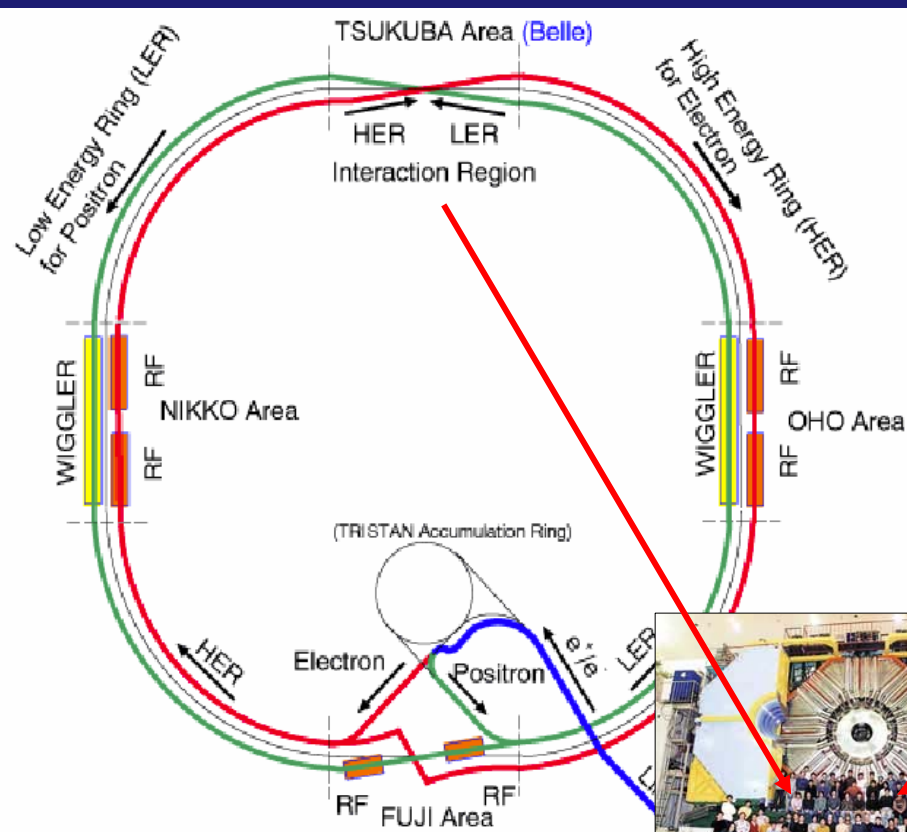


B Meson Experiments The Present – B Factory Experiments



2000 – now

- 2001 CPV in B-System
- 2004 dCPV in B-System





The neutral B-Meson

Mass Eigenstates

$$H_{\text{eff}} = \begin{pmatrix} H_{11} & H_{12} \\ H_{21} & H_{22} \end{pmatrix} = M - i/2 \Gamma \quad H|B\rangle = i d/dt |B\rangle$$

decomposition of non-hermitian H
using two hermitian matrices M, Γ

$$|B\rangle = \begin{pmatrix} B_0 \\ \bar{B}_0 \end{pmatrix}$$

Phase convention: $CP|B_0\rangle = |\bar{B}_0\rangle$

CPT-Theorem $\rightarrow H_{11} = H_{22}$

\rightarrow Mass Eigenstates $|B_{L(\text{ight}), H(\text{eavy})}\rangle = p|B_0\rangle \pm q|\bar{B}_0\rangle$

normalization: $|p|^2 + |q|^2 = 1$

$$\text{Eigenvalues } H_{H,L} = H_{11} \pm \sqrt{H_{12}H_{21}}$$

$$q/p = -(H_H - H_L)/2H_{12}$$

note: CP eigenstate if (and only if) $q/p = \pm 1$

time evolution: $|B_{H,L}\rangle(t) = e^{-iH_{H,L}t} |B_{H,L}\rangle(0) = e^{-\Gamma_{H,L}t/2} e^{-iM_{H,L}t} |B_{H,L}\rangle(0)$

\rightarrow 2 neutral B-Mesons (one heavier, one lighter), decaying with (generally) different decay constants

But what is actually observed in experiment?

\rightarrow the experimental “character” of the B depends on the actual values of above parameters

\rightarrow the different “character” of the K is due to different values of those parameters

... but before taking a closer look on these points, let's further expand the picture:



The CKM Hierarchy

CKM Matrix V_{CKM}

- governs **conversion between up- and down-type quarks** in the SM
- **unitary within SM**: $V^\dagger V = V V^\dagger = 1 \rightarrow$ defined by 9 Parameters (3 angles, 6 phases)
- 5 phases can be gauged to zero by appropriate definition of the 5 relative phases of the 6 u,c,t / d,s,b quarks
- **CP Violation in the SM** governed by the **single remaining phase**
- note: this phase is not small, i.e. **CP violation is not small in the SM!**
- different parametrizations of V possible, that of **Wolfenstein** reflects its **hierarchical structure**:

$$V_{CKM} = \begin{pmatrix} \boxed{u \leftrightarrow d} & \boxed{u \leftrightarrow s} & u \leftrightarrow b \\ \boxed{c \leftrightarrow d} & \boxed{c \leftrightarrow s} & c \leftrightarrow b \\ t \leftrightarrow d & t \leftrightarrow s & \boxed{t \leftrightarrow b} \end{pmatrix}$$



The different Characters of the B^0 - and K^0 -Meson

	B^0 -Meson	K^0 -Meson
mean mass m	5279 MeV/c ²	497 MeV/c ²
mass difference Δm	$O(10^{-10})$ MeV/c ²	$O(10^{-12})$ MeV/c ²
life time	$\tau_H = 1.5\text{ps}$ $\tau_L = 1.5\text{ps}$	$\tau_H = 51800.0\text{ps}$ $\tau_L = 89.6\text{ps}$

→ practically same life time for B^0 , but big difference for K^0

why? see below!

consequence: K^0 more naturally classified by life time: $K_{L(\text{ong-lived})}$, $K_{S(\text{hort-lived})}$; K_L can be easily observed experimentally by „just waiting“ for K_S component to decay away; no such easy way for B mesons!

→ lifetime of B^0 rather long for its large mass

why? hierarchical structure of V_{CKM} highly suppresses $b \rightarrow c, u$ transitions

$ q/p $	$\cong 1$	this is a consequence of $\Gamma_{12} \ll M_{12}$	$\cong 1$
$\text{Im}(q/p)$	$O(1)$		$O(10^{-3})$

→ $K^0_{S,L}$ almost CP eigenstates (see slide 3), $B^0_{H,L}$ clearly not

why? CP violation in 2nd generation suppressed due to CKM hierarchy

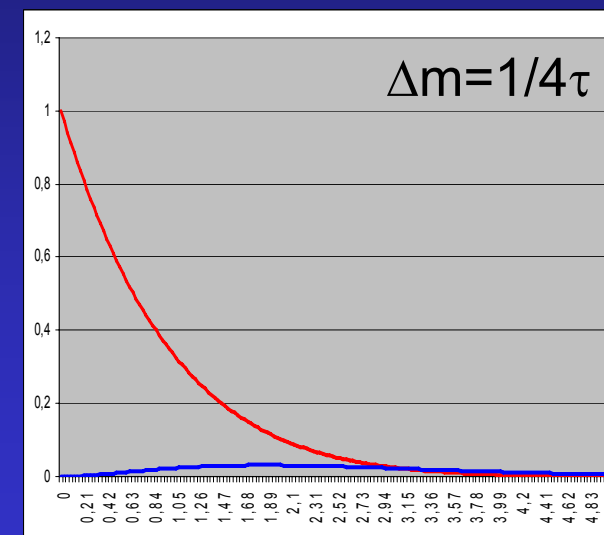
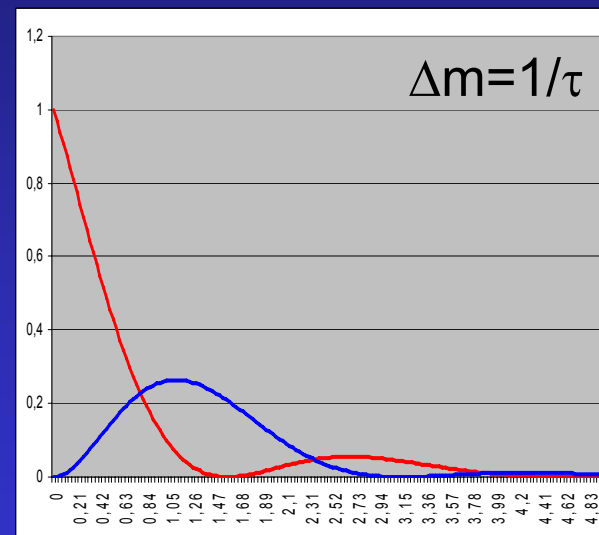
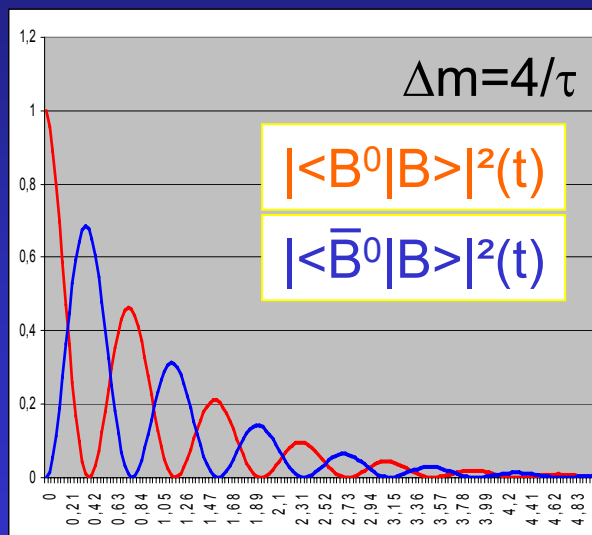
consequence: long lifetime of K_L , since CP is almost conserved, and the large $K \rightarrow \pi\pi$ channel is CP-forbidden



How B^0 -Mesons show up in the Experiment

- B^0 -Mesons are produced via strong interactions, therefore in the strong eigenstates B^0/\bar{B}^0
- this corresponds to superpositions of mass eigenstates:
 $|B^0\rangle \sim |B_H\rangle + |B_L\rangle$ $|\bar{B}^0\rangle \sim |B_H\rangle - |B_L\rangle$
- therefore, generally interference occurs; for a B^0 at $t=0$, due to $\tau_H \cong \tau_L$

$$|B\rangle(t) = e^{-t/2\tau} e^{-imt} \left[\cos(\Delta m/2 \cdot t) |B^0\rangle + i q/p \sin(\Delta m/2 \cdot t) |\bar{B}^0\rangle \right]$$



- note „lucky coincidence“ $\Delta m \cong 0.7/\tau \rightarrow$ oscillation time similar to decay time (if faster, experimental time resolution would be a problem; if slower, particles would decay before effect becomes visible)



CP Violation with B-Mesons

CKM-Matrix

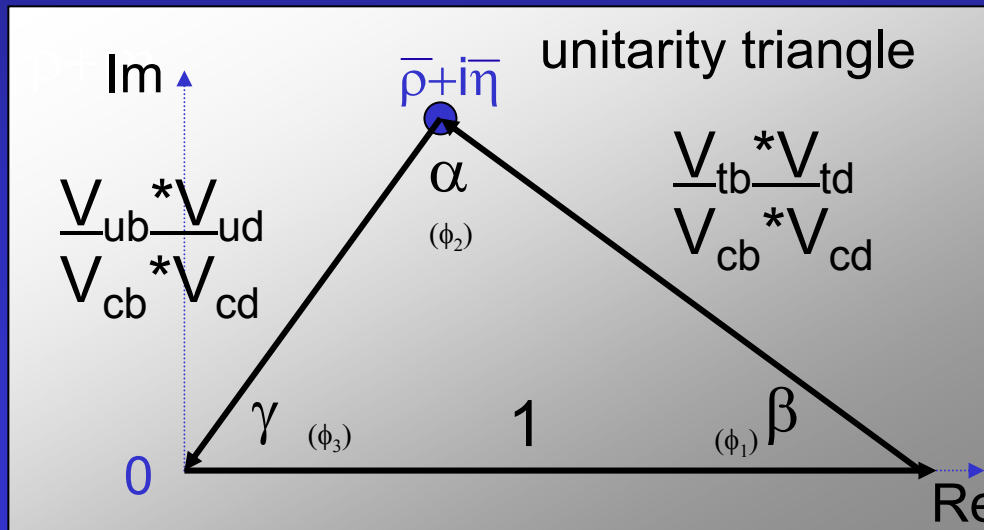
$$\begin{matrix} & d & s & b \\ \begin{matrix} u \\ c \\ t \end{matrix} & \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \end{matrix}$$

$$\text{Unitarity } V^\dagger V = 1 \rightarrow V_{ub}^* V_{ud} + V_{cb}^* V_{cd} + V_{tb}^* V_{td} = 0$$

$$\rightarrow \frac{V_{ub}^* V_{ud}}{V_{cb}^* V_{cd}} + 1 + \frac{V_{tb}^* V_{td}}{V_{cb}^* V_{cd}} = 0$$

$$\downarrow \\ -(\bar{\rho} + i\bar{\eta})$$

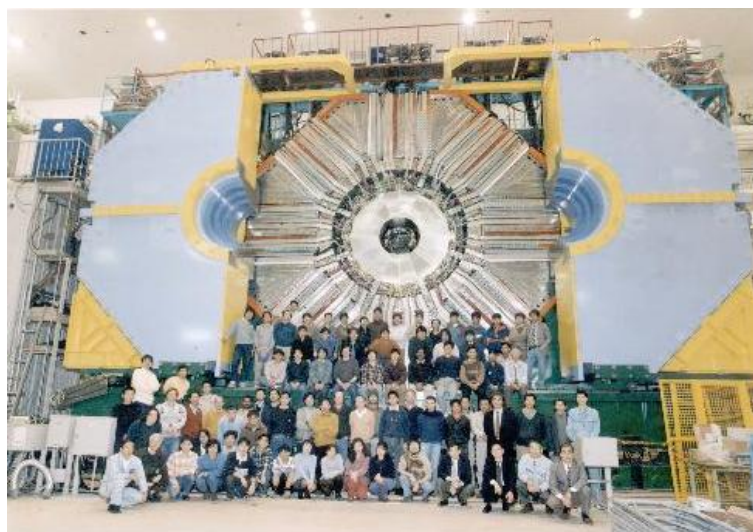
$$\downarrow \\ -(1 - \bar{\rho} - i\bar{\eta})$$



- area of triangle is a **measure of CP Violation** induced by CKM
- it is **completely determined by just one parameter**
- independent measurements of sides and angles of the triangle **check the consistency of the SM**, and can reveal the presence of **New Physics**



B Meson Experiments The Present – B Factory Experiments



Electromagnetic Calorimeter
CsI(Tl) crystals

e^- (8 GeV)

TOF Counter

Silicon Vertex Detector
3 double sided layers

1.5T Solenoid

Aerogel
Cherenkov
Detector

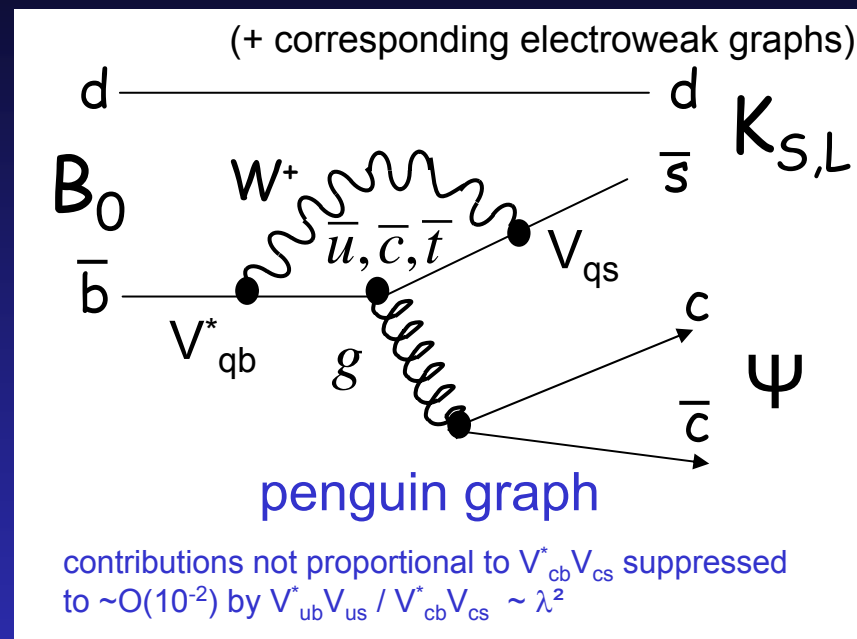
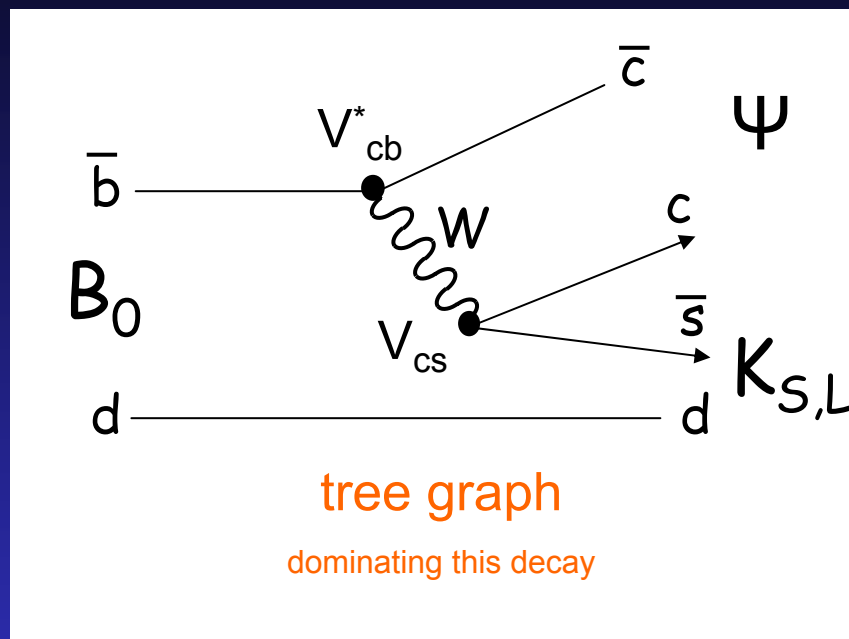
e^+ (3.5 GeV)

μ/K_L detection
14/15 layer RPC+Fe





The Analysis: $B \rightarrow \Psi K_{S,L}$ (quark transition $\bar{b} \rightarrow \bar{c} c \bar{s}$)



- $$\frac{\Gamma(B^0 \rightarrow \Psi K_S) - \Gamma(\bar{B}^0 \rightarrow \Psi K_S)}{\Gamma(B^0 \rightarrow \Psi K_S) + \Gamma(\bar{B}^0 \rightarrow \Psi K_S)} = A_{CP}^{\text{dir}} \cos(\Delta m t) + A_{CP}^{\text{mix}} \sin(\Delta m t)$$
- decay into CP eigenstate, governed by a single amplitude $\sim V_{cb}^* V_{cs}$
- therefore, no direct CPV contribution: $A_{CP}^{\text{dir}} \cong 0$
- amplitude of sine is given by: $A_{CP}^{\text{mix}} = -\sin 2\beta$

→ golden channel for measurement of $\sin 2\beta$

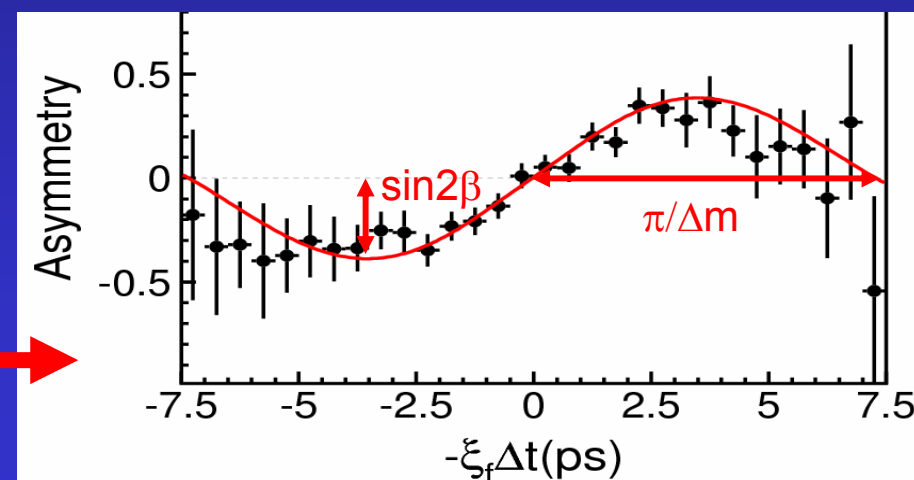
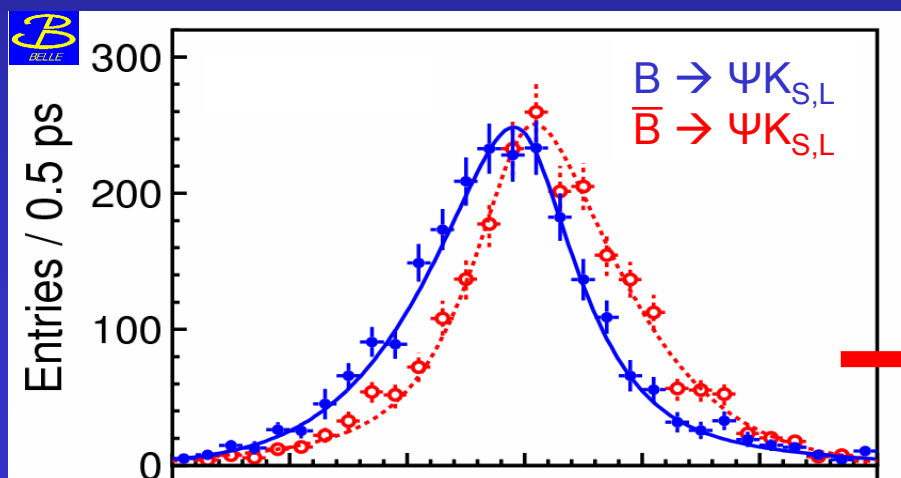
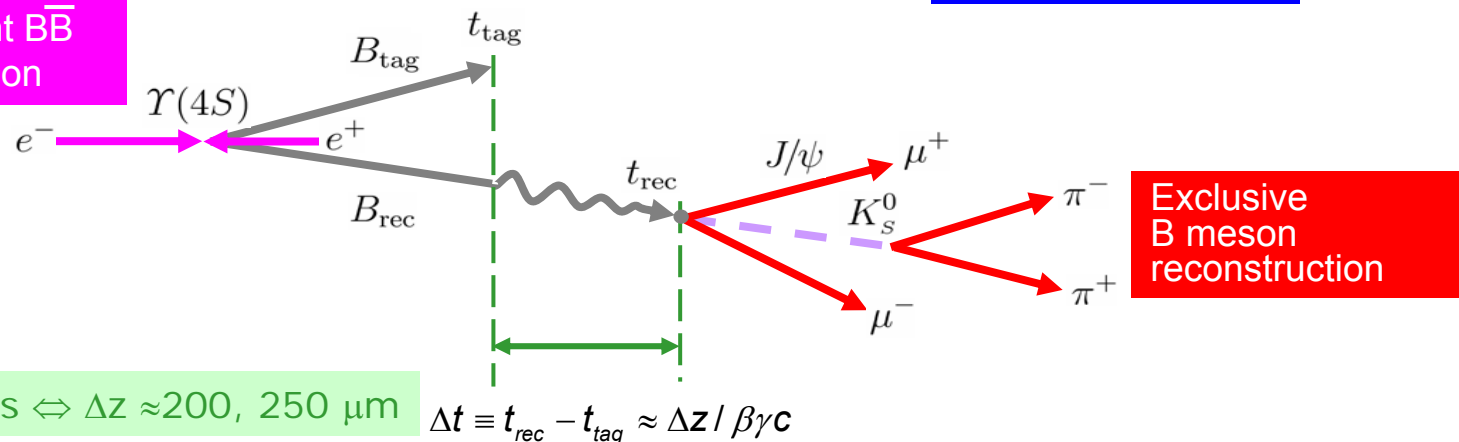


The Analysis: $B \rightarrow \Psi K_{S,L}$ (quark transition $\bar{b} \rightarrow \bar{c} c \bar{s}$)

Experimental Technique

B-Flavour tagging

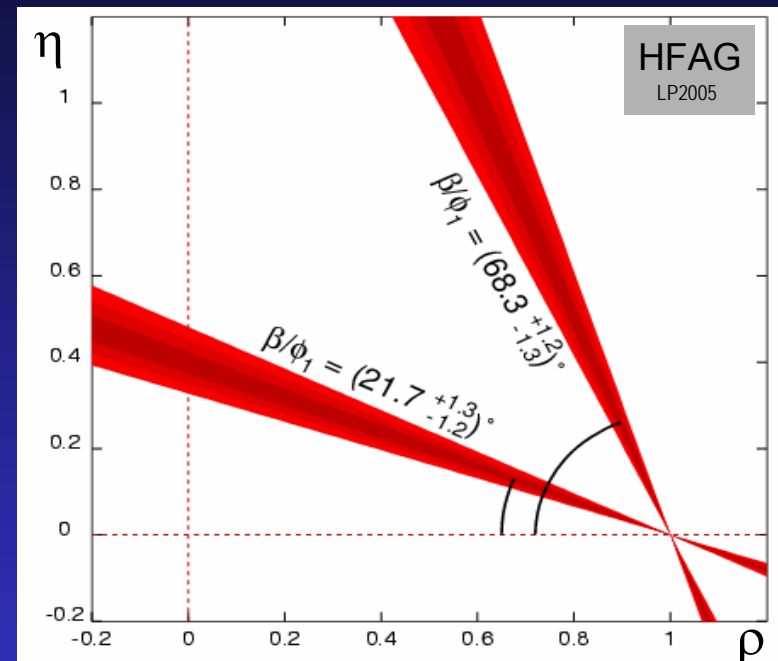
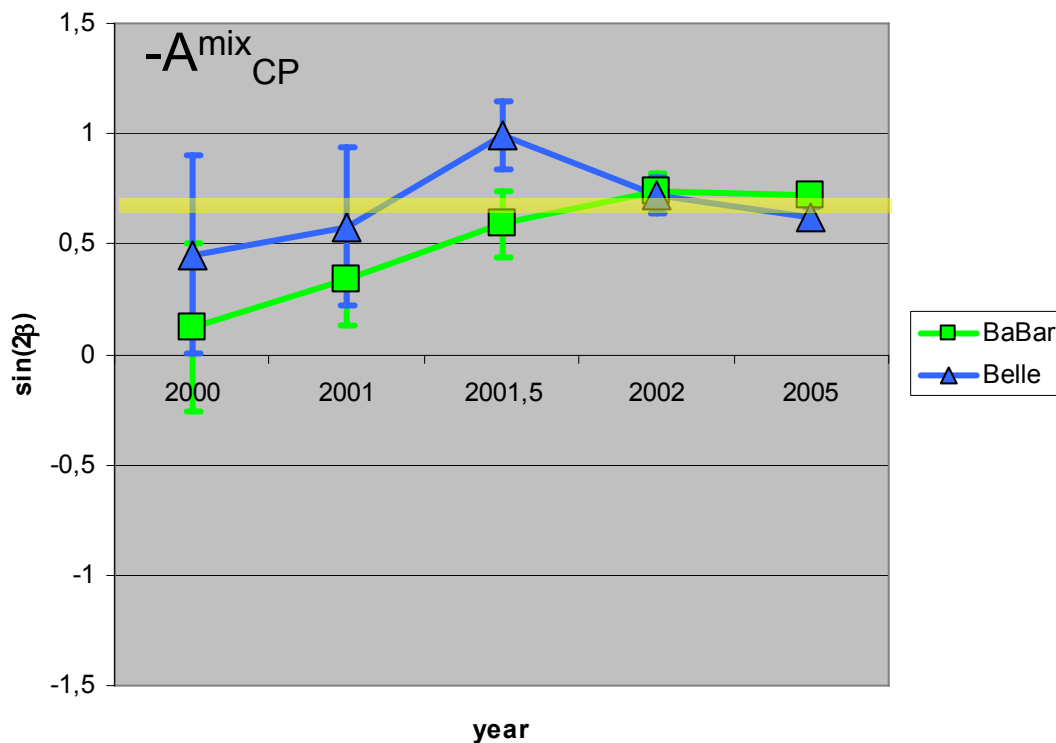
coherent $B\bar{B}$
production





The Analysis: $B \rightarrow \Psi K_{S,L}$ (quark transition $\bar{b} \rightarrow \bar{c} c \bar{s}$)

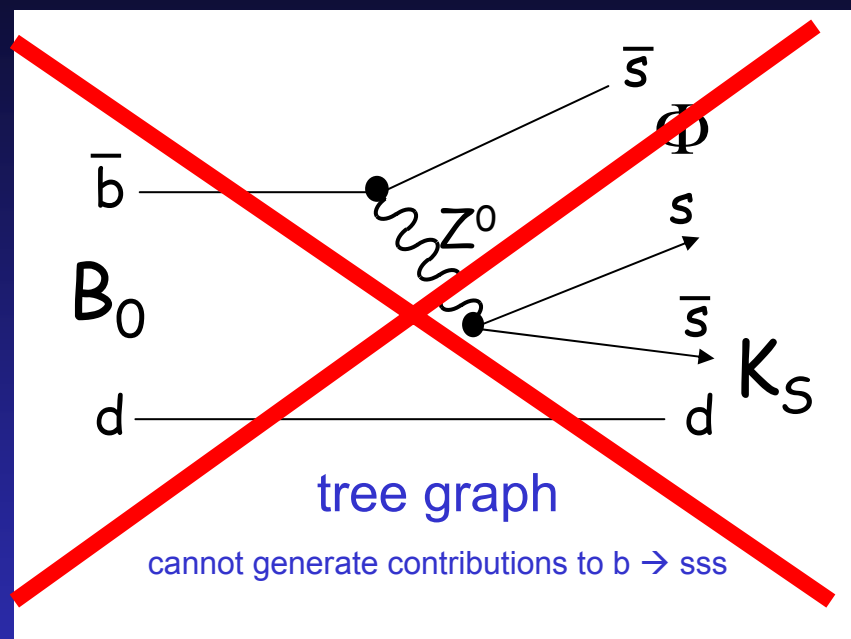
History of Experimental Results



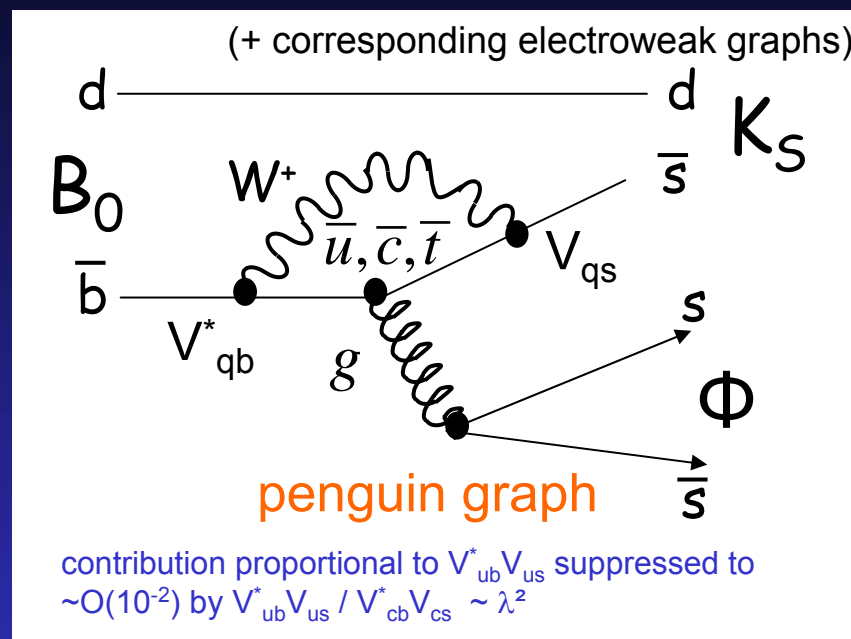
- HFAG Summer 2005 Average : $\sin(2\beta) = 0.685 \pm 0.032$
- SM prediction using all experimental information except ΨK_S : 0.68 ± 0.18
- no indication of direct CPV
- ➔ **impressive agreement with SM predictions!**



The Analysis: $B \rightarrow \Phi K_S$



(quark transition $\bar{b} \rightarrow \bar{s}q\bar{q}$)



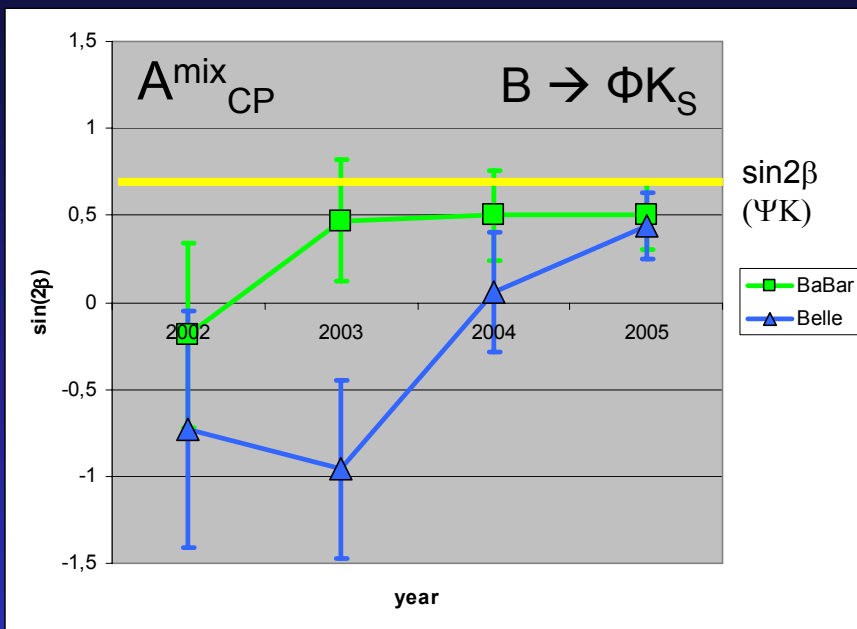
- remember slide #10:
$$\frac{\Gamma(B^0 \rightarrow \Phi K_S) - \Gamma(\bar{B}^0 \rightarrow \Phi K_S)}{\Gamma(B^0 \rightarrow \Phi K_S) + \Gamma(\bar{B}^0 \rightarrow \Phi K_S)} = A_{CP}^{\text{dir}} \cos(\Delta m t) + A_{CP}^{\text{mix}} \sin(\Delta m t)$$
- decay into CP eigenstate, governed by a single amplitude $\sim V_{cb}^* V_{cs}$
- therefore, no direct CPV contribution: $A_{CP}^{\text{dir}} \cong 0$
- amplitude of sine is given by: $A_{CP}^{\text{mix}} = \sin 2\beta$

→ penguin dominated, sensitive to New Physics in loop!



The Analysis: $B \rightarrow \Phi K_S (\eta' K_S)$ (quark transition $\bar{b} \rightarrow \bar{s} q \bar{q}$)

History of Experimental Results



- agreement between BaBar and Belle improved over the years
- A_{CP}^{dir} compatible with zero (no indication of direct CPV)



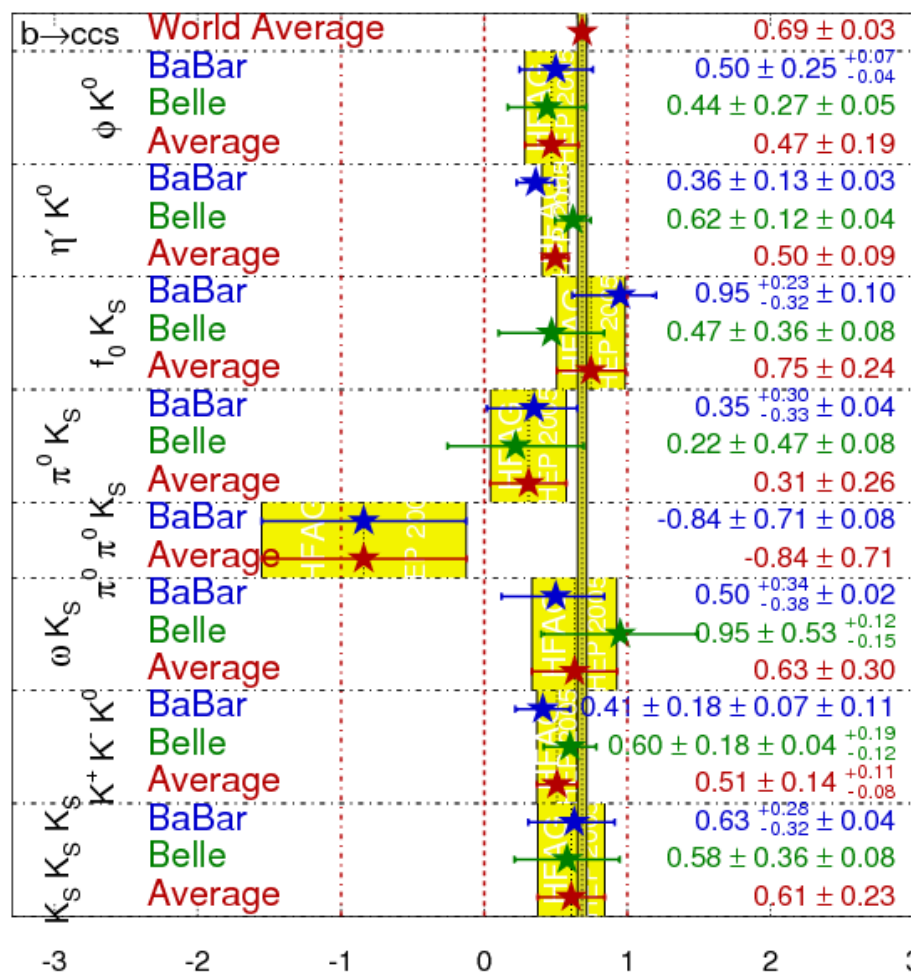
The Analysis: $B \rightarrow XK_S$

(quark transition $\bar{b} \rightarrow \bar{s}q\bar{q}$)

Overview of various channels

$\sin 2\beta$ measured in various channels

HFAg
HEP 2005
PRELIMINARY



→ not incompatible with SM
(though systematically lower),
future will settle questions of NP!



Outlook – the not that near future: *starting ≥ 2012 ?* Super Factories „the luminosity frontier“

Possible Timeline for Super B Program

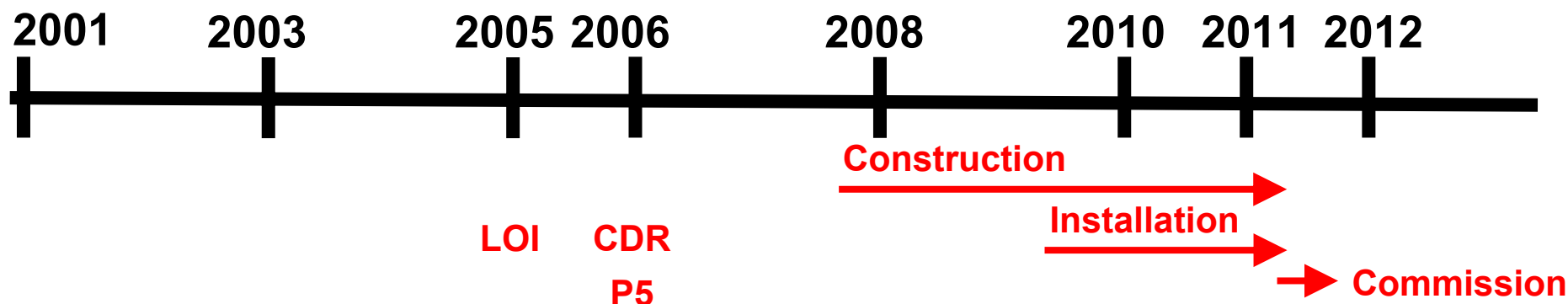
Super-B
Program

R&D, Design,
Proposals and
Approvals

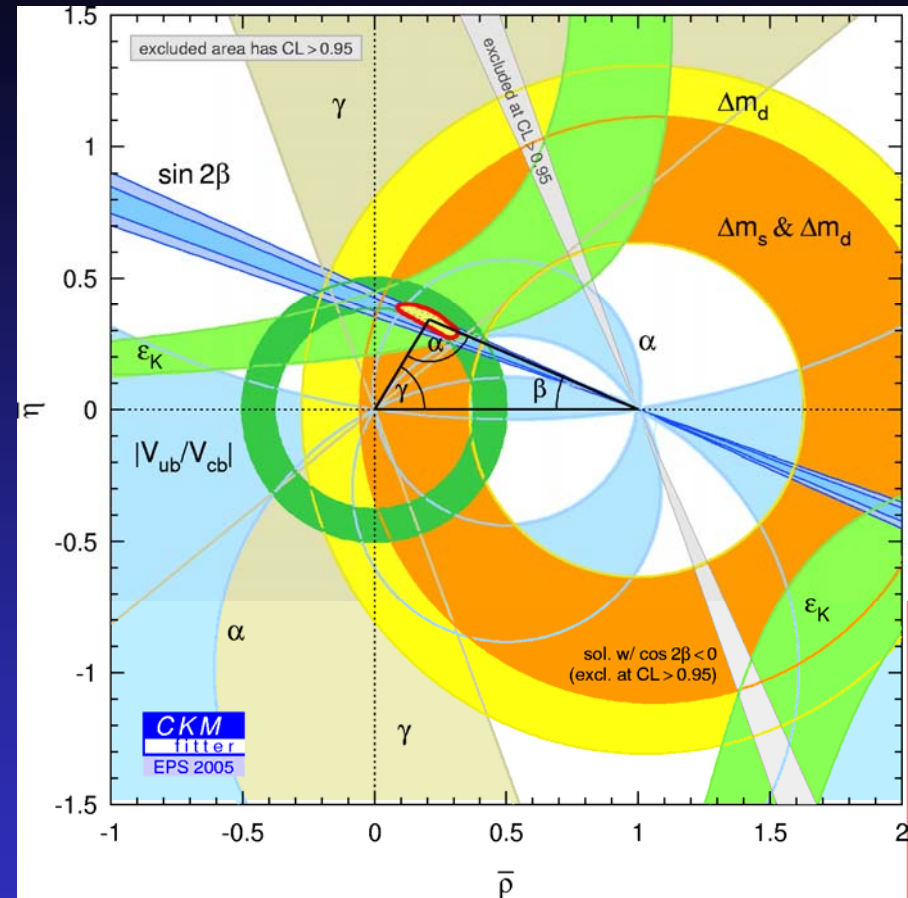
Construction of
upgrades to
 $L = 5-7 \times 10^{35}$

Super B
Operation

$$\int L dt \sim 10 \text{ ab}^{-1}/\text{yr}$$



- The B-Factories BaBar and Belle will study hundreds of millions of B-mesons more over the next years
- LHC will deluge^{©J.Ellis} us with some orders of magnitude more of data, ready for any surprise that is waiting for discovery
- and Super-B-Factories are in the pipeline for precision measurements of whatever LHC will find





Hope you got some overview of the interesting field of particle physics!

→ Hope to meet you at CERN, KEK or some other lab one day!!

- END of Unit V -

